

1 **STREAMFLOW MAP OF THE EASTERN BLACK SEA REGION,**
2 **TURKEY**

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12 **Abstract**

13 The purpose of this study is to generate a streamflow map for the coastal part of the Eastern
14 Black Sea Region which is located in the north east of Turkey. The topographic structure of
15 the region is an obstacle in terms of the number of observation gauges. In order to determine
16 spatial variation of flow and to estimate flow on any ungauged points in the region,
17 interpolation between gauged and ungauged points is applicable. For this purpose, any
18 hydrological models which depend on a large number of meteorological dataset can be used.
19 Instead, in this study, ordinary and universal kriging as geostatistical interpolation methods
20 are used to interpolate mean annual flow depth over the study area, thus, flow values on
21 ungauged points can be easily estimated. Kriging methods are compared to simple regression
22 based on the relationship between flow data and basin area. Calibration results of observed
23 and estimated flow depths for ordinary and universal kriging methods are satisfactory, the
24 determination coefficients are found to be 0.84 and 0.87, respectively. Besides, the validation

25 results show that the performance of kriging methods is superior compared to the regression
26 model.

27 **Keywords:** Streamflow map, ordinary kriging, universal kriging, simple regression, the Eastern
28 Black Sea Region

29

30 **1. INTRODUCTION**

31 Spatially distributed hydrological models provide more cost-effective means of determining
32 water potential assessment within a basin; however the accuracy of model results depends
33 strongly on the accuracy of model inputs, particularly precipitation observations. In
34 mountainous regions, most of the precipitation observations usually have 30% or higher error
35 whereas streamflow errors vary from 5% to 10%–15% [1]. In addition, the number of
36 observation gauges is limited in developing countries. Besides, in cases where spatial
37 streamflow estimation for longer periods such as monthly, seasonal or annual-scale is
38 required, simpler relationships may prove sufficient approximation [2]. In order to avoid the
39 complexity of hydrological models which depends on accurate and large number of
40 meteorological dataset, available flow observation data can be used for determining spatial
41 variation of streamflow.

42 Spatial variability of flow has been represented by various techniques. For instance, flow
43 depth has been defined as a regionalized phenomenon that used a centroid based method by
44 performing ordinary kriging to predict long-term streamflows corresponding to different
45 exceedance probabilities over space and time [2]. The method locating gauged flow values at
46 the centroids of the basins was previously used for runoff mapping [3, 4, 5]. This approach
47 was also used for flood regionalization [6]. The main idea in this study was that spatial
48 proximity is a significantly better estimator of regional flood frequencies than are basin
49 attributes.

50 The total area in mapping can sometimes be divided into fundamental units, i.e. sub-dividing
51 a larger basin into sub drainage basins or into a regular grid network. The drainage basins can
52 be defined by points in space and during the mapping processes average of the runoff from all
53 the sub drainage basins that fall within a grid cell are used. A disadvantage of this method is
54 that some cells don't include observation points. To overcome this problem, a deterministic
55 interpolation was applied and used as the Triangulated Irregular Network (TIN) technique
56 (i.e. linear interpolation within the TIN facets represented by the gauging station which has
57 been considered as nodes) [7].

58 Other studies are based on disaggregation and covariance approaches [8, 9]. These approaches
59 were developed for mapping annual runoff along the river network using water balance
60 constraints in the estimations [10]. It was subsequently extended, generalized and applied to
61 mean annual runoff coupled with empirical relations and was presented by an application to
62 assess water resources in France [11]. Effects of local features such as karst and river
63 regulations were then added into this approach to produce the maps of mean runoff for France
64 [12].

65 Top-kriging (topological kriging) was presented in ungauged catchments [13] as a method to
66 estimate streamflow-related variables. The concept was built [10] and extended in a number
67 of ways. Although the method was tested for the 100-year flood case for two Austrian
68 regions, it can be used to spatially interpolate for a range of streamflow-related variables such
69 as mean annual flow, low flow and flood characteristics, and it provides more robust
70 estimates than regional regression models [14]. Top-kriging has been recently used to
71 estimate flood quantiles and flow duration curves for ungauged sites and has been compared
72 to canonical kriging and regression equations [15, 16]. Block kriging was coupled with water
73 balance and data uncertainty analyses to estimate mean annual runoff for a large basin in
74 China [17].

75 In this study, it is aimed to determine spatial variation of flow for the coastal part of the
76 Eastern Black Sea Region, Turkey since such a study is not available for the region.
77 Considering that the region has a significant hydropower potential [18], importance of
78 knowing flow at ungauged points. The coastal part of the Eastern Black Sea Region is
79 mountainous such that most of the precipitation observation stations were located in the valley
80 floors and they could not represent orographic precipitation characteristics of the region [19].
81 Because of this, use of any hydrological model based on precipitation data is not convenient
82 to determine flow variability for the study area. In order to produce a streamflow map, a
83 previous study [2] which was based on kriging application for different exceedance
84 probabilities of streamflow estimation is followed. The difference of this study from the
85 previous one is the use of mean annual flow observation data instead of flow data
86 corresponding to different exceedance probabilities. Besides, this study includes a universal
87 kriging application to produce streamflow map for the coastal part of the Eastern Black Sea
88 Region.

