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## Two-stage game-theoretic approach to supplier evaluation, selection, and order assignment

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KEYWORDS Supplier selection; Nash equilibrium; Supplier evaluation value; Shapley value. **Abstract.** This study proposes a framework for supplier evaluation, selection, and assignment that incorporates a two-stage game-theoretic approach method. The objective is to provide manufacturers with insights to choose suitable suppliers for different manufacturing processes. The framework applies to the decision logic of multiple manufacturing processes. In the first stage, a non-cooperative game model is utilized for supplier evaluation and selection. The interactive behaviors between a manufacturer and some supplier candidates are modeled and analyzed so that the Supplier Evaluation Value (SEV) can be obtained using the Nash equilibrium. In the second stage, the SEVs become the input for the Shepley values calculation of each supplier under a cooperative game model. The Shapley values are utilized to create a set of limited supplier allocation. This paper provides managerial insights to verify the viability of the proposed approach for supplier selection and allocation. Thus, it enables Supply Chain Management (SCM) manager to optimize supplier evaluation, selection, and order assignment.

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## 1. Introduction

Due to globalization, Supply Chain Management (SCM) managers in organizations must seek to reduce costs and increase their competitive advantage through global sourcing. The uncertain supply and demand makes global sourcing more challenging [1]. Supplier selection is a vital aspect of supply chain sourcing, particularly in a competitive environment. However, most enterprises have different criteria for selecting

\*. Corresponding author. Tel.: +886-3-2654409; Fax: +886-3-2654499 E-mail addresses: jonasyu@takming.edu.tw (J.C.P. Yu); weehm@cycu.edu.tw (H.M. Wee); schnell.jeng@chrobinson.com (S. Jeng); yosef.daryanto@uajy.ac.id (Y. Daryanto) their suppliers [2]. Since each manufacturer faces multiple suppliers that possess different capabilities, SCM managers need to develop an effective mechanism to perform supplier evaluation, selection, and order allocation among the qualified suppliers. Different approaches such as multiple-criteria decision analysis, metaheuristic optimization, and game theory have been studied to optimize those decisions [3].

Game theory has been used in many business decisions including SCM. This paper explores how a manufacturer evaluates and selects qualified suppliers using game theory. This study proposes a two-stage model that connects the non-cooperative game model during supplier selection with the cooperative game model. The chosen suppliers are in a "cooperative game" relationship with the manufacturer to accomplish the expected supply quality.

The remainder of this paper is arranged as follows:

Section 2 discusses previous research related to supplier selection, allocation problem, and game theory. Section 3 presents the proposed two-stage game theory model. Then, an experimental simulation is performed in Section 4 to study the proposed framework. Finally, Section 5 concludes the findings and suggests for future research.

## 2. Literature review

This section discusses previous research related to supplier selection and allocation problem as well as game theory in inventory and SCM.

## 2.1. Supplier selection and allocation problem

The supplier selection problem has attracted much attention over the years. Dickson [4] applied questionnaires to identify 23 influencing factors of supplier selection criteria and showed that product quality, delivery, and past performance were critical factors. Choi and Hartley [2] generalized 26 supplier evaluation criteria according to the research of Dickson [4] and Weber et al. [5]. Weber et al. [6] demonstrated that supplier facilities, capacity, and technological capabilities were related to supplier evaluation. Maurizio and Alberto [7] adopted financial ability, cost, technical competence, organizational culture, after-sales technical support, flexibility, quality management, and justin-time procurement as criteria for evaluating suppliers. Chan and Kumar [8] indicated that product cost was the primary consideration in selecting suppliers.

In recent years, new approaches have been developed for supplier selection and allocation problems. Freeman and Chen [9] used an Analytic Hierarchy Process (AHP)-Entropy-Technique for Order of Preference by Similarity to Ideal Solution (TOPSIS) framework for supplier selection by combining the traditional and environmental selection criteria. The aim is to integrate an environmentally friendly supplier into the supply chain. Neyestani et al. [10] studied supplier order allocation considering uncertain information on buyer demand and supplier delivery rate. Particle swarm optimization and genetic algorithm are used to solve the multi-objective model. Hosseini and Barker [11] combined the primary evaluating criteria (e.g., cost, quality, and delivery time) with some green and resilience criteria in supplier evaluation and selection. They proposed a Bayesian network to model the causal relationship among the variables. Tezenji et al. [12] developed an integrated supplier locationselection and order allocation model to minimize the establishment, transportation, and inventory-related costs. A systematic literature review on supplier selection research streams and future scope was presented by Wetzstein et al. [13]. Recently, Zaheri et al. [14] considered an all-unit quantity discount policy in the supplier selection problem. Adeinat and Ventura [15] developed an integrated pricing and supplier selection model when the demand was price sensitive. Suppliers' limited capacity and quality were taken into consideration. Rabieh et al. [16] integrated robust optimization and fuzzy programming for supplier selection under multiple uncertainties. A real case from automobile industry was provided.

