Using genetic algorithms for long-term planning of network of bridges

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ABSTRACT

Bridge maintenance activities are often budgeted, scheduled and conducted for networks of bridges with different ages, types and conditions, which can make bridge network maintenance management challenging. In this study, we propose an improved maintenance planning model based on genetic algorithm for a network of bridges to bring a long-term perspective to the lifespan of bridges. To test the applicability and efficiency of the model, it is applied to a network of 100 bridges in one of the south-western provinces of Iran. The results of the model implementation show considerable potential for improvement over the currently adopted model for bridge maintenance planning.

Keywords: Bridge maintenance, maintenance planning, asset management, budgeting, genetic algorithm

1. INTRODUCTION

Over the course of its service time, infrastructure can be affected by gradual wearing down from normal use, as well as deterioration caused by environmental conditions. An effective maintenance program is essential to keep infrastructure components up and running for the decades during which they are in use. The operation phase of the infrastructure life cycle is the most expensive stage and longer service requires ever-increasing maintenance. For example, as IAM [1] indicates, operation
and maintenance activities absorb around 60% of the total investment into infrastructure during its lifecycle.

Bridges are important pieces of infrastructure, and they can play a significant role in a country’s development. Proper functionality of bridges is essential for the flow of people and cargo traveling on roads through natural and artificial barriers, both inside and outside of major centers. When bridges fail, so does the movement of people and goods. The collapse of Kan bridge in Tehran, Iran, closed the Fateh freeway, leaving thousands of travelers trapped for hours in the heavy traffic [2]. Beyond merely disrupting traffic flow, poorly maintained and damaged bridges are very dangerous. For example, the collapse of an aging bridge in Tonekabon, Mazandaran, Iran, caused five vehicles to fall vertically off the bridge, resulting in one casualty and eighteen injuries [3].

Conducting proper maintenance activities on a bridge increases its level and period of service, delaying the need for major maintenance activities and renovations, and reduces total cost spent for the life cycle of the bridge. But, organizations in charge of bridge maintenance (e.g., municipalities or regional Departments of Transportation) usually deal with networks of bridges, rather than a single bridge at a time. While there are usually limited budgets available for maintaining a bridge network, it would be wise to spend the budget in an efficient manner so as to bring the highest possible value to the network in the long run. However, annually choosing a particular set of bridges, from among a network of bridges, with different sizes, levels of usage and levels of service, creates a combinatorially complex decision-making problem with an overwhelming number of choices. This complexity causes some bridges to be left without proper maintenance activities, which accelerates their deterioration rates and imposes a higher cost to the bridge maintaining organization for future major and critical maintenance activities. Furthermore, when an organization identifies bridges in critical condition, a large portion of its maintenance budget is spent on them, leaving insufficient funds for the rest of the bridge maintenance activities. This trend gradually increases the maintenance costs of the overall bridge network, while average level of service within the bridge network is reduced over time. For example, looking at the American Society for Civil Engineers (ASCE) report card for American infrastructure [4], the number of closed bridges increased from 2816 in 2007 to
3585 in 2012. To eliminate this critical condition by 2028, $20.5 billion USD is required to be spent annually on the USA’s bridge network maintenance program; however, only $12.8 billion USD is actually being allocated.

Compared to the USA, bridge infrastructure in Iran is relatively new [5], but the issue currently facing the USA will also occur in Iran if the country’s bridge network is left without an effective bridge management system (BMS). The necessity of deploying an efficient, computer-based BMS is made clear when noting that the implementation and deployment cost of a computerized BMS, estimated to be several million U.S. dollars, is not even comparable to the cost impact of one bridge collapse, which can amount to tens of millions of U.S. dollars [5]. It is estimated that improper bridge maintenance management in the past ten years in Iran has cost more than 500 million dollars [5]. This will grow higher if an efficient BMS is not deployed for maintaining bridges in the country.

To address the need for an efficient BMS, in this study we developed a bridge network maintenance planning model based on genetic algorithm (GA). Before developing the model, a complete literature review is conducted. Then, in response to inaccuracies in existing bridge maintenance models, we propose an improved model. The proposed model is applicable for maintaining a range of bridge networks, with some customizations required for each case. To test the applicability of the model, it is then applied to a network of bridges in the province of Kohgiluyeh and Boyer Ahmad in southwest Iran over a twenty-year span. The bridge network is managed by the Iran Road Maintenance and Transportation Organization (RMTO); the model was customized based on the specific requirements of RTMO and was implemented successfully for the case.

2. LITERATURE REVIEW

In general, infrastructure planning models developed in the literature fall into two main categories: planning models based on analytical methods and planning models based on meta-heuristic search techniques. Analytical modeling methods are mainly used for prioritizing effective factors involved in infrastructure maintenance planning. Decision tree and analytical hierarchy process (AHP) are the main tools used in this category of maintenance planning models. For example, Hicks et al. [6] use a
decision tree-based method for selecting the appropriate preventive maintenance activities for different types of asphalt distress. For this method, they initially list different asphalt distress types and then evaluate the cost-effectiveness of the available maintenance activities based on the decision tree technique. In another study, Al-Barqawy and Zayed [7] use the AHP technique to prioritize effective factors affecting water main condition when assigning water main rehabilitation activities. Although analytical methods are useful for maintenance planning process, their application is mainly limited to setting decision rules and criteria rather than directly selecting proper maintenance choices among a range of possibilities.

