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An optimization framework for risk response actions selection using hybrid ACO and FTOPSIS

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KEYWORDS Project risk management; Risk response action selection; ACO; Risk interactions; FTOPSIS; Fuzzy set theory. **Abstract.** This paper presents a framework for solving a risk response action selection problem by considering: 1) the impact of risk events on the project objectives, 2) the interactions between risk events, 3) management criteria and preferences. To fulfill these purposes, a framework is developed by combining an optimization-based model with a Multi-Criteria Decision Making (MCDM) approach. First, in the optimization-based model, Ant Colony Optimization (ACO) is used to find the best combination of response actions with greater effects on time, cost, and quality. In addition, in this model, to overcome the imprecision situation resulting from lack of knowledge or insufficient data, risk parameters are determined using the fuzzy set theory. Moreover, the Design Structure Matrix (DSM) is used to capture the effect of interactions between risk events. Second, the Fuzzy Technique for Order Preference by Similarity to Ideal Solution (FTOPSIS) method is used to analyze the obtained solutions by ACO based on other management criteria. Finally, the efficiency of the proposed framework is examined by its implementation in a real building construction project. Discussions concerning the case study show that decisionmakers can evaluate more aspects of response actions by using the proposed framework.

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1. Introduction

Risk is a complex phenomenon that has physical, monetary, cultural, and social dimensions [1]. Project Management Institute (PMI) defined risk as an uncertain event or condition that, in case it occurs, has a positive or negative effect on one or more project objectives such as scope, schedule, cost, and quality [2]. The construction industry is subjected to more risk and uncertainty than perhaps any other industrial sector [3]. As a

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result, in the construction industry, we can see many projects around the world that were completed with considerable time and cost overruns [4]. Therefore, risk management in construction projects has been recognized as an inherent and strictly recommended process in order to achieve project objectives [5,6]. Risk management consists of risk management planning, risk identification, qualitative risk analysis, quantitative risk analysis, risk response planning, and risk monitoring and control processes [2]. Among these processes, despite the significance of the risk response planning in minimizing the probability and/or negative impact of project risks, it has rarely been addressed in the studies relating to risk management [7]. However, for reducing global risk exposure, appropriate response actions should be selected. Accordingly, a few specific

tools and systematic solutions were developed in the area of risk response selection [7]. Regardless of the response selection approach, factors including total expected risk loss, risk interactions, budget constraints, response costs, response effects, and uncertainty in the risk parameters should be considered within the risk response planning process. Ignoring each one of these items can cause an inappropriate selection of response actions and the waste of human and financial resources. Based on the conducted previous researches, the main approaches for generating risk response actions can be classified into five categories as follows: the zonal-based approach [8,9], the trade-off approach [10,11], the Work Breakdown Structure (WBS)-based approach [7,12], the optimization-model approach [13], and the Case-Based Reasoning (CBR) approach [14].

Neither of the mentioned approaches is complete, and they are subject to some limitations. For example, only two criteria can be considered in the zonal-based and trade-off approaches [15], and some required information, such as the individual risks, involved in the target case may not exist in the surveyed cases in the CBR approach [14]. In the WBS-based approach, risks are identified for an analyzed activity; then, strategies can be formulated in direct association with the corresponding activity or can be selected among candidate ones by an index of the scope expected deviation [7]. However, there is not any way to make sure that the selected strategies on the basis of this approach are the optimal solutions. In the optimization-model approach, by constructing a mathematical model whose variables are project objectives such as time, cost, or quality, the optimal risk response actions can be chosen. Generally, in this model, the objective function is to minimize the cost of implementing actions. Despite other mentioned methods, the optimization model approach has shown its practicability in previous studies for evaluating and selecting risk response actions to achieve the project objectives [15]. For example, Kayis et al. (2007) developed five computational algorithms including least-cost-first, highest-risk-first, minimumcost-risk-ratio-first, random-search, and a genetic algorithm to find feasible solutions for mitigating risks [16]. Fan et al. (2008) developed a conceptual model to describe the quantitative relationships among risk response strategies and project characteristics. The optimization analysis was then performed to derive a minimum-cost risk-handling strategy for a particular risk event [13]. Ben-David and Raz (2001) presented a model that integrated work contents of projects, risk events, risk reduction actions, and their effects. Then, the optimization techniques were used to solve the model in order to generate the most cost-effective combinations of risk reduction actions [17]. Zhang and Fan (2014) developed an optimization model, which integrated three critical elements: the project cost, project schedule, and project quality. By solving the model, the most desirable risk response strategies to cope with the risk events could be determined [15]. Nik et al. (2011) proposed an optimization model that integrated the project work breakdown structure, risk events, risk responses, and their effects on the project's time, cost, and quality. The effects on these three objectives were changed into a single one by assigning a weight factor to each objective [18]. Fang et al. (2013)developed a quantitative framework of analysis to support decision-making in project risk response planning. They used the design structure matrix representation to capture risk interactions and, also, used a genetic algorithm for choosing response actions and allocating budget reserves [19]. Soofifard and Khakzar Bafruei (2016) proposed a mathematical model, in which work structure breakdown, risk occurrences, risk reduction measures, and their effects were clearly related to each other to evaluate and select the project risk responses. They also considered the relationship between risk responses during model implementation [20]. Soofifard and Gharib (2017) proposed a model for proper risk response selection from the responses portfolio with the aim of optimizing defined criteria for projects. They also considered the relationships between risk responses, especially relationships between risks [21]. Zhang (2016) constructed an optimization model for selecting risk response strategies considering the expected risk loss, risk interdependence, and its two directions. Further, the effects of the risk interdependence on risk response were also investigated [22].

