## 1 A hybrid unsupervised learning method for structural health monitoring by

## 2 artificial neural networks and k-means clustering

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## 12 Abstract:

13 This article addresses the challenges of environmental variability and damage detection in 14 structural health monitoring by introducing a hybrid unsupervised learning approach. The 15 method combines a novel two-level artificial neural network (TLANN) for data normalization 16 to mitigate environmental variations and employs k-means clustering (KMC) for damage 17 detection. In the TLANN algorithm, feature samples are processed through two neural 18 networks to generate a residual matrix used as the primary input for KMC. The Silhouette 19 value technique is applied to determine the number of clusters. The key contribution of this 20 article is the development of an innovative hybrid unsupervised learning method that 21 effectively handles environmental variability and enhances damage detection. The method's 22 performance is validated using the Z24 bridge and compared favorably with classical 23 techniques, demonstrating its effectiveness in detecting damage and mitigating environmental 24 variations.

Keywords: Structural health monitoring; early damage detection; environmental variability;
 artificial neural network; k-means clustering; full-scale bridge

## 27 **1. Introduction**

Civil infrastructures are vital components of society but are susceptible to various forms ofdamage, including aging, natural disasters, and wear and tear. Structural health monitoring

30 (SHM) is an interdisciplinary research field that offers a practical approach for detecting and 31 evaluating damage in civil engineering structures [1-3]. One effective method within SHM is 32 vibration-based damage detection, which assesses the structural health of buildings and 33 infrastructure by analyzing vibration parameters [4]. Vibration-based structural health 34 monitoring can be categorized into two approaches: model-driven and data-driven. Model-35 driven methods involve creating detailed finite element models and using dynamic theories, 36 inverse problems, and model updating techniques. In contrast, data-driven methods rely solely 37 on raw vibration data without constructing numerical models or employing model updating 38 strategies. Data-driven approaches offer advantages in handling uncertainties in damage 39 detection and are considered to complement and improve upon model-driven techniques [5].

40 In structural health monitoring (SHM), the data-driven approach aligns with statistical pattern 41 recognition, involving two primary steps: feature extraction and feature classification [3]. 42 Feature extraction is a data analysis method aimed at uncovering meaningful information 43 (features) from raw system data [6, 7]. This process can utilize techniques such as time series 44 analysis, operational modal identification (particularly in novel frameworks), and time-45 frequency signal processing [8, 9]. Feature classification involves statistically analyzing these 46 extracted features using machine learning techniques to assess the condition of a civil 47 structure and determine whether it has sustained damage or remains in normal behavior [10-48 12]. It needs to clarify before feature extraction and feature classification, sensor deployment 49 and data measurement are mandatory for data-driven SHM. Recent advancement in sensor 50 technologies allow civil engineers to benefit different sensor systems such as non-contact 51 optical sensors [13], remote sensors [14], and even smartphones [15].

52 Machine learning is a field that involves analyzing training data to build a model (classifier or 53 detector) for making decisions using test data, a methodology beneficial not only in structural 54 health monitoring (SHM) but also across various aspects of structural engineering [16]. In 55 SHM, two types of machine learning algorithms are employed: supervised and unsupervised 56 learning. Supervised learning requires training data containing features from both normal and 57 damaged states of a structure, necessitating information about damaged conditions. 58 Conversely, unsupervised learning relies solely on features from the normal condition, 59 making it more practical, especially in complex and costly civil engineering infrastructures 60 where introducing additional damage for training data is unreasonable [17-20]. While 61 supervised machine learning can be applied to SHM, unsupervised learning is often preferred 62 for damage detection and health assessment of full-scale civil structures [21].

Unsupervised machine learning involves training a statistical model using features extracted 63 64 exclusively from the normal/undamaged condition as training data. This process utilizes various statistical models, including artificial neural networks [22-24], clustering algorithms 65 66 [25-26], and statistical distance measures [27-29]. Once the model is trained, features extracted from vibration data related to the current or unknown state of the structure are 67 68 inputted into the model for decision-making and feature classification, which is essentially 69 damage detection. To perform this procedure, an initial threshold level is determined using the model's outputs based on the training data. Any deviation in the model's output using test data 70 71 beyond this threshold is indicative of the presence of damage [30]. The described procedure 72 for damage detection faces significant challenges, primarily stemming from environmental 73 and operational variations caused by factors like temperature and humidity fluctuations, wind 74 speed fluctuations, live loads, additional masses, and human activities [31]. These challenges 75 are substantial because they can lead to changes in structural properties and vibration 76 responses, similar to those caused by actual damage. Consequently, in such cases, any 77 structural change might be incorrectly interpreted as damage, resulting in a false positive 78 (Type I). Conversely, environmental and operational variations may sometimes produce 79 changes of greater magnitude than actual damage, making it challenging to accurately detect 80 damage occurrences, leading to false negatives (Type II) [32]. To address these issues, it's 81 crucial to perform data (feature) normalization to mitigate the impact of environmental and 82 operational effects on the extracted features [31].

83 In the field of bridge structure health monitoring, Sarmadi conducted a comprehensive study 84 comparing various machine learning algorithms, categorizing them as non-parametric, semi-85 parametric, or parametric based on their suitability for different bridge types and sizes [33]. It 86 was found that non-parametric algorithms perform well when environmental and operational 87 variability is low, while semi-parametric and parametric methods are more suitable when 88 dealing with higher variability, requiring careful determination of hyperparameters to address 89 these effects. Several techniques have been introduced to mitigate environmental and 90 operational variability. Shi et al. [34] used cointegration analysis for detrending nonstationary 91 time series data. Silve et al. [35] introduced a deep principal component analysis to normalize 92 data by extracting salient features, irrespective of environmental variations. Sarmadi et al. 93 [36] proposed an unsupervised feature normalization method using a hybrid feature 94 weighting-selection algorithm and a concept called natural neighbors. Entezami et al. [37] 95 employed empirical learning to develop a non-parametric unsupervised learning method for 96 bridge health assessment under severe environmental variability. Daneshvar and Sarmadi [21] 97 introduced an innovative information-based anomaly detection method inspired by density 98 peaks clustering for assessing damage in civil structures. Their approach is applicable to both 99 short- and long-term monitoring programs, considering different environmental variations in 100 dynamic and statistical features. Entezami et al. [38] proposed a novel double hybrid learning 101 methodology consisting two steps with double learning algorithm for damage assessment 102 under different environmental variation patterns.