Meta-heuristic search techniques, such as genetic algorithm, ant colony, and simulated annealing, are widely used for a variety of decision-making problems, especially when problems are combinatorially complex [8]. Among the different meta-heuristic search techniques, we found in the literature, the genetic algorithm (GA) is most applied to infrastructure maintenance planning [9–11]. For example, Albattaineh [12] used GA in road maintenance planning, where he divided a road into different segments and maintenance activities were applied to segments to improve their levels of service. The main outputs of this research effort were annual maintenance strategies to be followed for different road segments in accordance with the limited maintenance budget set and expected level of service for road segments over the course of one year. In another study, Elhakeem [9] developed a maintenance planning model for schools in Toronto, Canada. The objective function of this GA based maintenance planning model was maximizing total condition or service level of school elements (e.g., tables, benches and windows) with a limited annual budget, over the course of five years. The main outputs of this model were annual rehabilitation plans proposed for different school elements. In 2007, Elbehairy [13] developed a GA-based bridge network maintenance planning model with the objective function of maximizing the conditions of bridge elements with a given budget for a planning period of five years.

In all of the above-mentioned planning models, planning periods are relatively short when compared with an infrastructure element’s service life, e.g., less than five years. Furthermore, the studied models do not schedule multiple repairs for an element during the planning period, which makes them non-
expandable to a long-term planning period where multiple repairs might be required. Additionally, in
the bridge maintenance planning model developed by Elbehairy [13], there is no change in bridge
deterioration rates before and after repair; however, according to the research done by NDR [14],
deterioration rates accelerate after maintenance activities are conducted on a bridge. Also, in the
bridge network maintenance model developed by Elbehairy [13], when maintenance activities are
scheduled for a bridge, regardless of the service conditions of different elements, all elements of the
bridge are scheduled for the maintenance. But, since deterioration rates of different bridge elements
might show different trends over time, this may complicate the selection of the optimum choice. In
this study, we propose and develop a model that eliminates the above-mentioned limitations.

3. BRIDGE MAINTENANCE IN IRAN

The Iran Road Maintenance and Transportation Organization (RMTO), a department under the
Ministry of Roads, Housing and Urban Development, is the body in charge of the maintenance of
highways. In 2013, a study was conducted by RMTO to develop an asset management system that
best supports RMTO’s bridge maintenance activities. Among different maintenance systems, a bridge
maintenance system (BMS) developed by the COWI consulting group was selected by RMTO [5]. In
this BMS, every bridge has three types of elements: deck, superstructure and substructure. Bridge
element conditions are determined independently and are marked from 0, for the best condition, to 5,
for the lowest usable condition. Condition marks above 5 show unacceptable and unsafe conditions.

There are 31 provinces in Iran, each of which contains an office of RMTO. Bridge network
maintenance and repair within every province is managed locally through the province’s RMTO
office. Currently, inspections are made every several years on bridge networks within the different
provinces, and bridge element conditions are scored. Maintenance and repair activities are then
scheduled according to the bridge scores achieved from a simple ranking method. In this method, the
conditions of bridges are ranked from the worst to the best; those with the worst conditions are
prioritized for repair. However, simple ranking method does not necessarily maximize the benefit-per-
cost ratio of the bridges in the long run. According to our discussions with RMTO experts, the main
reason RMTO does not run long-term maintenance planning is because they are not equipped with a proper tool.

4. PROPOSED PLANNING MODEL

The proposed model is built upon previous models developed for infrastructure maintenance planning, while eliminating some of the existing limitations. Short planning horizon, considering only one single repair activity during the planning horizon, applying same deterioration trends before and after repair, and limiting repair activities to an entire bridge are main constraints seen in the past research efforts which are addressed in the proposed model by incorporating following improvements. First, the model is developed flexibly enough to expand its planning horizon from several years to several decades. Second, it removes limitations on the number of activities scheduled over the planning horizon, which is quite essential to bring a long-term perspective to maintenance planning. Third, to increase the model’s accuracy, two deterioration trends are used: a) deterioration trend over the original setting of a bridge, where there is no maintenance activity applied to the bridge; and b) deterioration trend for the bridge with maintenance activities applied to it. Fourth, to address the different deterioration trends of different bridge elements, the model is capable of scheduling maintenance activities in separate years.

To run the model, bridge element specifications, as the main model inputs, are first collected for all bridges within the network. Data obtained are then organized in the form of initial GA chromosomes and auxiliary matrices, which represent the initial maintenance plans and the bridge network’s condition. Next, improvements are made to the maintenance plans through different GA model generations created by applying the two main GA model improvement tools of crossover and mutation operations. The model’s evaluation function, used for evaluating GA chromosomes or maintenance plans in each generation, is developed for maximizing the benefit-per-cost ratio, where benefit is considered as improvement made to the bridge service condition and cost is the repair cost. The optimal maintenance plan found is the final output of the model. A more detailed explanation of the different parts of the model follows.
4.1 MODEL CHROMOSOMES AND MATRICES

In the proposed maintenance planning model, the bridge network conditions and planning decisions are stored and manipulated in the form of GA chromosome and auxiliary matrices. One GA chromosome and six different types of auxiliary matrices are used in the model: 1) annual maintenance decision is represented by chromosome X; 2) type of bridges in the network is represented by matrix E; 3) annual condition marks of bridge elements are stored in matrix Cnd; 4) maintenance cost rates of bridge elements are stored in matrix Cr; 5) maintenance cost of elements in each year are represented in matrix C; 6) sizes of bridge elements are represented by matrix S; and 7) annual condition of each element is stored in matrix Cnd. More discussion of the specifications of the model’s chromosome and matrices follows.