Recently, some researchers started using game theory approach in supplier selection problem. Mohammaditabar et al. [17] studied supplier selection considering supply chain inventory costs under cooperative and non-cooperative relationships. Liu et al. [18] considered game theory for supplier selection, combined with the Analytic Network Process (ANP) method, entropy weight, and DEMATEL. Previous research has investigated the supplier selection process based on manufacturers' interests regardless of suppliers' concerns. The purpose of this study is to allow manufacturers to meet supplier evaluation criteria according to the concerns of manufacturers as well as suppliers.

## 2.2. Game theory

Game theory is derived from the "Theory of games and economic behavior" (von Neumann and Morgenstern [19]). The book was a significant achievement in Economics during the 20th century. Mathematical formulas represent interpersonal strategic thinking in a game. Through a series of deductions, game theory searches for maximum returns for participants. The well-known Nash equilibrium was an important milestone in game theory. Nash [20] proposed bargaining theory and noncooperative game theory to explain traditional game theory further. Most economists have adopted the Nash equilibrium. Essentially, game participants wish to produce the most favorable results for themselves. Under certain assumptions, the game theory uses a mathematical model to predict participants' behavior and help them choose optimal strategies involving conflicts of interest. General games are often expressed using standard formulas. In most studies, dynamic games have been expressed using a game tree [21]. Two types of game theory protocols are found in cooperative and non-cooperative games. The difference between these games lies in whether a binding force exists between participants: if so, the game is cooperative; if not, the game is non-cooperative. Shapley [22] investigated various pairing methods under the assumption that two parties cooperate. Based on game theory, Roth [23] conducted an empirical study with two types of protocol behaviors that described the crucial difference between cooperative and non-cooperative games.

Game theory works empirically in many circumstances and has become influential in a variety of disciplines beyond economics [24]. For example, Nash

equilibrium becomes a powerful tool for understanding human interactions in many practical situations [25]. Game theory provides an analytical technique to study the interaction, including competition among some multiple agents of a system [26]. Game theory is a type of strategic thinking that provides a mathematical analysis method to configure a system and identify an optimal strategy for solving problems with conflicts of interest. It can be applied to fields such as politics, management, transportation, biology, and military strategy. Game theory can maximize the benefits of all players in a competitive environment and be used to analyze interactions between multiple decision-makers. Generally, a game involves a player who makes decisions, chooses a method during the game, selects a strategy for determining the action, and determines payoffs (i.e., outcome assessments). Finally, potential payoffs are quantified to determine whether a strategy is feasible accurately. At a specific time, participants have various information sources and variables. It is assumed here that each participant is rational and possesses a set of assessment criteria to select a solution and maximize benefits. When each participant considers their set of strategies to be optimal and they will settle for it, this set of strategies is called the equilibrium solution.

Game theory has been widely applied in recent years. Huang and Li [27] constructed a game model for advertising manufacturers (leaders) and retailers (followers) to explore the cooperative relationships between them. Leng and Parlar [28] applied game theory in supply chains and divided application areas into five categories. Under the assumption of fixed unit purchase cost, supply chain members competed and cooperated in inventory control. Numerous researchers have extended the application of game theory and used it to supply chain systems to establish cooperative relationships between suppliers and manufacturers. In civil engineering, Peldschus and Zavadskas [29] applied game theory and fuzzy theory for water supply decision-making with multiple criteria. In another study on cooperative games and supply chains, Hennet and Arda [30] proposed a decision-making assessment model that integrated queuing theory into game theory. This model was used to assess supply chain efficiency among conflicting partners. Besides, Bompard et al. [31] constructed a power market simulator by game theory. To test the simulator, the researchers compared real and simulated markets.

Long and Yu [32] used game theory to analyze the government and enterprises' optimal strategies for energy saving and carbon reduction. They found the Nash equilibrium solution and provided suggestions for sustainable energy policy. Chen et al. [33] utilized game theory to evaluate terrorist threats and appropriate responses. Runyan et al. [34] used multidimensional game theory to analyze difficulties in airplane Madani [35] conducted a literature review design. on how to solve conflicts in a non-cooperative water resource game. In electrical engineering, game theory has been applied in wireless networks [36]. Sharma and Gopal [37] introduced a new research direction, integrated reinforcement learning, and game theory and designed a reliable, intelligent controller. Dayi and Jianwei [38] proposed a simple optimal model to describe restrictions on carbon emissions and how regulations inhibited production. Based on game theory, they analyzed factors that influenced the government and enterprises. Also, numerous researchers have applied game theory to computer science. Liu et al. [39] proposed a multi-objective game theory using the Markov process and Shapley value to assess the satisfaction of participants.

### 2.3. Game theory application in SCM

Purchasing and inventory management are two important activities in SCM. Purchasing plays a vital role because a qualified material supply differentiates the manufacturer's final goods including the cost and quality, while inventory management determines the efficiency of the operations [40–45]. Recently, people also recognize the importance of such decisions in terms of sustainability [46–48].