89

90 **2. STUDY AREA and DATA**

91 The study area is the coastal part of the Eastern Black Sea Region which is situated in the
92 north east of Turkey, between the coordinates 40° 31' - 41° 24' North and 38° 08' -
93 41° 26' East. This coastal part can be defined as the region between the Eastern Black Sea
94 Mountain chain and the Black Sea (Fig. 1). The Eastern Black Sea Mountain chain is parallel
95 to the coast as the north boundary of the study area, and it rises to more than 3000 m above
96 msl (mean sea level). The Black Sea Region has a rocky steep coast [20].
97 Humid and mild climate dominates in the coastal area of the Eastern Black Sea Region.
98 Yearly average temperature in the coastline is about 14-15 °C, however it decreases with

99 increasing elevation. Snowfall can be seen in winter. The mean precipitation of the coastal
100 part of the study area is more than 1000 mm, and in many points it exceeds 2000 mm.
101 Mean annual flow observations from 40 flow gauges are used in this study. Locations of the
102 gauges are shown in Fig. 1. Area and elevations of the flow gauges are given in Table 1. “No”
103 column of Table 1 corresponds to numbers on the map in Fig. 1.
104 The flow observation record length varies from 10 to 49 between years 1944 and 2006 with
105 some gaps in the data. In order to complete a gap in any gauge record, regression equations
106 were generated using continuous data from the neighboring gauges. The observed flows are
107 not influenced by any upstream water structure or dam. Data homogeneity was first checked
108 out with the double mass curve method. Mann-Kendall trend test was also performed. It was
109 found that 22 gauges out of 40 were homogeneous and no trend was found. For the remaining
110 18 gauges, the non-homogeneity and/or the available trends were insignificant [20]. The most
111 significant difference between the observed and the adjusted flow was found 17.5% in
112 Kanlipelit (No 12). Other gauges among these 18 flow gauges showed less significant
113 differences such that mean annual flow records were used without any adjustment.
114 Elevation of both rain and flow gauges, flow direction and accumulation which are the
115 requirements of stream network, drainage basin area of the flow gauges are delineated in
116 Geographical Information System (GIS) environment. Digital elevation model (DEM) is
117 produced from Shuttle Radar Topographical Mission (SRTM) with about 90 m resolution.
118 Universal Transverse Mercator (UTM) coordinate system is used in the study.

119

120 **3. METHOD**

121 Kriging is a spatial interpolation technique which incorporates spatial correlation models
122 formulated by covariance or variogram functions. Kriging provides optimal linear estimations

123 at ungauged points by assuming that the spatial variation of the property is a realisation of a
 124 random function that has been observed at data points only [21].

125 The first step in the kriging process is to obtain a model of spatial autocorrelation, variogram.

126 The empirical (experimental) variogram $\gamma^*(h)$ is defined as:

$$127 \quad \gamma^*(h) = \frac{1}{2N(h)} \sum_{i=1}^{N(h)} [z(x_i + h) - z(x_i)]^2 \quad (1)$$

128 where h is the distance (also called the lag) of two observation points $z(x_i)$ and $z(x_i+h)$,
 129 measures of $z(x)$ on locations x_i and $x_i + h$. $N(h)$ is the total number of observation points
 130 linked by h .

131 The variogram $\gamma^*(h)$ is a graph which relates the differences of the regionalized variable z to
 132 the distance h between the data points. Experimental variogram is obtained using the
 133 observation points and needs to be approximated by a theoretical function $\gamma(h)$ which allows
 134 one to predict the variogram analytically for any distance, h . The theoretical models most
 135 commonly used are Gaussian, Spherical, Exponential etc. characterized by the parameters
 136 range, sill and nugget.

137 Once the theoretical variogram has been fitted to the experimental one, it is possible to apply
 138 the prediction by kriging. In kriging, the estimated value $z(x_o)$ at location x_o is a linear
 139 combination of observed values $z(x_i)$, $i = 1, \dots, N$ located in the neighbourhood of x_o :

$$140 \quad z(x_o) = \sum_{i=1}^N \lambda_i z(x_i) \quad (2)$$

141 where the unknowns of the equation are the weights λ_i . These weights are found by solving a
 142 system of linear equations which is known as “ordinary kriging system”:

$$143 \quad \begin{cases} \sum_{j=1}^N \lambda_j \gamma(x_i - x_j) - \mu = \gamma(x_o - x_i) \\ \sum_{j=1}^N \lambda_j = 1 \end{cases} \quad (3)$$

144 In Eq. (3), (x_i-x_j) represents the Euclidian distance between x_i and x_j , γ is the theoretical
 145 variogram and μ is the Lagrangian multiplier. Ordinary kriging assumes that the random field
 146 has a constant but unknown mean. However, in practice, environmental fields often show
 147 non-constant mean values. To remedy nonstationarity problem, universal kriging was
 148 developed. Universal kriging can model tendency by some form of trend surface and then
 149 compute the semivariogram using residual values from that surface. Universal kriging system
 150 in which trend is often a function of coordinates is shown as:

$$151 \begin{cases} \sum_{j=1}^N \lambda_j \gamma(x_i - x_j) + \sum_{l=1}^k \mu_l f_l(x_i) = \gamma(x_0 - x_i) \\ \sum_{j=1}^N \lambda_j f_l(x_j) = f_l(x_0) \end{cases} \quad (4)$$

152 where f_l is the l -th basic function of spatial coordinates that describes drift. k is the number of
 153 functions used in drift modeling. μ_l is the Lagrangian multiplier associated with the l -th
 154 unbiased condition.