1) Chromosome X: Maintenance decisions, i.e., conducting or not conducting maintenance activities on different bridge elements, for the entire planning horizon is stored in chromosome X. Every gene on this chromosome represents maintenance decision regarding one element of a bridge on the network for a specific period of time, i.e., the specified year in this research. So, with the number of n bridges on the bridge network, m types of bridge elements for every bridge and t number of years for planning horizon, the length of this chromosome comes to:

\[ \text{Length of Chromosome } X = n \times m \times t \]  

(1)

Gene values on this chromosome are either 0 (i.e., do not schedule maintenance activities) or 1 (i.e., schedule maintenance activities). To follow the prevalent trend of bridge maintenance activities scheduled in the country, we assume when a maintenance decision is made for a bridge element, regardless of the bridge condition, its condition is improved to the best possible condition. For example, in RMTO, every time maintenance activities are conducted on a bridge element, regardless of the bridge element’s condition, the bridge element’s condition is improved to 1, which is the best possible condition that can be achieved after maintenance activities are applied.
Figure 1 represents a schematic view of chromosome X in two parts: in Figure 1.a, a macro view of chromosome X shows how this chromosome contains maintenance decision for the entire planning horizon; Figure 1.b depicts the setting of genes in every bridge within the chromosome.

2) **Matrix E:** We need to properly capture different types of bridges in the network since different types of bridges have different deterioration rate trends and require different types of maintenance activities and costs. Types of different bridges on the network are stored in matrix E. Every bridge has one gene on chromosome E whose value presents that bridge’s type in the network. For example, in RMTO, bridges are categorized in four different types including: 1) low-rise concrete slab and concrete beam bridges; 2) high-rise concrete slab and concrete beam bridges; 3) concrete slab and steel beam bridges; and 4) flat slab bridges. Each type of bridge is marked, respectively, from 1 to 4. With a total number of n bridges, matrix E comes with n elements, as shown in Figure 2. The elements of matrix E are specified at the beginning of the model implementation and remain constant over the planning horizon, since type of each bridge on the network remains the same over its service life.

3) **Matrix Cnd:** Elements of this matrix represent the annual condition marks of bridge elements considering the impacts of maintenance activities scheduled over time. It contains n × m × t number of elements, where n represents the number of bridges, m represents the number of bridge elements and t denotes the number of planning periods (e.g., number of years). The values of this matrix are updated based on initial condition, maintenance decision and deterioration rates. Figure 3 represents a schematic view of this matrix.

4) **Matrix Cr:** Matrix Cr stores the maintenance cost rates of bridge elements. Every gene on this matrix represents the maintenance cost rate of an element of a specified bridge type, with the specified bridge condition to be improved to the best possible condition. So, if there are n types of bridges on the bridge network, every bridge has m number of elements, and there are k possible scenarios for maintenance activities to the best possible condition, the total number of elements of this matrix becomes n × m × k. For example, for the RMTO bridge network, there are four different types of
bridges and each bridge has three different elements. There are also four different basic bridge maintenance activity scenarios, including improving bridge element condition from 5 to 1, 4 to 1, 3 to 1, and 2 to 1. So, the total length of matrix Cr becomes 48 for the RMTO bridge network. Values of this matrix stay constant over the course of planning horizon. Figure 4 represents a schematic view of this matrix.

It should be noted that in assigning maintenance cost rates in matrix Cr, only maintenance conditions with integer condition marks (e.g., 2, 3, 4 and 5) are accounted. But, bridge element maintenance conditions are continuously deteriorating over time and their maintenance condition marks are not necessarily integer numbers (e.g., condition marks of 2.7 or 3.4). So, for calculating the maintenance cost rates of elements with in-between condition mark values, stored maintenance cost rates in matrix Cr are used. Estimated cost rate values of a specified bridge network are collected from maintenance contractors or other experts familiar with that specific bridge network. However, to minimize violations of the minimum acceptable level of bridge condition mark for a given planning horizon, estimated maintenance cost rates for conditions below the minimum acceptable level are replaced by fabricated high cost rates, identified as penalties in the evaluation function. For example, in RMTO, the minimum acceptable bridge element condition is 4.5. So, to avoid encountering bridge element condition marks above 4.5 (i.e., worse service conditions than 4.5), fabricated high cost rates are assigned to any maintenance activities done for repairing bridge elements with condition marks above 4.5, regardless of the cost rate values estimated by experts. This high cost rate is linked to the increased risk of a bridge malfunction and consequent accident costs as a result of the declined service condition.

5) **Matrix S:** Size of bridge elements in the bridge network is captured in matrix S. Every element of this matrix represents a bridge element size. The size of each element reported in this matrix should follow the size measure that the maintenance cost rate of the element is based on. For example, if the maintenance cost rate of a bridge deck (as a bridge element) is estimated based on a dollar-per-m² figure, the reported size of this deck element should be given in m². The value of matrix S is
determined at the beginning and remains constant over the course of planning horizon. The length of matrix S is $n \times m$, where $n$ is the number of bridges and $m$ denotes the number of elements.