Some researchers have demonstrated that cooperative game theory could be applied to centralized inventory management systems to reduce costs and enhance customer service [49]. Zhao et al. [50] used game theory to analyze how vendors reduced lifecycles and environmental risks of materials and chose a strategy for reducing carbon emissions to develop a green supply chain. Besides, Zhao et al. [50] speculated that manufacturers would be influenced by punishment and reward systems developed by the government. Zhao et al. [51] evaluated various strategies designed by the government and manufacturers using game theory. They promoted green products through various games to simulate different circumstances and suggested a strategic decision framework for government agencies and vendors. As local concerns have become global, a carbon reduction project can, therefore, be developed through global cooperation. Wu et al. [52] also applied games to reduce costs and carbon dioxide emissions. Sadigh et al. [53] used the Nash equilibrium for supply chain decisions of pricing and inventory management. The model studied a multi-echelon supply chain that consists of multiple suppliers, single manufacturer, and multiple retailers with equal power. Recently, Nazari et al. [54] implemented Nash and Stackelberg game theory to solve the pricing and inventory problem in a closedloop supply chain.

To mitigate supply risk, manufacturers tend to have several suppliers. This study aims to explore how



Figure 1. The proposed framework of the two-stage game-theoretic approach to supplier evaluation, selection, and order assignment.

manufacturers evaluate and select qualified suppliers by game theory. The evaluation rating develops a corresponding quantity of orders. In this situation, manufacturers and suppliers who strive for orders intend to achieve optimal expected benefit. They are in a "non-cooperative game" competitive relationship. Therefore, they must convince each other via competitiveness. In non-cooperative games, players do self-enforcing coordination. Each player optimizes the decision to minimize the cost of utilizing each resource and maximize the rewards it earns [55]. Nash equilibrium is widely used in non-cooperative games to help predict the outcome of the game that will make every player feel satisfied with what each other deserves. However, once they become qualified suppliers, they are in a "cooperative game" relationship to accomplish the expected supply quality. In a cooperative game, the Shapley value is applied to order allocation to suppliers in the network. Thus, this study proposes a two-stage model that connects the non-cooperative game model to the cooperative game model. The twostage model will analyze all the players' best responses and obtain their decisions. An experimental simulation is presented to study the proposed framework. It is clarified that the Supplier Evaluation Value (SEV) for each supplier and the Shapley values help the decisionmakers select qualified suppliers and allocate orders to the suppliers. This framework can be used to enhance the decision-making ability of a plant manager to control his or her supply chain and efficiently allocate suppliers in it.

## 3. Modeling

This study proposes a two-stage game-theoretic model that connects the non-cooperative game model to the cooperative game model. The framework is shown in Figure 1. In the first stage, supplier evaluation and selection are performed. The interactions between a manufacturer and its supplier candidates are modeled in the form of a non-cooperative game. When a manufacturer wants to construct a supply chain to produce its product, the behavior interactions between the manufacturer and supplier candidates will create a competitive environment. Nash equilibrium is employed to provide a steady state of moves concerning computing the objective functions for players. Every player interacts with other players to make optimal decisions. A game reaches equilibrium in a gametheoretic sense when each player's strategy is strategically stable and self-enforcing. A strategic stable or self-enforcing policy implies that no player can benefit from deviating from the equilibrium strategy. A finite non-cooperative game must have a Nash equilibrium. The Nash equilibrium is used to derive the SEV. The payoff functions will depend on the competence measurement in the manufacturing flow.

In the second stage, the interaction of all suppliers is modeled as a cooperative game. Shapley values measure the marginal contribution of each supplier in all manufacturing processes. The objective is to assign a limited vendor order to qualified suppliers efficiently. Multiple suppliers are organized into coalition groups about figuring the threshold majority to arrange appropriate and optimal supplier distribution in a manufacturing flow. Later, the Shapley value vector is used to allocate the order to all suppliers.

## 3.1. Supplier evaluation game

The two-player non-cooperative game for supplier evaluation is defined as follows:

(a) Player *i*: The model has only two players. i =

	Supplier							
Manufacturer	$S_1$	$S_2$	•••	${S}_{K}$	The probability of manufacturer mixed strategy			
$M_1$	$\psi_i(M_1,S_1)$	$\psi_i(M_1,S_2)$		$\psi_i(M_1, S_K)$	$\omega_1(M_1)$			
$M_2$	$\psi_i(M_2,S_1)$	$\psi_i(M_2,S_2)$		$\psi_i(M_2, S_K)$	$\omega_1(M_2)$			
:	÷	:	÷	÷	÷			
$M_J$	$\psi_i(M_j,S_1)$	$\psi_i(M_j, S_2)$		$\psi_i(M_j, S_K)$	$\omega_1(M_j)$			
The probability of supplier mixed strategy	$\omega_2(S_1)$	$\omega_2(S_2)$		$\omega_2(S_K)$				

**Table 1.** A *J*-by-*K* payoff matrix for the supplier evaluation game ( $\psi_i$ , i = 1, 2).

 $\{1,2\} = \{$ Manufacturer, Supplier $\}$ . The player not only plays a role as a person but also as a group, where the manufacturer is the supply chain driver that produces the final product;

- (b) Strategy space  $\Theta_i$ : A set of all possible strategies of two players in a game. When player *i* has *n* pure strategies,  $\Theta_i = \{s_i^1, ..., s_i^n\};$
- (c) Payoff  $\Psi_i$ : The utility or the expected utility of a player as a function of the strategy chosen by the manufacturer and suppliers.