155 Detailed information about kriging method can be found in [22, 23, 24].

156

157 4. RESULTS AND DISCUSSION

158 Flow depth can be calculated by dividing total flow volume (Q_i) for a given period at a site i
 159 to basin area above the i -th site (A_i). Flow depth (Q_i/A_i) as a regionalized variable, is
 160 uniformly distributed throughout the basin indicating a homogeneous basin where the increase
 161 in flow volume is proportional to enlargement of the basin area. If the stationarity hypothesis
 162 is valid, ordinary kriging is applicable. This hypothesis can be proved by investigating the
 163 relationship between flow and basin area for nested basins, i.e. the basin of one gauge is part
 164 of a larger basin contributing to another gauge [2]. However, the study area includes a mixture
 165 of nested and non-nested basins; therefore nested basins are separated and investigated using
 166 their flow data and areas. As seen from Fig. 2, flow increases with the basin area for nested

167 basins in the region. For the coastal part of the Eastern Black Sea Region, the rainy and humid
 168 climate is responsible of abundance water resources in the basins where both flow and flow
 169 depth increase in the downstream direction. Based on the approximate linear relationship
 170 between flow and basin area for the nested basins and climate characteristics of the region,
 171 flow depth is assumed to be homogenously distributed all over the region and therefore
 172 ordinary kriging can be applied.

173 On the other hand, being different from other meteorological variables such as precipitation,
 174 flow depth is related to basin area and represents an area instead of a point. Therefore, the
 175 representative value of the flow depth is allocated on the centroid of the basin [2] instead of
 176 the actual observation location which is the outlet of the basin. Centroids of each basin in the
 177 study area are shown in Fig. 1.

178 As geostatistics works generally best when data have a normal distribution, flow data has
 179 been checked against normality. The data were found to be normally distributed at α
 180 significance level of 0.05. In developing the empirical variogram, only the isotropy case is
 181 considered. Because of the limited data, only the omnidirectional variogram is computed,
 182 which means in all directions the spatial variability is assumed to be identical [25].
 183 Theoretical model fitting is carried out using one of the most applied methods, cross-
 184 validation approximation. The empirical isotropic variogram and fitted model are shown in
 185 Fig. 3. A Gaussian model is fitted and cross-validated with observed data. The validity of
 186 Gaussian model is verified using determination coefficient (R^2), Root Mean Square Error
 187 ($RMSE$) and mean standardized residual error ($MSRE$) calculated as:

$$188 \quad RMSE = \left[\frac{1}{N} \sum_{i=1}^N (Q_{est_i} - Q_{obs_i})^2 \right]^{1/2} \quad (5)$$

$$189 \quad MSRE = \left[\frac{1}{N} \sum_{i=1}^N (Q_{est_i} - Q_{obs_i}) / \sigma_i \right] \quad (6)$$

190 where Q_{est} and Q_{obs} represent estimated and observed flows and N is the number of data, σ is
191 the standard deviation of estimation error. The best fit of a theoretical model to an empirical
192 variogram is achieved when $MSRE$ equals to approximately zero. On the other hand, $RMSE$ is
193 better for the estimation efficiency of the extremes [26, 27].

194 Cross validation result of observed and estimated flow depth values for ordinary kriging
195 method are given in Table 2 and Fig. 4 (a). As seen from Table 2, $RMSE$ value is 185.76 mm
196 for flow depth data of which minimum, mean and maximum values are 382.0, 996.3 and
197 2284.9 mm, respectively.

198 A previous study [28] has indicated that spatial distribution of precipitation on the coastal part
199 of the Eastern Black Sea Region is not homogenous. Precipitation increases slightly with
200 longitude which means northeastern part of the region receives greater precipitation than does
201 the western part. Due to precipitation amount, flow values of the southern part are greater,
202 namely a trend is observed in the flow depth data such that the average varies over the study
203 area. As previously defined, universal kriging can incorporate the effect of the trend. The
204 universal kriging algorithm can produce a trend model by fitting a polynomial function to the
205 flow depth data. The locations of flow observation points are plotted on the x - y plane and
206 depicted in Fig. 5 from which a quadratic trend on the east-west direction and a linear trend
207 on the north-south direction are observed. These trends represented by a mathematical
208 formula are removed from the observations and added back before estimations are made.
209 Cross validation results of observed and estimated flow depth values for universal kriging are
210 given in Table 2 and Fig. 4 (b), after removing trends from the data. As seen from Table 2 and
211 Fig. 4, the difference in calibration between ordinary and universal models is minor, however
212 universal method seems better based on the R^2 (0.87) and $MSRE$ (-0.009) values.

213 The kriged maps of flow depth are shown in Fig. 6. Streamflow maps are similar. Increase in
214 the flow depth from west to east side of the study area is clear in both maps.

215 To test the validity of the flow depth map, 6 among 40 flow gauges are randomly chosen. The
216 validation results of randomly chosen gauges are summarized in Table 3 where *RE* shows the
217 relative error in percent, calculated as:

$$218 \quad RE = \frac{Q_{est} - Q_{obs}}{Q_{obs}} \times 100 \quad (7)$$

219 The equivalent flow depths are multiplied by their corresponding areas and flow estimations
220 (Q_{est}) at any validation points are yielded. In the validation stage, kriging methods are
221 compared to simple regression equation which is shown in Fig. 7. R^2 of area based regression
222 equation is 0.70 which is lower than that of kriging methods. Although R^2 value can be
223 statistically accepted, this result confirms that drainage area alone is not adequate to explain
224 regional differences in annual streamflow [29]. In addition, R^2 seemed to be partially
225 controlled by the position of greater values (points on upper right position in Figure 7) which
226 indicates an unstable situation [30].