6) **Matrix IP:** The importance factor of every bridge is stored in matrix IP. The importance factor is a unit-less number set between 0 and 1, which is decided based on different factors such as volume of traffic flow on the bridge, its role in transporting people and commodities, and other social reasons. A value of 0 represents the lowest importance, and a value of 1 is of the highest importance.

7) **Matrix C:** The maintenance cost of a bridge element is calculated based on its maintenance cost rate, its size, and the decision to conduct or not conduct maintenance activities for a specific element on a specified year. The calculated costs of bridge elements over the course of the planning horizon are stored in matrix C. Similar to chromosome X, the total length of this matrix comes to $n \times m \times t$, where $n$ represents the number of bridges on the bridge network, $m$ represents types of bridge elements for every bridge and $t$ denotes the number of years for the planning horizon. When the value of a gene on the maintenance schedule decision chromosome (chromosome X) is equal to zero, this means there are no maintenance activities scheduled for that specific element on the specified year and, correspondingly, there is no maintenance cost spent for the related element on Matrix C.

4.2 **DETERIORATION METHOD**

Using historical data for predicting the deterioration of infrastructure facilities is a common practice in the literature [14 - 15]. By using this approach, deterioration trends of different infrastructure elements with similar types and conditions can be recognized over the years of service, and annual deterioration rates can be calculated based on these trends.

In a deterioration model of a bridge component, the annual degradation rate of the component is estimated based on its condition rate at the current year. The condition rate of the component for the next year is then calculated by subtracting the estimated degradation rate from the condition rate of the component at the current year. Deterioration models normally follow different trends if there have been any past maintenance activities conducted on them (e.g., [14]). In our proposed model,
calculated deterioration rates are then used for updating the values of matrix Cnd and ultimately for evaluating every maintenance decision represented by chromosome X. As presented by NDR [14], bridge elements show different deterioration trends before and after conducting maintenance activities. These two deterioration trends are also adopted in the proposed model of this study. For more details on the prediction of bridge deterioration trends, please refer to [14] and [9].

4.3 MODEL IMPLEMENTATION METHOD

The model implementation follows the general steps of a typical GA model implementation [11]. With some modifications made for the specific conditions of the problem. The model starts with the first generation of chromosome X, representing an initial maintenance planning decision for the course of a planning horizon. The population of chromosomes in the first generation is created by randomly scheduling one set of maintenance activities for each bridge element on the network over the course of the planning horizon. The number and periods of maintenance schedules, though, are updated during the creation of subsequent generations. To create the next generations, each chromosome is first evaluated, using the model’s developed evaluation function (Section 4.4). The best ranked chromosomes are then selected and paired to undergo crossover and mutation operations and create new child-chromosomes. The best chromosomes from each generation together with their child-chromosomes form the next generation. This process continues and new generations with improved chromosomes are created.

4.4 EVALUATION FUNCTION

An evaluation (or objective) function is defined in the model for evaluating the different maintenance decisions. This evaluation function is basically a cost function and consists of three main components. In the first component of the evaluation function, or the cost-to-benefit component represented in Equation 3, annual costs of bridge network maintenance (Equation 2) are divided by the annual improvements made to the condition marks of the bridge network, considering the importance factor of each bridge on the network. Since we are interested in decisions with the lowest possible costs and highest possible improvement to network conditions; in this component, we are interested in
maintenance decisions with minimized values. The second component of the evaluation function or service violation component, represented in Equation 4, reflects our need to minimize the number of violations signified by worse service condition levels (i.e., higher condition marks) than the maximum acceptable condition mark (MAC). Ideally, the value of this component should be zero, so, the magnifying factor of M1 is a large number used in this equation for penalizing decisions violating this constraint. Equations 5 and 6 form the third component of the evaluation function, or budget violation component, to consider the total maintenance cost violation based on the total available budget in the evaluation function. Again here, the ideal value of this component is zero; the magnifying factor of M2 used in this formula is a large number penalizing decisions that exceed the budget violation allowance set for the bridge network. The percentage of budget violation allowance mainly returns to the bridge network manager’s capacity to increase the total budget limit by making use of other financial sources to improve the network’s long-term condition.

\[
Annual\ maintenance\ cost(t) = \sum_{t=1}^{T} \sum_{i=1}^{n} \sum_{j=1}^{m} X_{tij} \times C_{kej} \times S_{ij}
\]  

First component = \[
\sum_{t=1}^{T} \frac{Annual\ maintenance\ cost(t)}{\sum_{i=1}^{n} \sum_{j=1}^{m} (C_{nd_{ij}} + 1) \times I_{pi}}
\]  

Second component = \[
\sum_{t=1}^{T} \sum_{i=1}^{n} \sum_{j=1}^{m} M1 \times \max(0, C_{nd_{ij}} - MAC)
\]

Budget violation = \[
\sum_{t=1}^{T} \frac{Annual\ maintenance\ cost(t) - \sum_{t=1}^{T} Annual\ budget(t)}{\sum_{t=1}^{T} Annual\ budget(t)}
\]

Third component = \[
\begin{cases} 
If \ Budget\ violation \leq Violation\ allowance; & 0 \\
If \ Budget\ violation > Violation\ allowance; & M2 \times Budget\ violation
\end{cases}
\]

Where:

i: Bridge number = 1, 2, …, n

j: Element number = 1, 2, …, m

t: Time period = 1, 2, …, T

Cnd: condition mark of element j of bridge i in year t, which read from matrix Cnd e=e_i \in E: type of ith bridge retrieved from matrix E.