Let  $\Phi = \{i, \Theta_i, \Psi_i\}$  be such a normal form game. This game cannot determine the pure strategy of the Nash equilibrium because this game probably does not enjoy Nash equilibrium. However, every finite normal form game has a mixed strategy Nash equilibrium. Thus, this study derives another strategic game from  $\Phi$ , called the mixed extension of  $\Phi$ , in which the actions of each player *i* are the set of all mixed strategies in  $\Phi$ . The concept is adopted from Cheheltani and Ebadzadeh [56] and Wu [57].

The Nash equilibrium mix strategy is identical to the stochastic state. It can predict the outcome of a game by capturing the stochastic regularity. In this case, manufacturers and supplier candidates possess all the past information about their payoff and other players' behavior. This situation helps each player predict the upcoming choices of other players to decide on a strategy.

Let J and K denote the number of pure strategies in  $\Theta_1$  and  $\Theta_2$  for the manufacture and supplier, respectively. They are written in  $\Theta_1 = \{M_1, M_2, ..., M_J\}$  and  $\Theta_2 = \{S_1, S_2, ..., S_K\}$ . Suppose  $\omega_i^n$  is the probability that player i will play  $s_i^n$  strategy. Therefore, the mixed strategy for player i is  $(\omega_i^1, ..., \omega_i^n)$ . For N = 1, ..., n, the condition for  $\omega_i^n$  is  $0 \le \omega_i^n \le 1$  and  $\sum_{N=1}^n \omega_i^N = 1$ . This study uses  $\omega_i$  to denote an arbitrarily mixed strategy from the set of probability distributions over  $\Theta_i$ , just as this study uses  $s_i$  to denote an arbitrary pure strategy from  $\Theta_i$ .

Table 1 shows the payoff matrix  $(J \times K)$  for the supplier evaluation created based on the manufacturer and supplier strategies and interactions.

The manufacturer's expected payoff from playing the pure strategy  $M_j$  when the manufacturer believes that the supplier will play the strategies  $\Theta_2 = \{S_1, S_2, ..., S_K\}$  with the probability  $\omega_2 = \{\omega_2(S_1), \omega_2(S_2), ..., \omega_2(S_K)\}$  can be expressed as:

$$\sum_{k=1}^{K} \omega_2(S_k) \cdot \psi_1(M_j, S_k). \tag{1}$$

We can also calculate the manufacturer's expected payoff from performing the other pure strategies  $\Theta_1 = \{M_1, M_2, ..., M_J\}$ . This calculation leads to the manufacturer's expected payoff from performing the mixed strategy  $\omega_1 = \{\omega_1(M_1), \omega_1(M_2), ..., \omega_1(M_J)\}$  as follows:

$$E_{1}(\omega_{1},\omega_{2}) = \sum_{j=1}^{J} \omega_{1}(Mj) \left[ \sum_{k=1}^{K} \omega_{2}(S_{k}) \cdot \psi_{1}(Mj,S_{k}) \right]$$
$$= \sum_{j=1}^{J} \sum_{k=1}^{K} \omega_{1}(Mj) \cdot \omega_{2}(S_{k}) \cdot \psi_{1}(Mj,S_{k}),$$
(2)

where  $\omega_1(M_j)$  and  $\omega_2(S_k)$  are the probability that the manufacturer plays  $M_j$  and supplier plays  $S_k$ , where  $0 \leq \omega_1(M_j), \omega_2(S_k) \leq 1$  for k = 1, ..., K and j = 1, ..., J. Also,  $\sum_{j=1}^{J} \omega_1(M_j) = 1$  and  $\sum_{k=1}^{K} \omega_2(S_k) = 1$ .