However, despite these numerous research efforts, there are some deficiencies in the previous researches in this field that are presented as follows:

- 1. In most of the previous researches including [13,17,15,18,20,22], the integer programming model was used to determine the optimum project risk response actions. However, it is so hard to find the exact solution in a reasonable amount of time with the number of variables or increasing constraints. Therefore, for the large-sized problem, some techniques and heuristic algorithms need to be developed [15];
- 2. In all of the previous researches except [19,21,22], the interactions between risk events were not taken into account for selecting risk response actions. However, engineering projects are becoming complex in both structure and context due to the involvement of many interrelated elements [23]. This situation makes it necessary to consider the interrelated structures among the risks and how the risks can have an impact on each other [24], particularly when estimating the effectiveness of risk response actions;
- 3. In all of the previous researches except [13], the

impacts of the risk response actions were considered only on time, cost, and quality. However, mostly, it is also necessary to take into account other project objectives and management preferences (such as stakeholders' satisfaction), some project features (such as its technical complexity), and some project success factors (such as executive support) to evaluate the risk response action sets. Previous studies discussed the applications of various risk response strategies, yet offered scant guidelines for choosing a strategy that matches the characteristics of projects and risks [13]. In other words, it is not clear how management should align risk response strategies with unique risk situations and project characteristics;

4. In all of the previous researches, the exact values of the probability and/or impact of the risk events were used to estimate the effects of the risk response planning. However, because of the unique nature of projects, having sufficient data to derive exact values for the probability or impact of the risk events is often difficult in the construction industry. Since output depends on the reliability of the input data in optimization-model approaches, the gap between the proposed solution and its neighbors should be analyzed [19]. Therefore, it is necessary to utilize the fuzzy set theory to evaluate the effectiveness of the risk response actions.

Considering the above explanation, in order to fill the existing gap and solve the mentioned problems, this paper presents a framework comprised of an optimization-based model and an MCDM approach to select the most effective risk response actions on project objectives. To overcome the imprecision resulting from lack of knowledge or insufficient data, the fuzzy set theory is used for determining risk parameters (refer to the fourth mentioned deficiency). The response actions that are selected for mitigating the exposure of some risks may affect other risks. Therefore, the DSM method is also used to capture the effect of interactions between risk events when selecting response actions (refer to the second mentioned deficiency). The proposed model is solved using ACO to find the best combination of response actions with higher effects on the project's time, cost, and quality (refer to the first mentioned deficiency). For evaluating the obtained response set alternatives by ACO, based on the other criteria, the FTOPSIS method is used (refer to the third mentioned deficiency).

The efficiency of the proposed framework is demonstrated by implementing it in a real building construction project. The computation results and discussions concerning a case study show that decisionmakers can evaluate more aspects of obtained results by an optimization-based model using the proposed framework. Furthermore, by considering interactions between risk events and uncertainty in the risk parameters, further data for decision-making can be achieved.

The remainder of this paper is organized as follows. Section 2 describes the research methodology including the proposed framework and the fundamental concepts of ACO and FTOPSIS. The parameters of the optimization-based model for selecting risk response actions and minimizing the cost of implementation of them using ACO are also given in this section. In Section 3, the proposed framework is utilized for selecting risk response actions through surveying a real building construction project. The outcome results are also presented in this section. Finally, we conclude this paper in Section 4.