Xtij: Maintenance decision for element j of bridge i at year t read from chromosome X.
ΔCndijt: It represents difference between condition marks before applying maintenance activities and after applying maintenance activities for element j of bridge i in year t. If there is no maintenance activities scheduled for an element in the year, its value becomes zero.

Ckej: Cost rate of element j on a bridge with type e and corresponding maintenance condition mark of k read from matrix Cr.

Sij: Size of element j of bridge i read from matrix S.

IPi: Importance factor of bridge i read from matrix IP.

M1: Magnifying factor (used in the second component).

MAC: maximum acceptable condition

M2: Magnifying factor (used in the third component).

5. CASE STUDY

To assess the applicability of the proposed model, a case study is conducted for a bridge network of 100 bridges managed by RMTO in the province of Kohgiluyeh and Boyer Ahmad in southwest Iran. In its BMS, RMTO categorizes these bridges into four main types: 1) concrete slab and beam bridges less than 6 meters high (28 bridges); 2) concrete slab and beam bridges higher than 6 meters (26 bridges); 3) concrete slab and steel beam bridges (18 bridges); and 4) flat slab bridge (28 bridges). In this BMS, every bridge is also divided into three elements, including deck, superstructure and substructure. The proposed maintenance planning model of this network is implemented for a period of 20 years.

5.1 MODEL IMPLEMENTATION

The model was implemented in Matlab software using Matlab Genetic Algorithm Toolbox. Modifications, however, are made to the basic Genetic Algorithm Toolbox to tailor the model to the specific requirements of the proposed model.
5.2 PREPARING MODEL CHROMOSOME AND MATRICES

With a total number of 100 bridges, three elements for each bridge and a planning horizon of 20 years, the length of chromosome X reaches 6000 genes (Equation 1). To capture the different types of bridges on the network, matrix E was first formed by assigning corresponding type numbers to each bridge on the network. The cost rates of maintenance activities were collected from maintenance experts working in RMTO, and matrix Cr was formed based on their inputs. To avoid receiving bridge elements with very poor conditions, a high cost value is set for maintenance activities scheduled for elements with condition marks above 4.5. The values used in matrix Cr are presented in Table 1. The sizes of different bridge elements on the network, stored in Matrix S, and initial condition marks of the bridge elements, stored in matrix Cnd, are obtained from RTMO’s BMS database. Figure 5 represents the distribution of initial element condition marks within the network. Since the minimum acceptable bridge condition for RMTO is 4.5, receiving a considerable number of bridge elements with condition marks above 3.5 affirms that a significant number of maintenance activities are required for the network in the next 20 years to avoid violations of the minimum acceptable condition level; a robust maintenance planning is essential for RMTO in the province. The importance factor of each bridge is determined based on the importance factor determined by RMTO for different bridges and stored in matrix IP (Table 2).

A total budget of $6.28\(^1\) million was initially predicted in consultation with RMTO authorities and then adjusted to $6.29 million based on results achieved after running the model. The budget violation allowance is set to 10% based on the input from RMTO authorities.

Deterioration rates of different elements are required for calculating the annual maintenance condition of different bridges on the network, maintained in matrix Cnd. But, unfortunately, RMTO has not

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\(^1\)All costs presented in the case study are calculated based on current currency in Iran (Rial) and then converted from Iran Rial to US Dollar according to exchange rate of 3500 (Rial per Dollar) reported by Central Bank of the Islamic Republic of Iran (CBI) on 15 Nov, 2015 accessible at: www.cbi.ir
supported independent research into predicting the deterioration rates of the bridges in its bridge networks. Therefore, we conducted a search of the available deterioration rates of bridge networks with similar deterioration factors. According to Huang et al. [16], bridge deterioration factors, identified in past studies, can be divided in four main groups, including environmental (mainly weather) conditions, traffic volume, bridge type, and physical specification of the bridge. Among these four deterioration factors, weather conditions and traffic volume are external factors dependent on the bridge network’s region; two other factors are internal factors linked to each specific bridge. Deterioration curves prepared by NDR [14] for Nebraska, USA, which has similar weather conditions and traffic volume, is used in this research. Since both regions, i.e., Kohgiluyeh and Boyer Ahmad and Nebraska, have relatively close weather conditions and traffic volume, we do not expect much inaccuracy in the model. For example, as Table 3 presents, Yasuj, the capital of Kohgiluyeh and Boyer Ahmad province, on average is about 4°C warmer in both average high and low temperatures as compared to Lincoln, the capital of Nebraska. While the average annual precipitation is 865 mm in Yasuj, Lincoln has an average annual precipitation of 735 mm. Furthermore, based on population [17 – 18] and vehicle per capita [19 –20] statistics, vehicle congestion in Kohgiluyeh and Boyer Ahmad is estimated at 9.3 vehicles/km², while there are 10 vehicles/km² in Nebraska.