Eq. (2) is actually the weighted sum of the expected payoff for each of the pure strategies of the manufacturer  $\Theta_1 = \{M_1, M_2, ..., M_J\}$ . Thus, for the mixed strategy  $\omega_1(M_1), \omega_1(M_2), ..., \omega_1(M_J)$  to be the best response for the manufacturer to supplier's

mixed strategy  $\omega_2(S_k)$ , the following should be held:  $\omega_1(M_j) > 0$  only if:

$$\sum_{k=1}^{K} \omega_2(S_k) \cdot \psi_1(M_j, S_k) \ge \sum_{k=1}^{K} \omega_2(S_k) \cdot \psi_1(M_{\hat{j}}, S_k)$$
$$\forall M_{\hat{j}} \in \Theta_1, \tag{3}$$

for every  $M_j$  in  $S_1$ . That is, for a mixed strategy to be the best response to  $\omega_2$ , a positive probability on a purely given strategy only should be placed if the pure strategy itself is the best response to  $\omega_2$ [58]. Contrarily, if the manufacturer has several pure strategies that are the best responses to  $\omega_2$ , then any mixed strategy that puts all of its probability on some or all of these pure-strategy best responses (and zero probability on all other pure strategies) is also the best response for the supplier to  $\omega_2$ . This study computes supplier's expected payoff when the manufacturer and supplier perform the mixed strategies  $\omega_1$  and  $\omega_2$ , respectively. If supplier predicts that the manufacturer applies the strategy set  $\Theta_1$  with the probabilities  $\{\omega_1(M_1), \omega_1(M_2), ..., \omega_1(M_J)\}$ , then the supplier's expected payoff from performing the strategy set  $\Theta_2$  with the probabilities  $\{\omega_2(S_1), \omega_2(S_2), ..., \omega_2(S_k)\}$  is:

$$E_{2}(\omega_{1},\omega_{2}) = \sum_{k=1}^{K} \omega_{2}(S_{k}) \left[ \sum_{j=1}^{J} \omega_{1}(M_{j}) \cdot \psi_{2}(M_{j},S_{k}) \right]$$
$$= \sum_{j=1}^{J} \sum_{k=1}^{K} \omega_{2}(S_{k}) \cdot \omega_{1}(M_{j}) \cdot \psi_{2}(M_{j},S_{k}).$$
(4)

 $E_1(\omega_1, \omega_2)$  and  $E_2(\omega_1, \omega_2)$  rehash Nash's equilibrium requirement that any player's mixed strategy should be the best reaction to the mixed strategy of other players.  $\omega_1^*$  and  $\omega_2^*$  represent the optimal mixed strategies for the manufacturer and supplier candidate, respectively. For a pair of mixed strategies ( $\omega_1^*, \omega_2^*$ ) to become Nash equilibrium,  $\omega_1^*$  should meet:

$$E_1(\omega_1^*, \omega_2^*) \ge E_1(\omega_1, \omega_2^*),$$
 (5)

$$E_2(\omega_1^*, \omega_2^*) \ge E_2(\omega_1, \omega_2^*),$$
 (6)

where every probability distribution  $\omega_1$  is over  $\Theta_1$ , and for  $\omega_2^*$  every probability distribution  $\omega_2$  is over  $\Theta_2$ .  $\omega_1^*$  and  $\omega_2^*$  represent the optimal mixed strategies for manufacturer and supplier in the game, respectively.

The probability vector of the optimal strategy  $(\omega_1^*, \omega_2^*)$  is  $\omega_1^* = \{\omega_1^*(M_1), \omega_1^*(M_2), \dots, \omega_1^*(M_J)\}$  with actions  $\{M_1, M_2, \dots, M_J\}$  for the manufacturer and the vector  $\omega_2^* = \{\omega_2^*(S_1), \omega_2^*(S_2), \dots, \omega_2^*(S_K)\}$  with actions  $\{S_1, S_2, \dots, S_K\}$  for the supplier candidate. Player 1 (i.e., the manufacturer) pays a minus cost (-) because the manufacturer gains a profit from supplier's responses. Player 2 (i.e., the supplier) pays a plus cost

(+), which means the supplier pays according to the manufacturer's evaluation. Let  $v_i$  be the *i*th evaluation absolute value for the supplier candidates and one has:

$$= \left| \sum_{j=1}^{J} \sum_{k=1}^{K} \omega_1^*(M_j) \cdot \omega_2^*(S_k) \cdot \psi_2(M_j, S_k) \right|,$$
  
$$\omega_1^*(M_j), \omega_2^*(S_k) \in N.E.$$
(7)

Therefore,  $v_i$  represents the evaluation value of the supplier candidates and is derived from two optimal strategy probabilities. The evaluation value will be used in the second stage of the model to calculate the Shapley value of each supplier.

## 3.2. Order allocation game

 $v_{i,2}(\omega_1^*, \omega_2^*) = v_i$ 

In this second stage, the interactions of all suppliers in the manufacturing process are equated with a cooperative game. The objective is to decide on the priority of order assignment to the supply chain, particularly when available suppliers are limited in a manufacturing process. In a cooperative game, we can use the Shapley value to divide the total gains among the players equitably. Shapley value uniquely determines the outcomes of the game.

The Shapley value considers multiple decisionmakers who generate marginal contributions in a cooperative game. We can compute the average contribution of each player with this formula. Before the formula calculates the Shapley value, it is assumed that all players' optimal results are utilized in the Each player adds to a situation or computation. coalition, which can generate the average contribution in a coalition. In various coalitions, when one player participates in a coalition, the formula can compute its marginal contributions within a cooperative game. The proposed model utilizes a majority coalition concept to analyze supplier allocation. The concept is based on party voting game. Here, the voters build a majority coalition to win. Each voter has a power that depends on how important they are to form a winning coalition. When the sum of SEVs of some suppliers reach the majority level threshold, the power index (i.e., Shapley value) of each supplier can be computed as we can construct the winning coalition.