103 In structural health monitoring (SHM), effectively classifying features for damage detection is 104 a challenging task. While unsupervised models based on artificial neural networks, clustering 105 algorithms, and statistical distance measures can be used individually, they may produce 106 erroneous results. Hybrid unsupervised learning methods have emerged as a promising 107 solution to address poor performance and reduce errors. Several innovative hybrid methods 108 have been proposed in this context: Entezami et al. [39] developed an online hybrid learning 109 method for SHM using spaceborne remote sensing technology and an online transfer learning 110 model based on auto-associative neural networks to eliminate environmental effects from 111 displacement responses of a masonry bridge. Daneshvar et al. [40] introduced a locally 112 unsupervised hybrid learning method based on a discriminative reconstruction-based 113 dictionary learning model to remove environmental effects from bridge modal frequencies. 114 Wang et al. [41] presented a hybrid approach combining principal component analysis and 115 Gaussian mixture models for bridge damage detection, particularly in scenarios involving 116 temperature variations. Daneshvar et al. [42] introduced two innovative hybrid methods, one 117 combining the Gaussian mixture model with Mahalanobis distance and another incorporating 118 an artificial neural network for early damage detection. Entezami et al. [43] proposed a novel 119 hybrid learning method based on unsupervised meta-learning for damage assessment in bridge 120 structures. In a separate study, Entezami et al. [44] developed an unsupervised hybrid learning 121 method using the concept of multi-task learning for continuous health monitoring of various 122 bridges under severe environmental variability.

This study introduces a novel hybrid unsupervised learning approach, named TLANN-KMC, for damage detection in the presence of environmental variability. The key innovation lies in the data normalization process achieved through a two-level artificial neural network (TLANN). In the first level, a multiple feedforward neural network learns to predict features of the normal condition based on training data. In the second level, predicted features are used as new inputs to train another neural network, yielding final features for damage detection.

129 The same process is applied to features from the current state (test data) using the trained 130 networks to obtain final features. For feature classification and damage detection, the 131 normalized features from both normal and current conditions are inputted into the k-means 132 clustering technique (KMC). The number of clusters is determined using the normalized 133 features from the normal condition, and a damage index (DI) based on the Euclidean norm is 134 calculated to detect damage in the current state. Damage detection relies on a threshold limit 135 established using a generalized extreme value distribution and the block maxima method. The 136 proposed TLANN-KMC method excels in addressing the adverse effects of environmental 137 variability. It utilizes natural frequencies of the Z24 bridge as dynamic features for damage 138 detection and outperforms several existing methods, demonstrating its capability to detect 139 structural damage even in the presence of significant environmental variations.

## 140 **2. Multiple feedforward neural network**

Artificial Neural Networks (ANNs) are computational models inspired by biological neural networks. They aim to approximate unknown functions by mapping inputs to desired outputs. ANNs consist of layers and neurons, with each neuron resembling a simplified biological cell body, involving weights, biases, summation, and transfer functions. Typically, the network's architecture, including the number of layers and neurons, as well as summation and transfer functions, is defined before training. During training, the primary objective is to estimate or adjust the weights and biases to enable the network to perform its desired function.

#### 148 2.1. Network architecture

149 This article employs a multilayer feedforward neural network as its chosen architecture to 150 address the impacts of operational and environmental variability. A key advantage of this 151 network is its unsupervised learning capability, enabling it to reconstruct input data, which, in 152 turn, mitigates operational and environmental variability. The multilayer feedforward neural 153 network consists of an input layer, multiple hidden layers, and an output layer [45]. The 154 normal condition's structural features serve as input data, which are fed into the input layer. 155 Simultaneously, reconstructed or output data are obtained from the output layer, mirroring the 156 input data's size. Essentially, the output layer acts as a filtered version of the input data, aiding 157 in reducing variability [46].

158 The main part of the multilayer feedforward neural network is hidden layers. These are 159 composed of mapping and de-mapping layers as well as a bottleneck layer. The mapping layer 160 often uses a transfer function, which is non-linear like sigmoid function, to map the input data 161 into the next (bottleneck) layer. The bottleneck layer plays a prominent role in the 162 functionality of the multiplayer feedforward network. This layer limits an internal 163 encoding/compression of the input data with a subsequent decoding/decompression after the bottleneck to make the output data of the network. Finally, the de-mapping layer exploits a 164 165 non-linear transfer function (e.g. sigmoid function) to decode/de-map the compressed data in 166 the bottleneck layer and then extract the output data. Fig. 1 illustrates the general view of the 167 neural network used in this article for data normalization, where  $n_m$ ,  $n_b$ ,  $n_d$  are indicative of the 168 numbers of neurons regarding the mapping layer, bottleneck layer, and de-mapping layer, 169 respectively.

170 The multilayer neural network employs a feedforward architecture, which distinguishes it 171 from recurrent neural networks. Unlike recurrent networks, a feedforward algorithm propels 172 data in a unidirectional manner without any cycles or loops. Consequently, a feedforward 173 network configuration involves transmitting information from input neurons through hidden 174 neurons to output neurons in a forward direction. The network's weights and biases for each 175 layer are unknown parameters that must be properly estimated. Various learning techniques 176 are employed in multilayer networks, with back-propagation being the most widely used 177 method. This technique aims to iteratively adjust the weights to minimize the error between 178 input and output, ultimately achieving the desired output. Further details on different aspects 179 of artificial neural networks (ANNs) can be found in reference [47], but are not covered 180 within the scope of this current research study.