2. Research methodology

In this section, the fundamental concepts of ACO and FTOPSIS as components of the proposed framework are described. The flowchart diagram of the different steps of the proposed framework is depicted in Figure 1. As shown in Figure 1, the components of the WBS and the top risk events that affect them are determined in the first step. The risk parameters including probability and impact on time, cost, and quality for each risk after and before applying response actions are determined in the second step. In the third step, the interactions between risk events and the effect of each risk on other risks are determined using the DSM method. The constraints of the model including the maximum allocated budget for implementing the response actions and also the list of proper response actions which can be selected; in addition, their costs are determined in the fourth step. By using the data obtained from the previous steps, the ACO is applied in the fifth step. In the sixth step, the FTOPSIS method is used to evaluate the response sets obtained by ACO based on the other criteria. Finally, the solution that ranked higher in the evaluation process is reported as the best solution.

2.1. Ant Colony Optimization (ACO)

ACO is one of the swarm intelligence algorithms based on the behavior of ants that cooperate through selforganization without any central control to find an optimal path between their colony and a source of food [25]. They communicate with each other by means of a chemical substance called Pheromone, which is deposited on their trail [26]. The pheromone will evaporate over time. Thus, when an ant starts to find a food source, it is likely not to keep traveling at random. It selects a trail with high pheromone density. The highest pheromone density on a trail shows that more ants select this trail to find food. The pheromone density becomes higher on shorter paths



Figure 1. The flowchart diagrams of different steps of the proposed framework.

over time, because the duration of traveling a shorter path is less than longer paths. Thus, when one ant finds a good path from the colony to a food source, other trails with little pheromone will eventually be abandoned; finally, all the ants will converge to the same trail [27]. In ACO algorithms, an individual ant constructs candidate solutions to a combinatorial optimization problem by starting with an empty solution and, then, iteratively adding solution components until a complete candidate solution is generated [26]. The ants make use of the information that reflects the experience accumulated by previous ants, called pheromone information, and of problem-dependent information, called heuristic information, in order to decide which solution component to add to its current partial solution by means of a stochastic construction Dorigo postulated that the first ACO policy [28]. algorithm is the ant system [29]. The ant system has inspired a number of further extensions that aim to improve the performance of the basic ACO algorithms in problem-solving. These extensions include the Ant Colony System (ACS), elitist ant system, maximumminimum (max-min) ant system, rank-based version of that ant system, etc. The main difference between the ant system and its extensions lies in the ways in which the pheromone is updated as well as some additional details in managing the pheromone trails. Generally, the ACO can be formulated as follows [30,31]:

• Artificial ants construct solutions from the sequence

of solution components taken from a finite set of N available solution components $C = \{c_{ij}\};$

- A solution construction starts with an empty partial solution S_p = Ø;
- In each construction step, the current partial solution S_p is extended by adding a feasible solution component from the set $N(S_p) \subseteq C$, which is defined by the solution construction mechanism;
- The choice of a solution component from $N(S_p)$ is done probabilistically in each construction step. The exact rules for the probabilistic choice of solution components vary across different variants of ACO:

$$p(C_{ij}|S_p) = \frac{\tau_{ij}^{\alpha} \times \eta(C_{ij})^{\beta}}{\sum_{C_{il} \in N(S_p)} \tau_{il}^{\alpha} \times \eta(C_{il})^{\beta}},$$
$$\forall C_{ij} \in N(S_p), \tag{1}$$

where τ_{ij} is the pheromone value associated with component C_{ij} , and $\eta(C_{ij})$ is a weighting function that assigns, in each construction step, a heuristic value to each feasible solution component $C_{ij} \in$ $N(S_p)$. In addition, α and β are positive parameters; their values determine the relation between pheromone information and heuristic information;

• The next step is to update the pheromone, which is increasing the value of pheromone in a good solution and decreasing it in a bad one. This step is done based on Eq. (2):

$$\tau_{ij} \leftarrow \begin{cases} (1-\rho)\tau_{ij} + \rho\Delta\tau, & \text{if } \tau_{ij} \in S_{ch} \\ (1-\rho)\tau_{ij}, & \text{Otherwise} \end{cases}$$
(2)

where $\Delta \tau$ is a positive value for increasing the value of pheromone in a good solution. $\rho \in [0, 1)$ is the rate of pheromone evaporation that prevents the algorithm from converging rapidly. S_{ch} is the set of good solutions.