All selected suppliers play an N-person game with  $P = \{1, 2, ..., N\}$ . Each subset  $V \subset P$  and where  $v_j \neq 0, \forall \lambda \in V$  is called a coalition. The function  $f: V - > R^+$  is gained by assigning a positive real number to each element of V (i.e., SEV) and f(0) = 0,  $V = \{v_1, v_2, ..., v_i, ..., v_n\}, i \in N$ . Let  $f(Z) = \sum_{i \in Z} v_i, v_i \in V, Z \subset P$  be the value of coalition Z with a cardinality of z. The vendor rating level,  $L = \{L_1, L_2, ..., L_\lambda, ..., L_n\}$ , is derived from a majority of all SEVs of a manufacturing process. The corresponding

threshold value is  $H = \{h_1, h_2, ..., h_\lambda, ..., h_n\}$ , where  $0 < h_1 < h_2 < ... < h_n$ . Then:

$$L = \begin{cases} L_{1} & \text{if } \sum_{i=1}^{n} v_{i} \ge h_{1} \\ L_{2} & \text{if } \sum_{i=1}^{n} v_{i} \ge h_{2} \\ L_{\lambda} & \text{if } \sum_{i=1}^{n} v_{i} \ge h_{\lambda} \\ \vdots \\ L_{n} & \text{if } \sum_{i=1}^{n} v_{i} \ge h_{n} \end{cases}$$
(8)

Different levels of evaluation are then set for supplier grouping based on the average value of the threshold interval. Each threshold is assumed as  $h_{\lambda} = (v_{\max} - v_{\min})/2$  using the Alpcan method [59]. According to the output vector of all SEVs of the manufacturing process, the majority of competence levels are  $L_{\lambda}$  if  $\sum SEVs \geq h_{\lambda}$ . Thus, all SEVs of suppliers formed a group of majority levels  $L_{\lambda}$ .

We can define the Shapley value of the  $i {\rm th}$  supplier as follows:

$$SV(i) = \sum_{\substack{Z \subset X \\ i \in Z}} \frac{(z-1)!(n-z)!}{n!} \cdot (f(Z) - f(Z - \{i\}))$$
$$= \sum_{\substack{Z_w \subset X \\ i \in Z_w}} \frac{(z-1)!(n-z)!}{n!}.$$
(9)

The term  $f(Z) - f(Z - \{i\})$  will always have a value of 0 or 1. When  $Z_w$  is a winning coalition, the value is 1. In the opposite condition, the terms  $Z - \{i\}$  and f(Z) are 0. The Shapley value (SV(i))requires a winning coalition with  $\sum_{i \in Z} v_i \ge L_{\lambda}$ . The Shapley value of the *i*th supplier expresses the relative competence value of different thresholds. In our model, the competence level of all suppliers is represented by these Shapley values. We can compute the order allocation for each qualified supplier in each process based on the supplier's Shapley values. The order allocation assigned to the *i*th supplier is defined by:

$$O(i) = SV(i) \times R_j, \quad i, j \in N,$$
(10)

where  $R_j$  is the total orders of the manufacturer in the *j*th manufacturing process. The order allocation of the *i*th supplier is derived by multiplying SV(i) and  $R_j$ . Finally, the manufacturer can allocate orders to all qualified suppliers in each process.

## 3.3. Solution procedure

This procedure aims to find an acceptable allocation of order to qualified suppliers based on the expected marginal contribution by creating a minimum set of order deployment costs. The solution procedure is as follows:

- 1. Assume a set of suppliers for k = 1 to K;
- 2. Considering a non-cooperative game performs the supplier evaluation, compute the manufacturer and supplier mixed strategy Nash equilibrium and find the SEV value;
- 3. Set the evaluation levels and find the threshold value  $h_{\lambda}$  at the evaluation level  $L_{\lambda}$ ;
- 4. Considering that a cooperative game performs the supply chain allocation, compute the Shapley value of the supplier based on the threshold value  $h_{\lambda}$ ;
- 5. If coalition  $\sum_{i \in \mathbb{Z}} v_i \ge h_{\lambda}$ , then find an adjustable scale (Step 6); otherwise, go to step 4;
- 6. Find an adjustable scale and adjust the preference of scale by increasing or decreasing the value within the total Shapley value. Allocate the available orders to the suppliers.