227 In the validation stage, minimum and maximum relative errors are -39.8 and 14.2 in ordinary,
228 -42.0 and 14.7 in universal whereas these are -50.2 and 59.7 using regression equation.
229 Relative errors are high in low flow estimations, as a comparison criterion it seems to be
230 meaningless and the absolute error (*AE*) which is the difference between estimation and
231 observation can therefore be accepted. For the gauge Cucenkopru (No 9) which has the
232 highest *RE*, *AEs* are found to be -2.26 and -2.39 m³/s in ordinary and universal models,
233 respectively. The validation results appear satisfactory in terms of kriging methods.

234

235 5. CONCLUSIONS

236 In this study, to determine spatial variation of flow, streamflow maps were produced for the
237 coastal part of the Eastern Black Sea Region, Turkey. The mean annual flow depth was
238 considered as a regionalized variable, thus ordinary and universal kriging methods could be
239 applied.

240 Mean annual flow depth is obtained using mean annual flow observation which represents the
241 difference annual evaporation and precipitation and provides a measure of the overall water
242 resource for a region. It gives a valuable information for the basin under consideration and
243 useful for comparing water amount of one basin with those of another. It is used for surface
244 water hydrology and hydrologic design and is characterizing flow regime in a stream.

245 In this study, two kriging methods are used. Ordinary Kriging is commonly used in practice
246 and has various applications in streamflow estimation studies. On the other hand, universal
247 kriging assumes a trend is available over the area. Universal kriging is also performed due to
248 spatial variability of the precipitation in the study area.

249 Kriging methods were compared to simple regression based on the relationship between flow
250 data and basin area. From this study, following conclusions can be drawn:

- 251 • Kriging application of mean annual flow depth gives satisfactory results meaning that it is
252 applicable on flow data at annual time scale.
- 253 • The performance of kriging models was superior compared to the regression model based
254 on the flow data and basin area relationship. Considering calibration results, universal
255 kriging was better than ordinary kriging but the difference was not statistically significant.
- 256 • The flow depth map can be a useful tool for flow estimation on ungauged locations in the
257 Eastern Black Sea Region. Promising results of calibration and validation encourage one
258 to suggest this method for other hydrologic applications in different regions in Turkey.

259

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264

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335 **Figure Captions**

336

337 **Figure 1.** Study area and flow gauges with basin boundaries

338 **Figure 2.** Relationship between flow and basin area for nested basins

339 **Figure 3.** Experimental variogram of the flow depth with Gaussian model fitted

340 **Figure 4.** Cross validation of observed and estimated flow depth for (a) ordinary and (b)

341 universal kriging

342 **Figure 5.** Trend analysis of flow depth data

343 **Figure 6.** Streamflow maps produced using (a) ordinary and (b) universal kriging for the

344 study area

345 **Figure 7.** Simple regression relationship between flow data and basin area