5.3 GA MODEL PARAMETERS

The optimum size of each generation’s population, crossover operation and mutation operation, as well as the number of iterations and values of magnifying factors in the evaluation function are determined through trial and error. A population size of 300 is used for each generation. Crossover operation is executed on 40% of genes in the main population, and the mutation operation is executed on 90% of those. In the crossover operation, roulette wheel selection technique is used for selecting parents, and the operation uses a combination of single-point and two-point technique for creating offspring [21]. In the mutation, 0.1% of chromosome genes, i.e. 60 genes, participate in the operation. The number of iterations is 2000. The values of magnifying factors are $10^{10}$ for M1 (Equation 4) and $10^{3}$ for M2 (Equation 6).
5.4 MODEL VERIFICATION AND VALIDATION

A series of validity tests are run to investigate the model’s usefulness and reveal capabilities, limitations, and flaws for further refinement. The model structure validation test was applied during development by presenting the model to RTMO experts and receiving their feedback. To test legitimacy of the model’s behavior, sensitivity analysis on several model parameters is conducted.

Different scenarios are defined to test the model. Two parameters are compared in these scenarios: Total cost of maintenance and average condition mark for whole network. All scenarios are applied to the case study.

Scenario 1: In this case, parameters are set as discussed in case study, with a maximum acceptable condition mark of 4.5 and a budget limit of $6.28 million. This scenario is the ideal form of maintenance scheduling resulting from the GA model. Every scenario is compared with Scenario 1.

Scenario 2: As discussed, the current method of scheduling maintenance activities in RMTO is by simple ranking. In this scenario, scheduling based on simple ranking is taken into account. However, the outputs of this scenario don’t come from the GA model.

Scenario 3: The organization may wish to generate a plan without budget limit. In this case, the model doesn’t consider the third part of objective function in optimization process.

Scenarios 4 and 5: In these scenarios, different MAC marks are considered. In Scenario 4, we set a maximum of 2.5, with 3.5 in scenario 5.

Table 4 presents major outputs of the model for each of the scenarios. According to this table, the simple ranking method costs twice as much when compared to Scenario 1, and produces an average condition mark that is slightly worse. In Scenario 3, the GA model gives a better average condition mark with a vastly higher cost, which was the expected result of lifting budget limitations. In Scenarios 4 and 5, as the MAC mark gets higher (indicating worse condition), total maintenance costs get lower.
5.3 MODEL RESULTS

The model was run for four hours to reach 2000 iterations; however, no significant improvement is seen in the model after iteration 500. Figure 6 presents improvements in values of the evaluation function over different model iterations. One rapid improvement is achieved during the first iteration, where the values of component 2 (Equation 4) and component 3 (Equation 6) of the evaluation function converge to zero and the effects of magnifying factors become minimal; however, the value of component 1 (Equation 3) continued to improve during iterations. The evaluation function value of the final plan equals to $8000 over the course of 20 years, indicating only the value of component 1. The zero values achieved for the other two components shows that there is no minimum acceptable service level. Minimum levels, beyond a condition mark of 4.5 and budget violations, over 10% allowance, didn’t occur in the best maintenance planning.

According to the results achieved for a period of 20 years RTMO needs a total budget of $6.29 million, which is only 2% higher than the total initial budget actually set for the network. Table 5 represents the initial annual budget with the adjusted annual budget resulting from the model. The average condition mark of the different bridge elements during this period is 1.45, showing a significant improvement compared to the current status of the bridge network, which has an average service condition of 2.42. Our calculations show that if RTMO follows a simple ranking method for scheduling maintenance activities for the next 20 years, the average service level will be 1.96, which is more that 0.5 marks worse than that proposed by the model.

6. CONCLUSION

Proper bridge maintenance plays an essential role in the durability of a bridge. The high cost of maintenance activities and limited budget available for a network of bridges, with different types of bridges and different service levels, makes management of the network a challenging job, further complicated by a multitude of choices regarding long-term maintenance costs of the bridge network. To overcome this issue, in this study, we proposed a new bridge network planning model using GA. This model addresses some limitations of previously developed infrastructure maintenance planning
models by expanding the planning horizon to longer terms, narrowing down the maintenance planning assignments to the bridge element level, adding capacity for multiple maintenance job assignments for a single bridge element over the course of the planning horizon, and following different deterioration trends for bridge elements over the course of planning by making use of a set of GA chromosome and auxiliary matrices.

The applicability of the proposed model was tested using a network of bridges in Kohgiluyeh and Boyer Ahmad province in southwest Iran managed by RTMO (the bridge maintenance management body of Iran’s Department of Transportation). The results of the model implementation showed an improvement in the average service level of the bridge network, with similar costs as compared with the current maintenance planning approach adopted by RTMO. The proposed model is based on regular input data normally created by a BMS. For example, in RTMO case study, only available data in RMTO database is used; no additional data was collected for running the proposed model. Most complexity involved in the proposed model is handled by existing computer programs. However, training sessions are required for BMS planners and decision makers to be able to set up and run the developed computer program as part of their normal operations. Ultimately, the result of the model presents an updated prioritization for annual bridge maintenance activities undertaken by the maintenance team.