## 181 2.2. Selection of neuron sizes

182 In a multilayer feedforward neural network, while the number of layers is known, it is crucial 183 to accurately determine the sizes of neurons in each hidden layer. The selection of these 184 neuron numbers must strike a balance to avoid underfitting and overfitting issues. 185 Underfitting occurs when the neuron numbers are insufficient for the layer, necessitating an 186 increase. Overfitting, on the other hand, means that the network performs well with training 187 data but exhibits unreliable performance with validation data [47]. Therefore, it is vital to 188 choose neuron sizes based on a reliable criterion. In this article, the criterion used is the meansquared error (MSE) between network inputs and outputs. To determine the neuron numbers 189 190 in hidden layers, a grid search algorithm is applied based on this criterion. It's worth noting 191 that when dealing with a small number of hyperparameters, grid search is considered the most effective and efficient hyperparameter optimization algorithm [48]. Given the need to
determine two types of neuron numbers, the choice of the grid search algorithm in this paper
is reasonable.

195 This process involves splitting the input data into training and validation sets. The primary 196 goal is to train a neural network using the training data, considering a substantial number of 197 sample neurons. Each sample neuron is used to train a neural network solely on the training 198 data (the network input). After obtaining the network's output, the Mean Squared Error (MSE) 199 between the input and output is calculated. The same procedure is applied to the validation 200 data (new input fed into the network) without training a new neural network. Instead, the pre-201 trained network is used to generate the new output, and the MSE between the new input and 202 output data is computed. To facilitate this process, MSE values are stored in a matrix. Rows in this matrix correspond to neuron numbers for the mapping and de-mapping layers, while 203 204 columns represent neuron numbers for the bottleneck layer. By calculating the direct 205 difference between the MSE matrices for training and validation data, one can determine the 206 optimal neuron sizes for the hidden layers. The rows and columns associated with the 207 minimum value of this direct MSE difference (referred to as DMSE) indicate the optimal 208 neuron sizes for the mapping layer, de-mapping layer, and bottleneck layer, respectively. It's 209 important to note that since the mapping and de-mapping layers have the same number of 210 neurons, the rows of the MSE matrices refer to the neurons in these layers. Additionally, to 211 prevent overfitting, the neuron sizes of the mapping and de-mapping layers should be larger 212 than the bottleneck layer [46].

## 213 **3. K-means clustering**

Clustering is a widely used unsupervised learning technique that divides sample data into clusters or groups. Different clustering methods exist, including connectivity-based, hierarchical, centroids-based, partitioning, distribution-based, density-based, fuzzy, and constraint-based or supervised clustering. In essence, a cluster comprises samples with significant similarities, and various distance measures are employed to gauge the similarity among these samples [49].

The KMC is the simplest and most popular partition-based clustering method, for which the given data is clustered by a pre-defined number of clusters (k). The main idea behind the KMC is to define k centroids (i.e. the means or averages) of all 48 clusters. Given the given 223 data  $x_1, \ldots, x_n$ , the KMC aims to cluster these samples into k clusters via the following 224 objective function:

$$J = \sum_{i=1}^{k} \sum_{j=1}^{n} \left\| x_j - c_i \right\|_2$$
(1)

where  $c_i$  is the mean of the *i*<sup>th</sup> cluster and  $||.||_2$  refers to the Euclidean norm. The KMC is generally an optimization problem, aiming at minimizing the objection function *J*. In this regard, this function decreases monotonically at each iteration so that this decreasing in a monotonic manner will finally converge to a local minimum.

#### 229 **4. Proposed hybrid method**

230 The proposed hybrid damage detection method consists of two main components: data 231 normalization and feature classification. This method is employed during both the training 232 and monitoring stages. In the initial stage, two models (TLANN and KMC) are trained for 233 these components using training samples, which include certain features extracted from 234 vibration data recorded under the structure's normal condition. The second stage involves 235 utilizing test samples, which consist of the remaining features from the normal condition and 236 all features from the current/unknown state of the structure. These test samples are input into 237 the trained models from the training stage to produce respective outputs.

#### 238 4.1. Data normalization by TLANN

239 Due to the importance of the negative influences of the operational and environmental 240 variability condition, it is necessary to remove them from the extracted features. This article 241 proposes the TLANN method that consists of two multilayer feedforward neural networks. The process of data normalization is performed in both the training and monitoring phases. 242 Assume that  $\mathbf{X} \in \mathbb{R}^{p \times m}$  is the matrix of the training data including p variables and m 243 244 observations. The initial step is to train a multilayer feedforward neural network based on the 245 training data **X** with the aid of the selected neuron sizes of the hidden layers obtained from the grid search technique so as to determine the network output matrix  $\widehat{\mathbf{X}} \in \mathbb{R}^{p \times m}$ . It is important to 246 247 mention that the numbers of neurons in the hidden layers are determined before training the 248 neural network. The main goal is to calculate the residual matrix  $\mathbf{H}_{\mathbf{x}} = \mathbf{X} \cdot \mathbf{\hat{X}}$ . This matrix is then 249 incorporated as the new input data and it is fed into a new multilayer feedforward neural network so as to extract the new output of the network  $\widetilde{\mathbf{X}} \in \mathbb{R}^{p \times m}$ . The main goal in the second 250

251 level of the data normalization method proposed in this study is to calculate the new residual 252 matrix  $\mathbf{R}_{\mathbf{x}} = \mathbf{H}_{\mathbf{x}} \cdot \widetilde{\mathbf{X}}$  as the main normalized features of the training stage.

During the monitoring period, one supposes that  $\mathbf{Y} \in \mathbb{R}^{p \times n}$  is the matrix of the test samples including *p* variables and *n* observations. For the process of data normalization, this matrix is considered as the input data in order to feed into the first neural network, which was trained in the training stage. In similar, one attempts to extract the network output matrix  $\mathbf{\widehat{Y}} \in \mathbb{R}^{p \times n}$  and compute the residual matrix  $\mathbf{H}_{\mathbf{y}}=\mathbf{Y}\cdot\mathbf{\widehat{Y}}$ . Subsequently, this matrix is applied to the second trained neural network to determine the new output matrix  $\mathbf{\widetilde{Y}} \in \mathbb{R}^{p \times n}$ . Finally, the residual matrix

260  $\mathbf{R}_{y} = \mathbf{H}_{y} \cdot \mathbf{\tilde{Y}}$  is calculated as the main normalized features of the monitoring phase. For the sake 261 of simplicity, Fig. 2 illustrates the flowchart of the first algorithm of the proposed hybrid 262 method related to the TLANN.