346 **Table Captions**

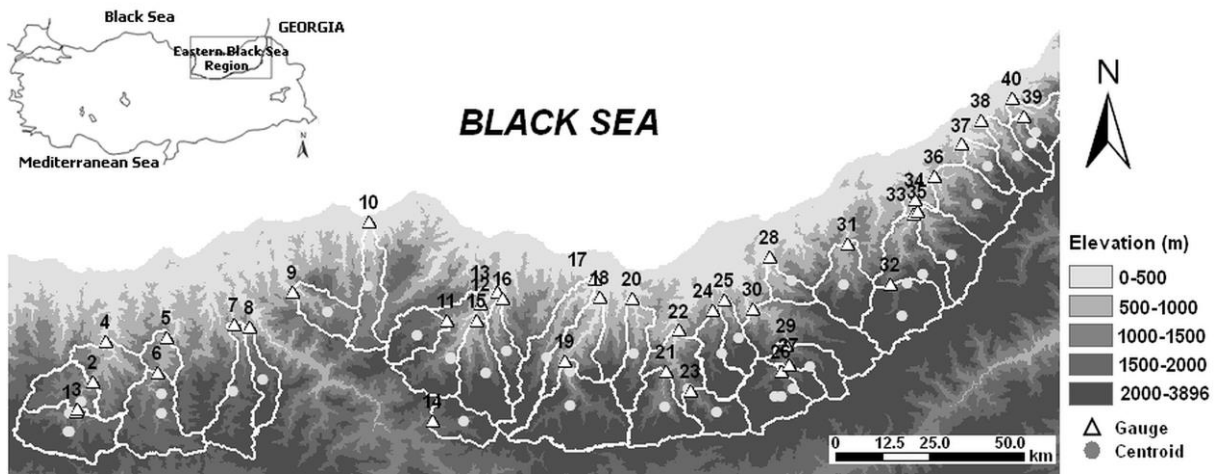
347

348 **Table 1.** Area and elevation of the flow gauges

349 **Table 2.** Cross validation of flow depth

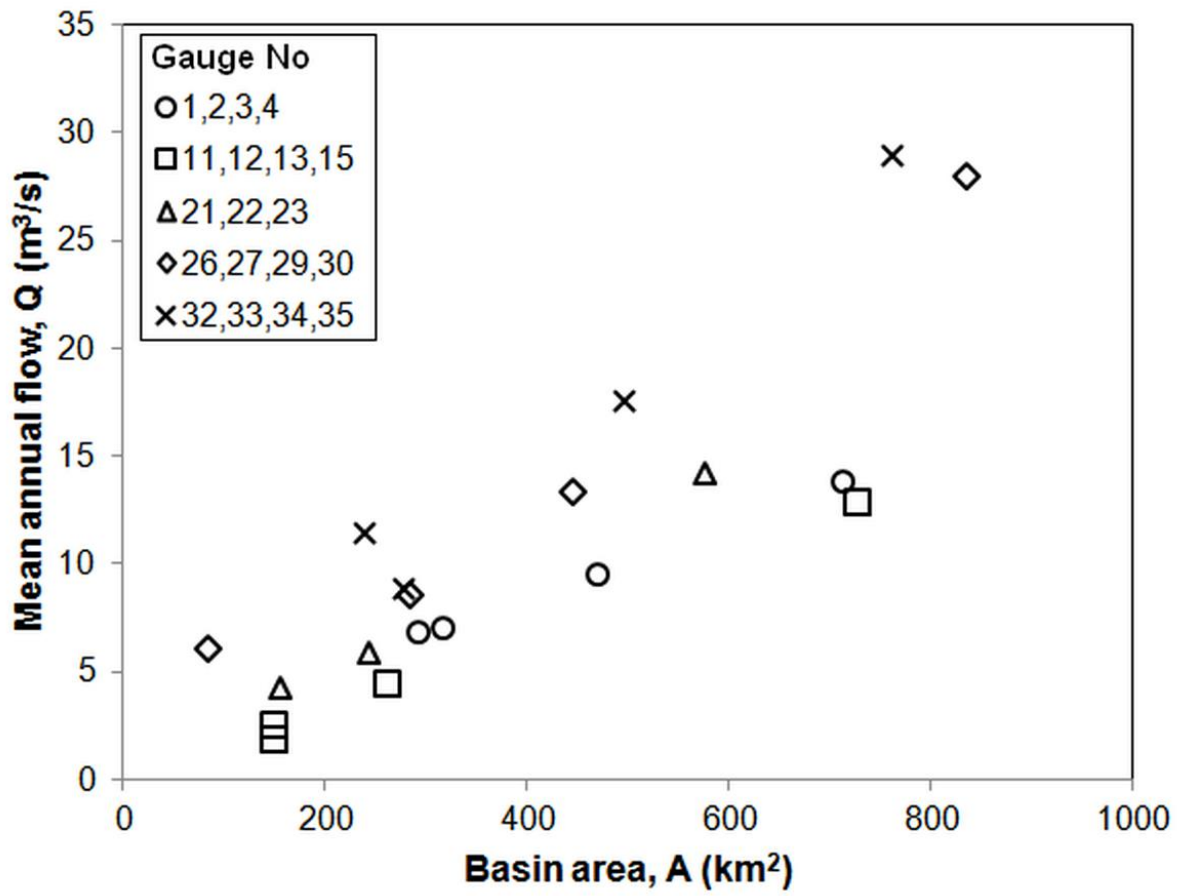
350 **Table 3.** Validation results based on the streamflow maps and regression

351 **Figure 1**



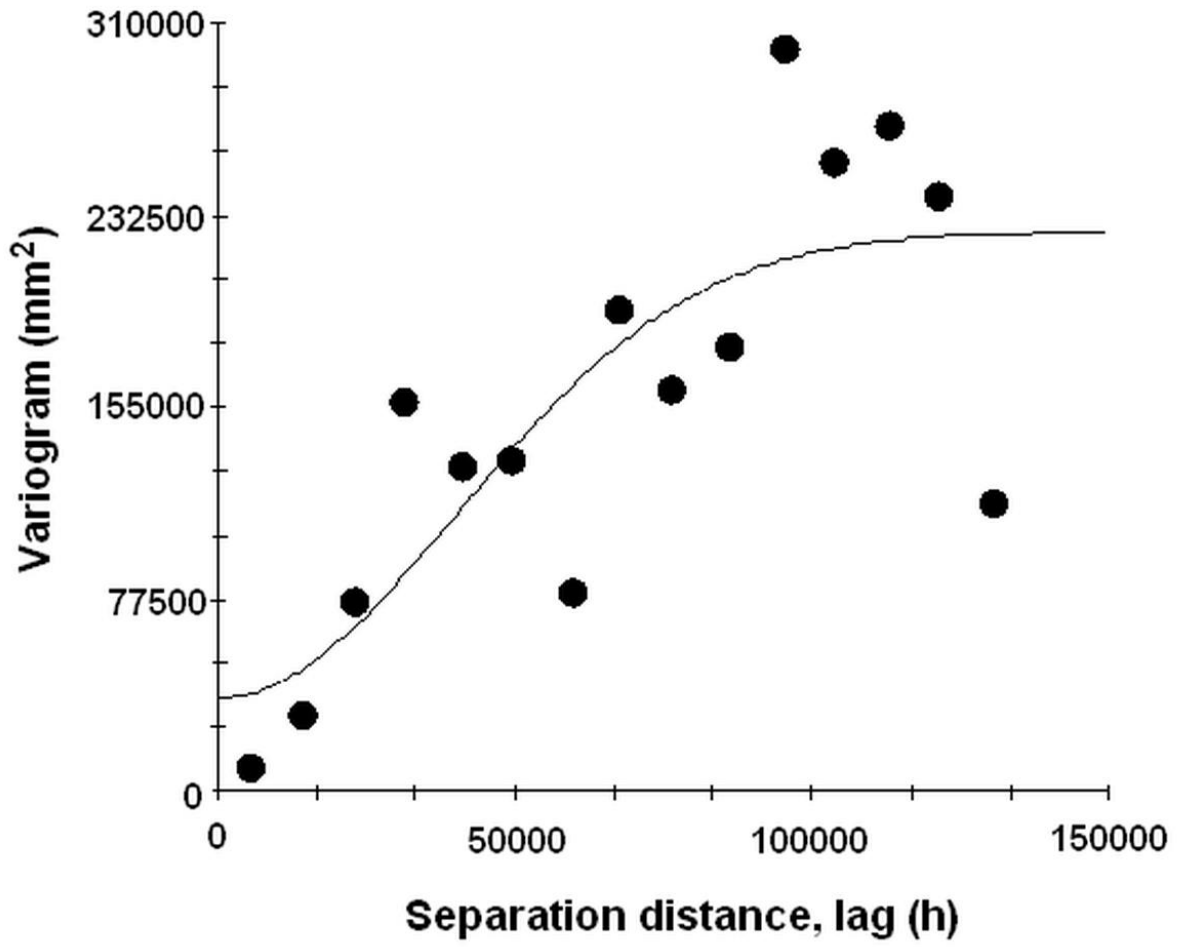
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353 **Figure 2**