# 4. The application of the two-stage game-theoretic approach

The framework is mainly applied when manufacturers construct the decision logic of multiple manufacturing processes and supplier candidates. The framework uses a two-stage game-theoretic approach to select qualified suppliers and classify them according to competence indicators. Based on ratings, manufacturers propose the corresponding quantity of orders. In the supplier evaluation game, the manufacturer is player 1 and the decision-maker who chooses qualified suppliers for the manufacturing process. Suppose that  ${\cal M}$  denotes the strategy space of the manufacturer:  $M = \{M_1, M_2, M_3, M_4\} = \{$ quality of products, cost of manufacture, delivery performance, and technique of supplier} adopted from Chan and Kumar [8]. The supplier is player 2. Both players predict the behavior/strategy of their opponents and decide on their response. Table 2 shows the  $4 \times 4$  payoff matrix from the manufacturer and supplier interactions.

The variable  $F_{j,k}$  denotes the manufacturer's request from each supplier at each strategy, where the value is assumed to be classified from 1 to 10, as shown in Table 3.  $W_j$  denotes the strategy-weighted value, where it is assumed to be classified from 1 to 4, indicating the significances of the specific strategies.

S denotes the strategy space of the supplier:  $S_k = \{S_1, S_2, S_3, S_4\} = \{\text{quality of products, cost of manufacture, delivery performance, and technique of supplier}, adopted from Chan and Kumar [8]. <math>C_k$  denotes the set of the supplier's reputation:  $C_k = \{C_1, C_2, C_3, C_4\}$ , where the reputation value or score is assumed to be classified from 1 to 10. Table 4 shows the score for the strategy space of the supplier.

The formulas for the suppliers' strategies are as follows:

	${f S}_{m k}$							
M.	Quality of	Cost of	$\mathbf{Delivery}$	Technique of supplier				
1111	$\operatorname{products}$	manufacture	performance					
Quality of products	$(S_1 - F_{1,1})W_1C_1$	$(S_2 - F_{1,1})W_2C_2$	$(S_3 - F_{1,1})W_3C_3$	$(S_4 - F_{1,1})W_4C_4$				
Cost of manufacture	$(S_1 - F_{2,1})W_1C_1$	$(S_2 - F_{2,1})W_2C_2$	$(S_3 - F_{2,1})W_3C_3$	$(S_4 - F_{2,1})W_4C_4$				
Delivery performance	$(S_1 - F_{3,1})W_1C_1$	$(S_2 - F_{3,1})W_2C_2$	$(S_3 - F_{3,1})W_3C_3$	$(S_4 - F_{3,1})W_4C_4$				
Technique of supplier	$(S_1 - F_{4,1})W_1C_1$	$(S_2 - F_{4,1})W_2C_2$	$(S_3 - F_{4,1})W_3C_3$	$(S_4 - F_{4,1})W_4C_4$				

Table 2. A payoff matrix for the supplier evaluation game.

**Table 3.** The manufacturer's request  $(F_{j,k})$ .

	Player 2							
Player 1	$S_1$	$S_2$	$S_3$	$S_4$	$W_{j}$			
$M_1$	5.5	4.5	3.5	4.5	2.5			
$M_2$	4.5	5.5	3.5	4.5	2.0			
$M_3$	4.5	4.5	5.5	3.5	1.0			
$M_4$	4.5	4.5	3.5	5.5	1.5			

**Table 4.** The reputation value for the strategy space ofPlayer 2.

Score	${old S}_1$	$S_2$	$oldsymbol{S}_3$	${old S_4}$
10	100%		100%	$2 \leq C_{pk}$
9	98%		98%	$1.83 \leqq C_{pk} < 2$
8	96%		96%	$1.67 \leqq C_{pk} < 1.83$
7	94%		94%	$1.5 \leq C_{pk} < 1.67$
6	92%	$\left[\frac{P_M}{P_S}\times 10\right]$	92%	$1.33 \leq C_{pk} < 1.5$
5	90%		90%	$1.17 \leqq C_{pk} < 1.33$
4	88%		88%	$1 \leqq C_{pk} < 1.17$
3	86%		86%	$0.83 \leq C_{pk} < 1$
2	84%		84%	$0.67 \leq C_{pk} < 0.83$
1	82%		82%	$C_{pk} < 0.67$

- Quality of product evaluation: This study defines  $S_1$  as the quality capability of the *i*th supplier, which is the product yield rate. The formula is expressed as:

 $\frac{\text{Good units}}{\text{Production units}}\%.$ 

- Cost of manufacturer evaluation: This study defines  $S_2$  as the cost capability of the *i*th supplier. The formula is expressed as follows:

 $\frac{\text{Bargain price of manufacturer }(P_M)}{\text{Bargain price of supplier }(P_S)} \times 10.$ 

- Delivery performance evaluation: This study defines  $S_3$  as the delivery capability of the *i*th supplier, given

below:

Number of on - time deliveries Total number of deliveries

where  $C_{\max,i}$  and  $C_{\min,i}$  are the greatest and smallest delivery performances, respectively.