#### 263 *4.2. Feature classification by KMC*

264 After removing the operational and environmental variations from the extracted features, the matrices  $\mathbf{R}_{\mathbf{x}} \in \mathbb{R}^{p \times m}$  and  $\mathbf{R}_{\mathbf{y}} \in \mathbb{R}^{p \times n}$  are applied to the KMC to detect damage. In this case, the 265 latter serves as the training data, while the former is the test set. Although the KMC is still 266 267 one of the most popular clustering algorithms, it is sensitive to outliers, noise, and 268 uncertainties such as environmental and operational variations. However, the proposed 269 TLANN method before utilizing the KMC addresses this issue and makes it effective for 270 feature classification. The direct use of the KMC or other kinds of clustering algorithms may 271 not be sufficiently effective for damage detection. Accordingly, it is necessary to define a 272 damage index (DI). Using this criterion, one initially attempts to determine the cluster 273 numbers k cluster. It should be pointed out that the cluster selection procedure is only carried 274 out by the training data or the extracted features related to the normal condition of the 275 structure. In this article, the well-known Silhouette value technique [49] is applied to determine the cluster numbers. In the following, the KMC algorithm is used to cluster the 276 277 feature samples of  $\mathbf{R}_{\mathbf{x}}$  into k clusters  $\mathbf{c}_{1},\ldots,\mathbf{c}_{k}$ . For each feature vector (sample) regarding the 278 test data  $\mathbf{r}_{v}$ , the divergence of this vector from each of the clusters is calculated by the 279 following DI:

$$\mathbf{DI} = \min\left\{ \left\| \mathbf{r}_{\mathbf{y}} - \mathbf{c}_{1} \right\|_{2}, \left\| \mathbf{r}_{\mathbf{y}} - \mathbf{c}_{2} \right\|_{2}, \dots, \left\| \mathbf{r}_{\mathbf{y}} - \mathbf{c}_{k} \right\|_{2} \right\}$$
(2)

280 From Eq. (2), the output is a scalar value. Hence, for all *m* feature samples of the test data, 281 one can determine *m* DI values. The same procedure is carried out using the feature vectors 282 obtained from training data  $\mathbf{R}_{\mathbf{x}}$ . Therefore, it is possible to determine n DI values regarding 283 the normal condition. For this case, each of the feature vector  $(\mathbf{r}_x)$  obtained from the training 284 data is substituted by the vector  $\mathbf{r}_{\mathbf{v}}$  in Eq. (2). The decision-making for damage detection 285 procedure is on the basis of comparing all DI values with a threshold level [50]. Because 286 threshold level determination plays a crucial role in obtaining precise damage detection 287 results, this study utilizes a methodology on the basis of the extreme value theory proposed by 288 Sarmadi and Karamodin [29]. It is important to mention that the threshold level is obtained 289 from the DI value of the only normal condition or the training data. Thus, if the DI value 290 exceeds the threshold level, this is indicative of damage occurrence; otherwise, the structure is 291 undamaged. On the other hand, it is expected that the DI values of the normal condition of the 292 structure, either the training or validation data, are under the threshold level. The flowchart of 293 the second algorithm of the proposed hybrid method regarding the KMC is shown in Fig. 3.

## 294 **5. Case study: The Z24 bridge**

295 The Z24 bridge is a well-known post-tensioned concrete box girder bridge within the 296 Structural Health Monitoring (SHM) community. This bridge features a main span of 30 297 meters and two side spans of 14 meters, as depicted in Fig. 4. It was located in Canton Bern, 298 Switzerland, connecting Koppigen and Utzenstorf, serving as a highway overpass for the A1 299 route connecting Bern and Zurich. The bridge was supported by two rows of three pinned 300 concrete columns at the endpoints, and two concrete piers were clamped into the girders at the 301 main span's endpoints. Unfortunately, the Z24 bridge was demolished in late 1998 to make 302 way for a new bridge with larger side spans. Between November 11th, 1997, and September 303 11th, 1998, an extensive and continuous monitoring test was conducted, gathering 304 environmental data, including air temperature, wind characteristics, humidity, and more, using 305 49 sensors. Additionally, dynamic responses, such as acceleration time histories, were 306 recorded using 8 accelerometers. In the month leading up to its demolition, the Z24 bridge 307 was deliberately subjected to gradual and controlled damage. For further information 308 regarding the SHM project and progressive damage scenarios, please refer to [51].

309 Peeters and De Roeck [51] conducted a stochastic subspace identification-based operational 310 modal analysis on the Z24 bridge to extract its modal parameters. In this study, we focus on 311 the bridge's natural frequencies (f) from the four vibration modes. These natural frequencies 312 are the primary damage-related features for our damage detection process. The dataset 313 consists of a total of 5652 frequency samples, some of which have missing data. To clean the 314 data, we utilized a data cleaning algorithm proposed by Entezami et al. [51], resulting in a 315 feature dataset containing 3932 modal frequencies, given in Table 1. Among these, the first 316 3476 samples represent the bridge in its normal condition, while the remaining 456 samples 317 correspond to the damaged state [27, 31]. Figure 5 illustrates the natural frequencies of the 318 four identified vibration modes. Notably, there are abrupt jumps between measurements 1-319 1738, indicating the influence of environmental variability in the bridge's normal condition. 320 Modal frequencies in measurements 3477-3932 gradually decrease, aligning with the concept 321 of reduced modal frequencies due to stiffness reduction caused by damage. However, it's 322 essential to acknowledge that environmental variations, particularly in normal conditions, can 323 significantly impact modal frequencies. These variations may lead to false alarms and 324 incorrect detection results in vibration-based techniques.

325 In order to detect damage by the proposed hybrid TLANN-KMC technique, it is necessary to 326 divide the dataset into training and test parts. On this basis, 75% of the natural frequencies of the normal condition of the structure are selected to make the training matrix as  $\mathbf{X} \in \mathbb{R}^{4 \times 2607}$ , 327 328 where p=4 and m=2607. Moreover, the remaining natural frequencies of the normal condition 329 of the structure related to the measurements 2608-3476 as well as all the natural frequencies 330 of the damaged state of the structure regarding the measurements 3477-3932 are considered the test matrix  $\mathbf{Y} \in \mathbb{R}^{4 \times 1325}$ , where p=4 and n=1325. It is worth remarking that the same 331 332 percentages of the training and validation datasets (i.e. 75% and 25%) are used to generate  $\mathbf{R}_{\mathbf{x}}$ 333 and **R**<sub>v</sub>.