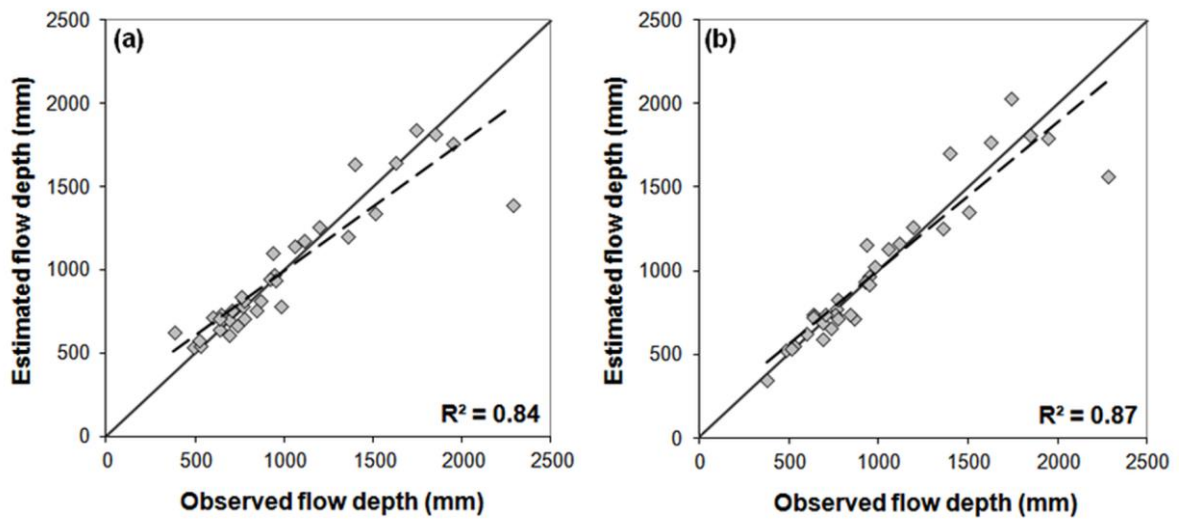
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355 **Figure 3**



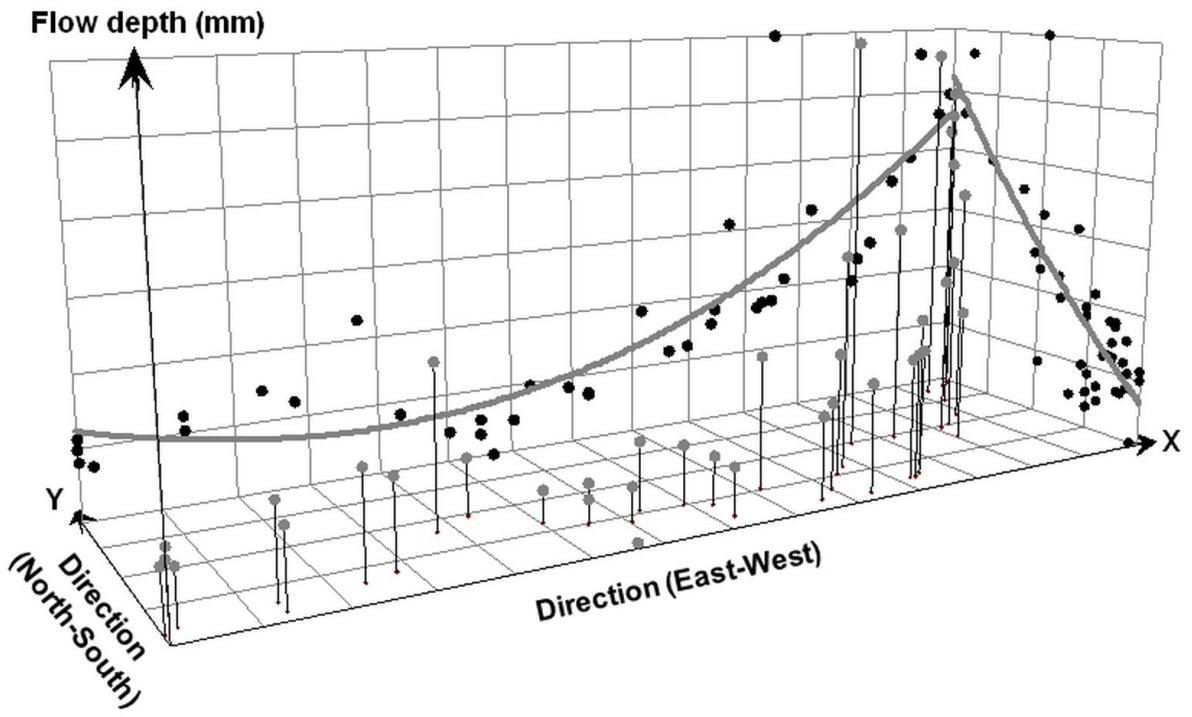
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357 **Figure 4**