REFERENCES


[23] UCD (US Climate Data), Report Climate Lincoln – Nebraska, Available:

TABLE CAPTIONS

Table 1. Values of matrix Cr for cost rate of different element of different types of bridges with different condition marks (US$ per unit size of element)

Table 2. Values of matrix IP for importance factor of different bridges

Table 3. Weather condition comparison between capitals of Kohgiluyeh and Boyer Ahmad, Yasuj [22] and Nebraska, Lincoln [23]

Table 4. Outputs of the model for different Scenarios

Table 5. Initial annual budget versus adjusted annual budget resulted from the model (Thousand $)
FIGURE CAPTIONS

**Figure 1.** Schematic view of chromosome X which stores maintenance planning decisions over the planning horizon.

**Figure 2.** Schematic view of matrix E which stores the types of bridges in network.

**Figure 3.** Schematic view of matrix Cnd which stores annual condition of the bridge network after maintenance activities done.

**Figure 4.** Schematic view of matrix Cr for storing maintenance cost rates.

**Figure 5.** Distribution of bridge element condition mark ranges (in brackets) in Kohgiluyeh and Boyer Ahmad bridge network in 2016.

**Figure 6.** Evaluation function improvement over different iterations.
Table 1. Values of matrix Cr for cost rate of different element of different types of bridges with different condition marks (US$ per unit size of element)

a. Concrete slab and beam bridges lower than 6 meters height

<table>
<thead>
<tr>
<th>Element</th>
<th>Condition Mark</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>1.5</td>
</tr>
<tr>
<td>Deck</td>
<td>7.4</td>
</tr>
<tr>
<td>SuperStructure</td>
<td>8.6</td>
</tr>
<tr>
<td>SubStructure</td>
<td>8.0</td>
</tr>
</tbody>
</table>

b. Concrete slab and beam bridges higher than 6 meters height

<table>
<thead>
<tr>
<th>Element</th>
<th>Condition Mark</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>1.5</td>
</tr>
<tr>
<td>Deck</td>
<td>10.9</td>
</tr>
<tr>
<td>SuperStructure</td>
<td>12.6</td>
</tr>
<tr>
<td>SubStructure</td>
<td>11.4</td>
</tr>
</tbody>
</table>

c. Concrete slab and steel beam bridges

<table>
<thead>
<tr>
<th>Element</th>
<th>Condition Mark</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>1.5</td>
</tr>
<tr>
<td>Deck</td>
<td>10.9</td>
</tr>
<tr>
<td>SuperStructure</td>
<td>11.4</td>
</tr>
<tr>
<td>SubStructure</td>
<td>10.3</td>
</tr>
</tbody>
</table>

d. Flat slab bridge

<table>
<thead>
<tr>
<th>Element</th>
<th>Condition Mark</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>1.5</td>
</tr>
<tr>
<td>Deck</td>
<td>10.3</td>
</tr>
<tr>
<td>SuperStructure</td>
<td>11.4</td>
</tr>
<tr>
<td>SubStructure</td>
<td>10.3</td>
</tr>
</tbody>
</table>

* The cost of maintenance for condition mark of 5 is a fake number for making penalty to avoid reaching condition mark more than maximum acceptable condition.
Table 2. Values of matrix IP for importance factor of different bridges

| Bridge number | 1   | 2   | 3   | 4   | 5   | 6   | 7   | 8   | 9   | 10  | 11  | 12  | 13  | 14  | 15  | 16  | 17  | 18  | 19  | 20  |
|---------------|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|
| Importance factor | 1.1 | 2   | 1.3 | 1.5 | 1.9 | 1.1 | 1.6 | 1   | 1.9 | 1.4 | 1.1 | 1.8 | 1.8 | 1.1 | 1.7 | 1.5 | 1.1 | 1.1 | 1.1 |
| Bridge number | 21  | 22  | 23  | 24  | 25  | 26  | 27  | 28  | 29  | 30  | 31  | 32  | 33  | 34  | 35  | 36  | 37  | 38  | 39  | 40  |
| Importance factor | 1.8 | 1.3 | 1.8 | 1.5 | 1   | 1.8 | 1.5 | 2   | 1.8 | 1.4 | 1.9 | 1.3 | 1.4 | 1.9 | 2   | 1.6 | 1.9 | 2   | 1.8 | 1   |
| Bridge number | 41  | 42  | 43  | 44  | 45  | 46  | 47  | 48  | 49  | 50  | 51  | 52  | 53  | 54  | 55  | 56  | 57  | 58  | 59  | 60  |
| Importance factor | 1.8 | 1.1 | 1.1 | 1.3 | 1.6 | 1.8 | 1.7 | 1.6 | 1.2 | 1.8 | 1.2 | 1.4 | 1.1 | 1.7 | 1.4 | 1.8 | 1.3 | 1.1 | 1.7 | 1.3 |
| Bridge number | 61  | 62  | 63  | 64  | 65  | 66  | 67  | 68  | 69  | 70  | 71  | 72  | 73  | 74  | 75  | 76  | 77  | 78  | 79  | 80  |
| Importance factor | 1.5 | 1.4 | 1.9 | 2   | 1   | 1.7 | 1.6 | 1.2 | 1.8 | 1.1 | 2   | 1.9 | 1.3 | 1.3 | 1.1 | 1.7 | 1.1 | 1.3 | 1   | 2   |
| Bridge number | 81  | 82  | 83  | 84  | 85  | 86  | 87  | 88  | 89  | 90  | 91  | 92  | 93  | 94  | 95  | 96  | 97  | 98  | 99  | 100 |
| Importance factor | 2   | 1   | 1.4 | 1.2 | 1.6 | 1.5 | 1.8 | 2   | 1.6 | 1   | 1.7 | 1.9 | 1.9 | 1.3 | 1.4 | 1.5 | 1.4 | 2   | 1.6 |
Table 3. Weather condition comparison between capitals of Kohgiluyeh and Boyer Ahmad, Yasuj [22] and Nebraska, Lincoln [23]