## 334 5.1. Damage detection

335 As the first step of the proposed hybrid technique relates to the process of data normalization, 336 one initially requires determining the neuron numbers of the hidden layers, for two levels of 337 the proposed TLANN approach. Using the direct MSE between the training and validation 338 data, Fig. 6 shows the amounts of  $n_m$ ,  $n_b$ , and  $n_d$  related to the mapping layer, bottleneck layer, 339 and de-mapping layer of the first and second levels. For better observations, the inverses of 340 the DMSE matrices are used to find the number of neurons. Accordingly, the maximum 341 values are considered to choose these numbers. From Fig. 6(a) concerning the first level, it is 342 seen that the mapping layer as well as de-mapping layer need 12 neurons (i.e.  $n_m = n_d = 12$ ) and the bottleneck layer requires 4 neurons (i.e.  $n_b=4$ ). In Fig. 6(b), the neurons of these layers in the second level are identical to 9, 2, and 9, respectively.

345 According to these numbers, the final feature matrices  $\mathbf{R}_{\mathbf{x}}$  and  $\mathbf{R}_{\mathbf{y}}$ , as shown in Fig. 2, are 346 extracted to use in the KMC for feature classification and damage detection. Considering the 347 flowchart in Fig. 3, the first step is to determine the cluster numbers on the basis of the only 348 training data  $\mathbf{R}_{\mathbf{x}}$  as illustrated in Fig. 7. As can be seen in in Fig. 7, the fifth sample cluster 349 presents the maximum Silhouette value among all ten sample numbers. Therefore, the KMC 350 needs five clusters to divide all the training samples and obtain the vectors  $c_1,...,c_5$ . In the 351 following, the values of DI regarding the training data are calculated in order to apply the 352 obtained values for the threshold level estimation by modeling the generalized extreme value 353 distribution based on the block maxima method [29]. Finally, the same clusters obtained from 354 the training phase are incorporated to compute the values of DI regarding the test samples in 355 the monitoring stage. On this basis, Fig. 8 illustrates the damage detection result in the Z24 356 bridge by the proposed hybrid method.

357 Observing the results, it's evident that all DI values for training samples 1-2607 remain below 358 the threshold level, indicating no false alarms. Moreover, the majority of validation samples 359 2608-3476, representing the normal condition of the structure, fall below the threshold, with 360 only a few exceptions. Concerning the damaged state (samples 3477-3932), most DI values 361 exceed the threshold, indicating precise damage detection. Only one point has a DI value 362 under the threshold. Regardless of the threshold level, it's notable that DI values related to the 363 damaged state are consistently higher than those for the normal condition. This finding 364 underscores the high damage detectability achieved by the proposed hybrid method. In 365 conclusion, this technique is well-equipped to handle the effects of environmental variability 366 and accurately detect damage.

## 367 5.2. Comparisons

While the hybrid method proposed in this study demonstrates its capability to accurately detect damage and handle environmental variability, it's crucial to compare it with established methods and their counterparts. For data normalization, this article introduces the TLANN approach. Therefore, it's fitting to assess the method's performance when only the first level of data normalization is employed. In this context, the article extracts residual matrices Hx and Hy, which are then used as primary features for the one-level ANN (OLANN) approach. Consequently, the first comparison evaluates the proposed TLANN-KMC method against the 375 OLANN-KMC approach. The direct use of ANN or the OLANN method is another technique 376 for damage detection. Hence, the second comparison involves evaluating the proposed hybrid 377 technique against the traditional OLANN method. Additionally, KMC is a popular 378 unsupervised machine learning technique for damage detection process [52]. Therefore, the 379 final comparison involves assessing the proposed hybrid method against KMC. In Fig. 9, you 380 can observe the cluster numbers required for the OLANN-KMC and KMC methods. The 381 maximum Silhouette values correspond to the eighth and second sample clusters. 382 Furthermore, Fig. 10 displays the damage detection results for the OLANN-KMC, OLANN, 383 and KMC methods. The same threshold estimation methodology is applied to compare their 384 DI values with the threshold levels. Table 2 provides numerical analyses, including Type I 385 and Type II errors, as well as the total error for the proposed hybrid method and the 386 mentioned classical techniques.

387 In Fig. 10, noticeable variations in DI values can be observed, particularly for the training 388 samples, especially around samples 869-1738, which align with the sudden jumps in modal 389 frequencies shown in Fig. 5. The KMC method exhibits the poorest performance, mainly due 390 to the influence of environmental variability in the modal frequencies, leading to significant 391 variations in DI values as seen in Fig. 10(c). Consequently, a high threshold level has been 392 estimated, resulting in serious false detections. For samples 3477-3932, the majority of DI 393 values fall below the threshold, making it challenging to differentiate between normal and 394 damaged structural conditions, indicating low damage detectability. Although both OLANN-395 KMC and OLANN methods outperform the classical KMC method, some erroneous results 396 still persist. To provide a more comprehensive evaluation, the study employs triple error 397 metrics, including Type I, Type II, and total errors, to compare the proposed technique with 398 other methods. With the exception of the classical KMC, it's evident that the TLANN-KMC 399 method outperforms both OLANN-KMC and OLANN techniques, boasting the smallest 400 numbers and the lowest percentages of triple errors. Furthermore, the OLANN approach 401 performs better than the OLANN-KMC method. In summary, the comparisons in this section 402 highlight that the hybrid method proposed in this study surpasses other techniques in terms of 403 damage detection under varying environmental conditions.