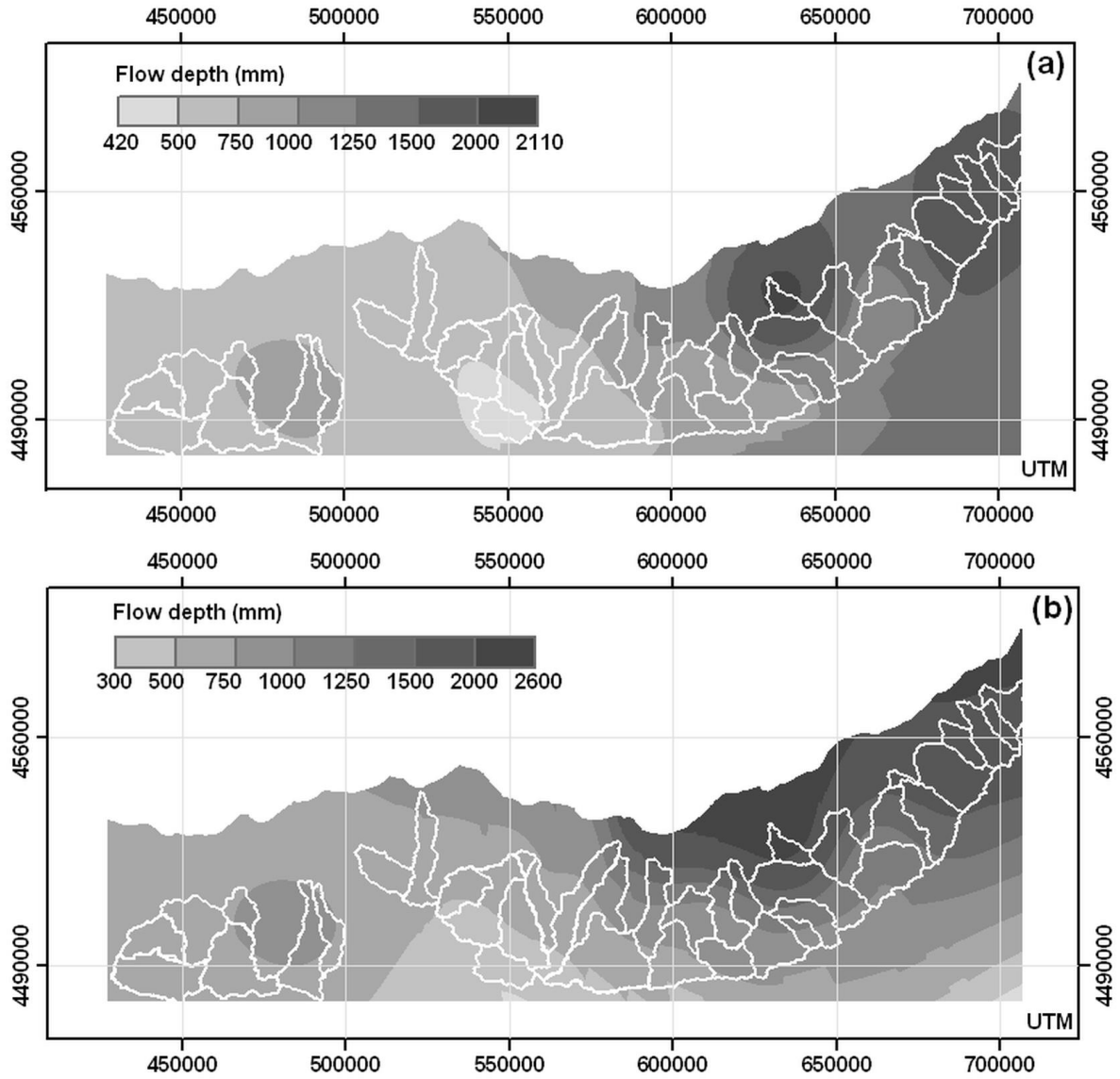
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359 **Figure 5**