<table>
<thead>
<tr>
<th></th>
<th>Yasuj</th>
<th>Lincoln</th>
</tr>
</thead>
<tbody>
<tr>
<td>Average high</td>
<td>22.4</td>
<td>17.3</td>
</tr>
<tr>
<td>temperature °C</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Average low</td>
<td>8.0</td>
<td>4.4</td>
</tr>
<tr>
<td>temperature °C</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Average annual</td>
<td>865</td>
<td>735</td>
</tr>
<tr>
<td>precipitation mm</td>
<td></td>
<td></td>
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</tbody>
</table>

Table 4. Outputs of the model for different Scenarios

<table>
<thead>
<tr>
<th>Scenario</th>
<th>Cost (Million $)</th>
<th>Average Condition Mark</th>
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<tbody>
<tr>
<td>1</td>
<td>6.29</td>
<td>1.45</td>
</tr>
<tr>
<td>2</td>
<td>13.5</td>
<td>1.9</td>
</tr>
<tr>
<td>3</td>
<td>28.48</td>
<td>1.27</td>
</tr>
<tr>
<td>4</td>
<td>10.72</td>
<td>1.3</td>
</tr>
<tr>
<td>5</td>
<td>9.04</td>
<td>1.37</td>
</tr>
</tbody>
</table>
Table 5. Initial annual budget versus adjusted annual budget resulted from the model (Thousand $)

<table>
<thead>
<tr>
<th>Year</th>
<th>1</th>
<th>2</th>
<th>3</th>
<th>4</th>
<th>5</th>
<th>6</th>
<th>7</th>
<th>8</th>
<th>9</th>
<th>10</th>
</tr>
</thead>
<tbody>
<tr>
<td>Supposed budget</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
</tr>
<tr>
<td>Adjusted budget</td>
<td>2305</td>
<td>23</td>
<td>305</td>
<td>1176</td>
<td>112</td>
<td>76</td>
<td>364</td>
<td>26</td>
<td>385</td>
<td>747</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Year</th>
<th>11</th>
<th>12</th>
<th>13</th>
<th>14</th>
<th>15</th>
<th>16</th>
<th>17</th>
<th>18</th>
<th>19</th>
<th>20</th>
</tr>
</thead>
<tbody>
<tr>
<td>Supposed budget</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
<td>314</td>
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<td>314</td>
</tr>
<tr>
<td>Adjusted budget</td>
<td>9</td>
<td>21</td>
<td>13</td>
<td>17</td>
<td>21</td>
<td>40</td>
<td>60</td>
<td>271</td>
<td>269</td>
<td>175</td>
</tr>
</tbody>
</table>
b – Gene setting of every bridge within the chromosome

\[ \begin{align*}
\text{Bridge 1} & \quad \text{Bridge 2} \quad \text{Bridge n} \\
\text{element 1} & \quad \text{element m} & \quad \text{element 1} & \quad \text{element m} & \quad \text{element 1} & \quad \text{element m} \\
\text{Bridge i} & \quad \text{Bridge i} \quad \text{Bridge i} \\
\text{1st element} & \quad \text{2nd element} \quad \text{mth element} \\
\text{x}_{11} & \quad \text{x}_{12} & \quad \ldots & \quad \text{x}_{1t} & \quad \text{x}_{21} & \quad \text{x}_{22} & \quad \ldots & \quad \text{x}_{2t} & \quad \ldots & \quad \text{x}_{m1} & \quad \text{x}_{m2} & \quad \ldots & \quad \text{x}_{mt}
\end{align*} \]

\( n \): number of bridges, \( m \): number of bridge elements

xijt: Maintenance planning decision for element \( j \) of bridge \( i \) in year \( t \).

a - A macro view of chromosome X for the planning year of \( t \)

**Figure 1.** Schematic view of chromosome X which stores maintenance planning decisions over the planning horizon.
Figure 2. Schematic view of matrix $E$ which stores the types of bridges in network

<table>
<thead>
<tr>
<th>$e_1$</th>
<th>$e_2$</th>
<th>...</th>
<th>$e_n$</th>
</tr>
</thead>
</table>

$e_i$: Bridge type of $i^{th}$ bridge
b - Element setting within matrix Cnd for every bridge

a - A macro view of matrix Cnd for the planning period of t

Figure 3. Schematic view of matrix Cnd which stores annual condition of the bridge network after maintenance activities done
Crk: Set of elements within matrix Cr representing cost rates for different types of bridges with maintenance condition of k

**Figure 4.** Schematic view of matrix Cr for storing maintenance cost rates
Figure 5. Distribution of bridge element condition mark ranges (in brackets) in Kohgiluyeh and Boyer Ahmad bridge network in 2016.
Figure 6. Evaluation function improvement over different iterations

BIOGRAPHIES

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