All the previous results have been obtained by applying a large set of normal and damaged features. In order to evaluate the proposed method under small data, the daily measurements of the Z24 bridge are considered here as shown in Fig. 11. These measurements include 235 samples of modal frequencies, where the samples 1-198 relate to the normal condition and the samples 199-235 are concerned with the damaged state [26]. Accordingly, one can determine a new training matrix by taking 90% of the modal frequencies of the normal condition and making the new matrix  $\mathbf{X} \in \mathbb{R}^{4 \times 178}$ , where *m*=178. Moreover, the remaining 10% of the daily modal frequencies concerning the undamaged condition as well as daily data of the damaged state are inserted into a new testing matrix  $\mathbf{Y} \in \mathbb{R}^{4 \times 57}$ .

413 Using the grid search algorithm, the neuron numbers for the first ANN are determined as 7, 3, 414 and 7 for the mapping, bottleneck, and de-mapping layers, respectively. For the second ANN, 415 the neuron numbers are 4, 2, and 4 for the same respective layers. Figure 12 illustrates the 416 results of damage detection in the Z24 bridge using a limited set of modal frequencies. It's 417 evident that all DI values for the normal condition (samples 1-198) fall below the threshold 418 line, indicating the method's ability to accurately recognize the undamaged state of the bridge. 419 With the exception of three points, the majority of DI values for the damaged state surpass the 420 threshold. Therefore, it can be concluded that the proposed method is also successful in 421 detecting damage using a reduced set of modal frequencies.

#### 422 **6.** Conclusions

423 This study introduced a hybrid unsupervised learning method combining ANN and KMC to 424 address two key challenges: data normalization and feature classification. The goal of data 425 normalization was to mitigate environmental variations in features extracted from measured 426 vibration data, while feature classification aimed at detecting damage. For data normalization, 427 the TLANN approach, consisting of two ANNs, was proposed. The residual matrices, 428 obtained as the difference between the input and output of the second ANN, were used as the 429 primary features. Hyperparameter estimation determined the neuron numbers in the hidden 430 layers of each ANN using the direct MSE. For damage detection, classical KMC clustered the 431 extracted features and calculated DI values, with Silhouette values determining cluster 432 numbers. The Z24 bridge's natural frequencies, a benchmark in the SHM community, were 433 used to validate the method's performance and reliability. Comparisons with classical methods 434 demonstrated the superiority of the proposed technique. The results revealed that the TLANN-435 KMC method effectively detected damage even in the presence of strong environmental 436 variability. The TLANN algorithm for data normalization significantly reduced the impact of 437 environmental variability, as evidenced by damage detection results and error rates compared 438 to the OLANN-KMC method. The proposed method also outperformed the classical OLANN

439 approach. However, it's worth noting that direct use of KMC for feature classification and 440 damage detection is not recommended when environmental variability strongly affects 441 extracted features. Despite its effectiveness in detecting damage occurrence, the proposed 442 method has room for improvement in recognizing the type and severity of damage. As 443 reported in table 1. The Z24 bridge had various damage patterns with differing levels of 444 severity, suggesting potential enhancements for damage type recognition. Another limitation is the computational time of the proposed method, particularly in the hyperparameter selection 445 446 process. The TLANN, consisting of two ANNs, requires determining two sets of 447 hyperparameters in different search domains, making it more complex and time-consuming 448 than OLANN-KMC, OLANN, and KMC methods.

## 449 **References**

- 450 [1] Qarib, H. and Adeli, H. "Recent advances in health monitoring of civil structures",
  451 Scientia Iranica, 21(6), pp. 1733-1742, (2014)
- 452 [2] Su, J., Xia, Y., and Weng, S. "Review on field monitoring of high-rise structures",
  453 *Structural Control and Health Monitoring*, 27(12), p. e2629, (2020)
- Figueiredo, E. and Brownjohn, J. "Three decades of statistical pattern recognition paradigm for SHM of bridges", *Structural Health Monitoring*, 21(6), pp. 3018–3054, (2022)
- 457 [4] Hou, R. and Xia, Y. "Review on the new development of vibration-based damage
  458 identification for civil engineering structures: 2010–2019", *Journal of Sound and*459 *Vibration*, **491**, p. 115741, (2021)
- Entezami, A., Shariatmadar, H., and Karamodin, A. "Data-driven damage diagnosis
  under environmental and operational variability by novel statistical pattern recognition *Structural Health Monitoring*, **18**(5-6), pp. 1416-1443, (2019)
- 463 [6] Amezquita-Sanchez, J. P. and Adeli, H. "Nonlinear measurements for feature extraction in structural health monitoring", *Scientia Iranica*, 26(6), pp. 3051-3059, (2019)
- Feizi, Y. A., Sharbatdar, M. K., Mahjoub, R., and Raftari, M. "Identifying damage
  location under statistical pattern recognition by new feature extraction and feature
  analysis methods", *Scientia Iranica*, 29(6), pp. 2789-2802, (2022)
- Entezami, A., Shariatmadar, H., and Karamodin, A. "Improving feature extraction via time series modeling for structural health monitoring based on unsupervised learning methods", *Scientia Iranica*, 27(3), pp. 1001-1018, (2020)
- Entezami, A., Sarmadi, H., Salar, M., De Michele, C., and Nadir Arslan, A. "A novel data-driven method for structural health monitoring under ambient vibration and high dimensional features by robust multidimensional scaling", *Structural Health Monitoring*, 20(5), pp. 2758-2777, (2021)
- 476 [10] Tronci, E. M., De Angelis, M., Betti, R., and Altomare, V. "Multi-stage semi-477 automated methodology for modal parameters estimation adopting parametric system