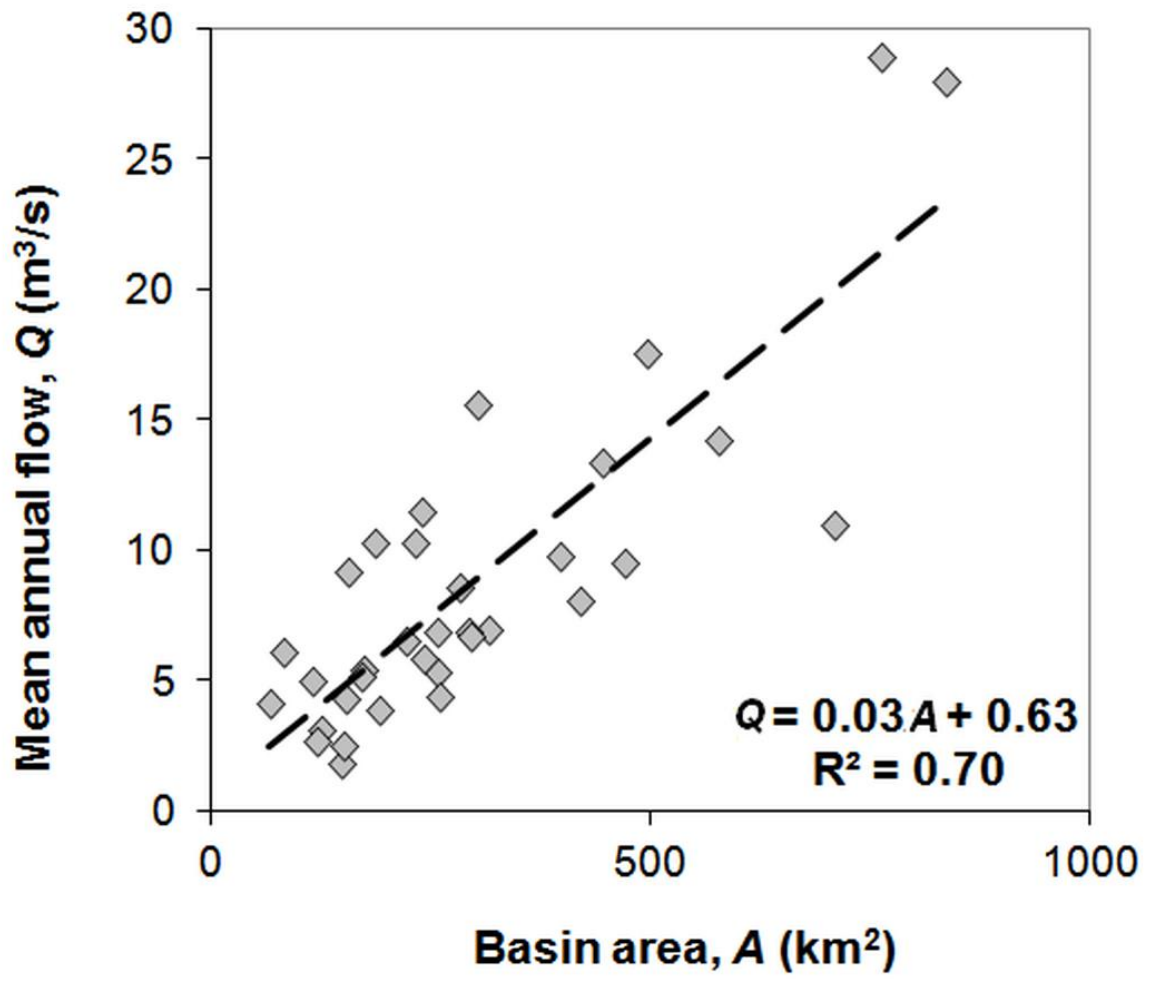
360

361 **Figure 6**



362

363 **Figure 7**



364

365 **Table 1**

No	Gauge name	Area (km ²)	Elevation (m)	Record period	No	Gauge name	Area (km ²)	Elevation (m)	Record period
1	Ikisu	317.2	1037	1986-1999	21	Alcakkopru	243	700	1979-2005
2	Alancik	470.2	700	1986-2004	22	Ulucami	576.8	260	1979-2005
3	Ikisu	292.7	990	1965-1974	23	Serah	154.7	1170	1966-2001
4	Dereli	713	248	1962-2004	24	Yenikoy	171.6	470	1982-2004
5	Tuglacik	397.9	400	1986-2006	25	Cevizlik	115.9	400	1982-2002
6	Sinirkoy	296.9	650	1983-2005	26	Toskoy	223.1	1296	1965-2002
7	Hasanseyh	256.8	370	1984-2006	27	Toskoy	284.3	1210	1986-2001
8	Suttasi	124.9	188	1970-2004	28	Komurculer	83.3	250	1984-2002
9	CucenKopru	162.7	240	1980-2006	29	Derekoy	445.2	942	1966-2002
10	Bahadirli	191.4	17	1962-2002	30	Simsirli	834.9	308	1988-2004
11	Ormanustu	150	770	1985-1999	31	Kaptanpasa	231.2	480	1984-2006
12	Kanlipelit	708	257	1951-1989	32	Cat	277.6	1250	1982-1999
13	Ogutlu	728.4	160	1984-2004	33	Konaklar	496.7	300	1980-2005
14	Ikisu	149.6	1450	1984-1999	34	Topluca	762.3	233	1964-2002
15	Ortakoy	261	380	1980-2002	35	Mikronkopru	239.2	370	1980-2004
16	Ciftdere	121.5	250	1980-2006	36	Kemerkopru	302.2	230	1984-1997
17	Findikli	258.6	90	1979-2004	37	Arili	92.15	150	1982-2005
18	Agnas	635.7	78	1944-2002	38	Koprubasi	156	60	1966-2003
19	Aytas	421.2	510	1979-2005	39	Kucukkoy	66.37	310	1985-2006
20	Ortakoy	173.6	150	1979-2006	40	Baskoy	186.2	75	1978-2006

366 **Table 2**

	Ordinary	Universal
R^2	0.84	0.87
$RMSE$ (mm)	185.76	164.48
$MSRE$	-0.059	-0.009

367 **Table 3**

No	Gauge name	Q_{obs} (m ³ /s)	Q_{est} (m ³ /s)					
			Ordinary		Universal		Regression	
4	Dereli	13.80	15.04	(8.95)	15.15	(9.8)	20.09	(45.7)
9	Cucenkopru	5.68	3.42	(-39.8)	3.29	(-42.0)	5.07	(-10.6)
13	Ogutlu	12.85	11.80	(-8.14)	11.73	(-8.7)	20.52	(59.7)
18	Agnas	12.20	13.93	(14.2)	13.99	(14.7)	17.98	(47.4)
32	Cat	8.79	9.98	(13.5)	8.96	(1.91)	8.21	(-6.65)
37	Arili	6.32	5.06	(-20.0)	5.27	(-16.6)	3.15	(-50.2)

*Parentheses represent relative errors (RE%)

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393
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