The technique of supplier evaluation: This study defines  $S_4$  as the process capability of the *i*th supplier, given below:

$$C_{pk} = \min\left\{\frac{USL - u}{3\sigma}, \frac{u - LSL}{3\sigma}\right\}$$

In this interaction, the manufacturer's payoff for selecting a specific strategy when the supplier has taken a choice results in the manufacturer's gain and a loss to the supplier. The sum of losses for the supplier is illustrated, and it is assumed that the manufacturer tries to maximize her gain. The minus cost (-)indicates the manufacturer gaining a payoff from the supplier's response. The plus cost (+) means that the supplier pays as a result of the manufacturer's response. From Eq. (2), the payoff formula for the kth strategy of the supplier and the *j*th strategy of the manufacturer is given by:

$$E_1 = \sum_{j=1}^{4} \sum_{k=1}^{4} \omega_1^*(M_j) . \omega_2^*(S_k) . (S_k - F_{j,k}) W_k C.$$
(11)

In this non-cooperative interaction, we assume a zerosum game. Hence, from Eq. (4), the payoff formula of the manufacturer can be formulated as follows:

$$E_2 = -\sum_{j=1}^{4} \sum_{k=1}^{4} \omega_1^*(M_j) . \omega_1^*(S_k) . (S_k - F_{j,k}) W_k C.$$
(12)

Strategy space  $\Theta_i$  is a set of all possible strategies of two players in a game. Each of the pure strategies  $\Theta_1 = \{M_1, M_2, M_J\}$  is given in Eq. (1), where the weights are the probabilities  $\omega_1 = \{\omega_1(M_1), \omega_1(M_2), ..., \omega_1(M_J)\}$ and the strategy sets  $\Theta_1$  and  $\Theta_2$  represent a uniform distribution.

The above numerical example simulates the proposed two-stage game theory framework. First, the model studies the behavioural interactions between the manufacturer and supply candidates. The model created Nash equilibrium points to compute the SEV. Table 5 shows the numerical example for calculating the SEVs. Given the vector output for all the values, this study uses Eq. (8) to compute the majority of threshold values (i.e.,  $m_h$ ). Then, all the SEVs are utilized to calculate the supplier's Shapley value based on Alpcan and Başar's [59] formula. Table 6 presents the Shapley values and allocation. The result shows how Shapley values of each supplier determine different cases of order allocation. Based on the example, we illustrate the ability of the proposed game theory framework and solution procedure to evaluate and select suppliers, as well as allocate the required supplies.

## 5. Conclusions and future works

This paper presented a two-stage game theory framework for supplier evaluation, selection, and allocation in a competing supply chain. The framework applied to the decision logic of multiple manufacturing processes. In the first stage, a non-cooperative game model was utilized to analyze the interactive behavior between a manufacturer and some suppliers. All the parties possess the past information about their payoffs and the other players' behaviors. The model used a mixed strategy Nash equilibrium to obtain the Supplier Evaluation Value (SEV). In the second stage,

Table 5. Numerical examples for generation of Supplier Evaluation Values (SEVs).

Process	Supplier	$S_1$	$S_2$	$S_3$	$S_4$	Player #1	Player # 2	SEV	
11000055						strategy	$\mathbf{strategy}$		
	А	9	8	7	10	1	3	30.3	
T	В	8	9	6	8	1	3	20.0	
1	$\mathbf{C}$	6	6	7	9	1, 4	3	23.8	
	D	7	7	6	7	1, 2, 4	3	17.1	
II	Е	8	6	7	7	1	2	21.2	
	F	6	8	9	8	2	1	27.9	
	G	7	6	8	9	1	2	21.9	
	Н	6	8	9	7	2	1	27.1	
III	Ι	8	6	9	10	1	2	24.0	
	J	6	7	10	6	3	4	34.0	
	Κ	9	7	7	7	1	3	27.0	
	L	7	8	7	8	1	3	26.0	

Table 6. Results of computing the Shapley values and the allocation of suppliers.

Manufacturing	Suppliers	Threshold value	Shapley values	The allocation of
processes	Suppliers	h	SV(i)	suppliers $oldsymbol{O}(i)$
	А		0.417	1250
т	В	23.7	0.083	250
1	С	20.1	0.417	1250
	D		0.083	250
	Ε		0.083	167
II	F	24 55	0.417	833
	G	21.00	0.083	167
	Н		0.417	833
III	Ι		0.167	833
	J	29	0.500	2500
	К	20	0.167	833
	$\mathbf{L}$		0.167	833

the interactions of all suppliers in the manufacturing process were equated with a cooperative game. When the sum of SEVs of some suppliers reach the majority level threshold, the power index (i.e., Shapley value) of each supplier can be computed by finding the winning coalition. The Shapley values became the basis for creating an evaluation mechanism for allocating suppliers in each manufacturing process. The numerical example verified the ability of the proposed approach regarding the selection and the allocation of suppliers. Therefore, the two-stage game theory approach helps the Supply Chain Management (SCM) managers with their supplier evaluation, selection, and order assignment.

Future work can be done with actual data to verify the proposed framework. Moreover, this research can be extended to examine supplier selection problem considering environment [50,51,60], and Big Data [61].

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