- identification algorithms", *Mechanical Systems and Signal Processing*, 165, p.
  108317, (2022)
- 480 [11] Mugnaini, V., Zanotti Fragonara, L., and Civera, M. "A machine learning approach for 481 automatic operational modal analysis", *Mechanical Systems and Signal Processing*, 482 **170**, p. 108813, (2022)
- 483 [12] Charbonnel, P. É. "Fuzzy-driven strategy for fully automated modal analysis:
  484 Application to the SMART2013 shaking-table test campaign", *Mechanical Systems* 485 and Signal Processing, 152, p. 107388, (2021)
- 486 [13] Feng, D. and Feng, M. Q. "Computer vision for SHM of civil infrastructure: From dynamic response measurement to damage detection A review", *Engineering Structures*, **156**, pp. 105-117, (2018)
- 489 [14] Behkamal, B., Entezami, A., De Michele, C., and Arslan, A. N. "Elimination of
  490 thermal effects from limited structural displacements based on remote sensing by
  491 machine learning techniques", *Remote Sensing*, 15(12), p. 3095, (2023)
- 492 [15] Sarmadi, H., Entezami, A., Yuen, K.-V., and Behkamal, B. "Review on smartphone
  493 sensing technology for structural health monitoring", *Measurement*, 223, p. 113716,
  494 (2023)
- 495 [16] Amezquita-Sancheza, J. P., Valtierra-Rodriguez, M., and Adeli, H. "Machine learning 496 in structural engineering", *Scientia Iranica*, 27(6), pp. 2645-2656, (2020)
- 497 [17] Chegeni, M. H., Sharbatdar, M. K., Mahjoub, R., and Raftari, M. "New supervised
  498 learning classifiers for structural damage diagnosis using time series features from a
  499 new feature extraction technique", *Earthquake Engineering and Engineering*500 *Vibration*, **21**(1), pp. 169-191, (2022)
- 501 [18] Sarmadi, H. and Entezami, A. "Application of supervised learning to validation of damage detection", *Archive of Applied Mechanics*, **91**(1), pp. 393-410, (2021)
- 503 [19] Entezami, A., Shariatmadar, H., and Sarmadi, H. "Condition assessment of civil structures for structural health monitoring using supervised learning classification methods", *Iranian Journal of Science and Technology Transactions of Civil Engineering*, 44, pp. 51–66, (2020)
- 507 [20] Behkamal, B., Entezami, A., De Michele, C., and Arslan, A. N. "Investigation of 508 temperature effects into long-span bridges via hybrid sensing and supervised 509 regression models", *Remote Sensing*, **15**(14), p. 3503, (2023)
- 510 [21] Daneshvar, M. H. and Sarmadi, H. "Unsupervised learning-based damage assessment
  511 of full-scale civil structures under long-term and short-term monitoring", *Engineering*512 *Structures*, **256**, p. 114059, (2022)
- 513 [22] Li, L., Morgantini, M., and Betti, R. "Structural damage assessment through a new generalized autoencoder with features in the quefrency domain", *Mechanical Systems and Signal Processing*, **184**, p. 109713, (2023)
- 516 [23] Tronci, E. M., Beigi, H., Feng, M. Q., and Betti, R. "A transfer learning SHM strategy
  517 for bridges enriched by the use of speaker recognition x-vectors", *Journal of Civil*518 *Structural Health Monitoring*, **12**(6), pp. 1285-1298, (2022)
- 519 [24] Giglioni, V., Venanzi, I., Baia, A. E., Poggioni, V., Milani, A., and Ubertini, F., "Deep
  520 Autoencoders for Unsupervised Damage Detection with Application to the Z24
  521 Benchmark Bridge," Cham, 2023, pp. 1048-1057: Springer International Publishing.

- 522 [25] Sarmadi, H., Entezami, A., and De Michele, C. "Probabilistic data self-clustering based on semi-parametric extreme value theory for structural health monitoring", *Mechanical Systems and Signal Processing*, **187**, p. 109976, (2023)
- 525 [26] Sarmadi, H., Entezami, A., Salar, M., and De Michele, C. "Bridge health monitoring
  526 in environmental variability by new clustering and threshold estimation methods",
  527 *Journal of Civil Structural Health Monitoring*, 11(3), pp. 629-644, (2021)
- 528 [27] Entezami, A., Sarmadi, H., and De Michele, C. "Probabilistic damage localization by
  529 empirical data analysis and symmetric information measure", *Measurement*, **198**, p.
  530 111359, (2022)
- Entezami, A., Shariatmadar, H., and Mariani, S. "Early damage assessment in large-scale structures by innovative statistical pattern recognition methods based on time series modeling and novelty detection", *Advances in Engineering Software*, **150**, p. 102923, (2020)
- 535 [29] Sarmadi, H. and Karamodin, A. "A novel anomaly detection method based on adaptive Mahalanobis-squared distance and one-class kNN rule for structural health monitoring under environmental effects", *Mechanical Systems and Signal Processing*, 538 140, p. 106495, (2020)
- 539 [30] Sarmadi, H. and Yuen, K.-V. "Early damage detection by an innovative unsupervised
  540 learning method based on kernel null space and peak-over-threshold", *Computer-*541 *Aided Civil and Infrastructure Engineering*, **36**(9), pp. 1150-1167, (2021)
- 542 [31] Wang, Z., Yang, D.-H., Yi, T.-H., Zhang, G.-H., and Han, J.-G. "Eliminating environmental and operational effects on structural modal frequency: A comprehensive review", *Structural Control and Health Monitoring*, 29(11), p. e3073, (2022)
- 546 [32] Sarmadi, H. and Yuen, K.-V. "Structural health monitoring by a novel probabilistic
  547 machine learning method based on extreme value theory and mixture quantile
  548 modeling", *Mechanical Systems and Signal Processing*, **173**, p. 109049, (2022)
- 549 [33] Sarmadi, H. "Investigation of machine learning methods for structural safety
  550 assessment under variability in data: Comparative studies and new approaches",
  551 Journal of Performance of Constructed Facilities, 35(6), p. 04021090, (2021)
- Shi, H., Worden, K., and Cross, E. J. "A regime-switching cointegration approach for removing environmental and operational variations in structural health monitoring", *Mechanical Systems and Signal Processing*, **103**, pp. 381-397, (2018)
- 555 [35] Silva, M., Santos, A., Santos, R., Figueiredo, E., Sales, C., and Costa, J. C. "Deep principal component analysis: An enhanced approach for structural damage identification", *Structural Health Monitoring*, **18**(5-6), pp. 1444-1463, (2019)
- Sarmadi, H., Entezami, A., and Magalhães, F. "Unsupervised data normalization for continuous dynamic monitoring by an innovative hybrid feature weighting-selection algorithm and natural nearest neighbor searching", *Structural Health Monitoring*, 561
  22(6), pp. 4005-4026, (2023)
- 562 [37] Entezami, A., Shariatmadar, H., and De Michele, C. "Non-parametric empirical
  563 machine learning for short-term and long-term structural health monitoring",
  564 Structural Health Monitoring, 21(6), pp. 2700-2718, (2022)
- 565 [38] Entezami, A., Sarmadi, H., and Behkamal, B. "A novel double-hybrid learning method 566 for modal frequency-based damage assessment of bridge structures under different

- 567 environmental variation patterns", *Mechanical Systems and Signal Processing*, 201, p.
  568 110676, (2023)
- 569 [39] Entezami, A., Arslan, A. N., De Michele, C., and Behkamal, B. "Online hybrid 570 learning methods for real-time structural health monitoring using remote sensing and 571 small displacement data", *Remote Sensing*, **14**(14), p. 3357, (2022)
- 572 [40] Daneshvar, M. H., Sarmadi, H., and Yuen, K.-V. "A locally unsupervised hybrid 573 learning method for removing environmental effects under different measurement 574 periods", *Measurement*, **208**, p. 112465, (2023)
- 575 [41] Wang, X., Gao, Q., and Liu, Y. "Damage Detection of Bridges under Environmental
  576 Temperature Changes Using a Hybrid Method", *Sensors*, 20(14), p. 3999, (2020)
- 577 [42] Daneshvar, M. H., Gharighoran, A., Zareei, S. A., and Karamodin, A. "Early damage
  578 detection under massive data via innovative hybrid methods: application to a large579 scale cable-stayed bridge", *Structure and Infrastructure Engineering*, pp. 1-19, (2020)
- 580 [43] Entezami, A., Sarmadi, H., and Behkamal, B. "Long-term health monitoring of
  581 concrete and steel bridges under large and missing data by unsupervised meta
  582 learning", *Engineering Structures*, 279, p. 115616, (2023)
- Entezami, A., Sarmadi, H., Behkamal, B., and De Michele, C. "On continuous health monitoring of bridges under serious environmental variability by an innovative multi-task unsupervised learning method", *Structure and Infrastructure Engineering*, In Press, pp. 1-19, (2023)
- 587 [45] Kramer, M. A. "Autoassociative neural networks", *Computers & Chemical Engineering*, **16**(4), pp. 313-328, (1992)
- 589 [46] Kramer, M. A. "Autoassociative neural networks", *Computers & Chemical Engineering*, 16(4), pp. 313-328, (1992)
- 591 [47] Priddy, K. L. and Keller, P. E. "Artificial Neural Networks: An Introduction", SPIE
   592 Press, Bellingham, Washington, United States (2005)
- 593 [48] Yang, L. and Shami, A. "On hyperparameter optimization of machine learning algorithms: Theory and practice", *Neurocomputing*, **415**, pp. 295-316, (2020)
- Aggarwal, C. C. and Reddy, C. K. "Data Clustering: Algorithms and Applications",
   CRC Press, Boca Raton, Florida, United States (2016)
- 597 [50] Sarmadi, H. and Entezami, A. "Application of supervised learning to validation of damage detection", *Archive of Applied Mechanics*, (2020)
- 599 [51] Peeters, B. and De Roeck, G. "One-year monitoring of the Z24-Bridge: Environmental effects versus damage events", *Earthquake Engineering and Structural Dynamics*, 601 30(2), pp. 149-171, (2001)
- 602 [52] Santos, J. P., Crémona, C., Calado, L., Silveira, P., and Orcesi, A. D. "On- line
  603 unsupervised detection of early damage", *Structural Control and Health Monitoring*,
  604 23(7), pp. 1047-1069, (2016)
- 605
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No.	Damage level	Simulation of real damage patterns			
1	First reference measurement	Undamaged condition			
2	Second reference measurement	After installing the lowering system			
3	Lowering of pier, 20 mm	Settlement of the subsoil, erosion			
4	Lowering of pier, 40 mm				
5	Lowering of pier, 80 mm				
6	Lowering of pier, 95 mm				
7	Tilt of foundation	Settlement of the subsoil, erosion			
8	Third reference measurement	After lifting of the bridge to its first position			
9	Spalling of concrete, 24 m <sup>2</sup>	Vehicle impact, carbonization, and subsequent			
10	Spalling of concrete, 12 m <sup>2</sup>	corrosion of reinforcement			
11	Landslide at abutment	Heavy rainfall, erosion			
12	Failure of concrete hinge	Chloride attack, corrosion			
13	Failure of anchor heads #1	C			
14	Failure of anchor heads #2	Corrosion, overstress			
15	Rupture of tendons #1	Erroneous or forgotten injection of tendon tubes, chloride influence			
16	Rupture of tendons #2				
17	Rupture of tendons #3				

## Table 1. Progressive damage tests and their simulation patterns [51]

## 

# **Table 2**. Comparison of the damage detection methods based on feature classification errors

	Classification errors						
Method	Type I		Type II		Total		
	No.	%	No.	%	No.	%	
TLANN-KMC	17	0.48	1	0.21	18	0.45	
OLANN-KMC	60	1.72	7	1.53	67	1.70	
OLANN	36	1.03	10	2.19	46	1.17	
KMC	0	0	407	89.25	407	10.35	







# 



Fig. 5. The natural frequencies in Hz regarding the Z24 bridge: (a) the first vibration mode,
(b) the second vibration mode, (c) the third vibration mode, (d) the fourth vibration mode



**Fig. 6**. Hyperparameter estimation for the TLANN: (a) the first level, (b) the second level



Fig. 7. Selection of the cluster number using the Silhouette value technique









Fig. 8. Damage detection in the Z24 bridge by the proposed hybrid technique





**Fig. 10**. Damage detection results of the Z24 bridge: (a) OLANN-KMC, (b) OLANN, (c)

KMC



Fig. 11. The small set of natural frequencies in Hz regarding the Z24 bridge: (a) the first
 vibration mode, (b) the second vibration mode, (c) the third vibration mode, (d) the fourth
 vibration mode



Fig. 12. Damage detection in the Z24 bridge by the proposed hybrid technique and the small
set of the modal frequencies (i.e., daily measurement)

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