2.2. Fuzzy TOPSIS approach

MCDM methods are common approaches to structure information and decision evaluation in various problems with multiple and conflicting goals [32]. A fuzzy TOPSIS technique is extended to solve the MCDM problem under a fuzzy environment in a systematic process. TOPSIS offers the point as the solution, that is, simultaneously, the farthest distance from the negative ideal and the nearest distance to the positive ideal [33]. The TOPSIS method is considered as a major MCDM technique in comparison with other related techniques because [33]:

- It can include an unrestricted range of criteria and performance attributes;
- Changes in one attribute can be neutralized by other attributes in a direct or indirect manner;
- It not only provides us with the preferential ranking of alternatives, but also calculates a numerical value for each alternative for a better understanding of the differences and similarities between alternatives, while other techniques only determine the rank of alternatives;
- It provides us with a systematic procedure streamlined with a relatively simple computation process.

For these reasons, in this study, in order to rank the obtained risk response actions sets from ACO and determine a compromise solution for the decisionmaking problem with conflicting criteria, the TOPSIS approach is utilized. The fuzzy TOPSIS procedure consists of the following steps [34]:

Step 1: Inputs are expressed in the decision matrix format as follows:

$$D = \begin{array}{cccccc} C_1 & C_2 & C_3 & \cdots & C_n \\ y_{11} & y_{12} & y_{13} & \cdots & y_{1n} \\ \vdots & \vdots & & \vdots \\ y_{m1} & y_{m2} & y_{m3} & \cdots & y_{mn} \end{array} \right],$$

$$i = 1, 2, \cdots, m; \qquad j = 1, 2, \cdots, n, \qquad (3)$$

$$W = [w_1, w_2, w_{3j}, \cdots, w_n],$$
(4)

where y_{ij} is the rating of alternative A_i with respect to criterion C_j , and W_j is the importance weight with respect to C_i ; **Step 2:** Calculate the normalized fuzzy decision matrix, R:

$$R = [r_{ij}]_{m \times n} \qquad i = 1, 2, 3, \cdots, m, \quad j = 1, 2, 3, \cdots, n.$$
(5)

For the benefit criterion, normalized value r_{ij} is calculated as follows:

$$r_{ij} = \left(\frac{l_{ij}}{u_j^+}, \frac{m_{ij}}{u_j^+}, \frac{u_{ij}}{u_j^+}\right),$$
(6)

where:

$$u_i^+ = \max_i u_{ij}$$

Similarly, normalized value r_{ij} for cost criterion is calculated as follows:

$$r_{ij} = \left(\frac{l_j^-}{u_{ij}}, \frac{l_j^-}{m_{ij}}, \frac{l_j^-}{l_{ij}}\right),\tag{7}$$

where:

$$l_j^- = \min_i l_{ij},$$

where l, m, and u are the parameters of a triangular membership function;

Step 3: Calculate the weighted normalized fuzzy decision matrix, V;

$$V = [V_{ij}]_{m \times n} \qquad i = 1, 2, 3, \cdots, m, \quad j = 1, 2, 3, \cdots, n.$$
(8)

Considering different weights of each criterion, the weighted normalized decision matrix can be computed by multiplying the importance weights of the evaluation criteria and the values in the normalized fuzzy decision matrix. The weighted normalized fuzzy value, V_{ij} , is calculated as follows:

$$v_{ij} = r_{ij} \otimes w_j, \qquad i = 1, 2, 3, \cdots, m,$$

 $j = 1, 2, 3, \cdots, n,$ (9)

where w_i is the fuzzy weight of the *j*th criterion;

Step 4: Identify the Fuzzy Positive Ideal Solution (FPIS) and Fuzzy Negative Ideal Solution (FNIS):

$$A^{+} = \left\{ v_{1}^{+}, v_{2}^{+}, \cdots, v_{n}^{+} \right\},$$

$$A^{-} = \left\{ v_{1}^{-}, v_{2}^{-}, \cdots, v_{n}^{-} \right\},$$
(10)

where $v_j^+ = (1, 1, 1)$ and $v_j^- = (0, 0, 0), j = 1, 2, 3, \cdots, n;$

Step 5: Calculate the distances of each alternative

to FPIS and FNIS using:

$$d_{i}^{+} = \sum_{j=1}^{n} d\left(v_{ij}, v_{j}^{+}\right), \qquad i = 1, 2, 3, \cdots, m,$$

$$j = 1, 2, 3, \cdots, n,$$

$$d_{i}^{-} = \sum_{j=1}^{n} d\left(v_{ij}, v_{j}^{-}\right), \qquad i = 1, 2, 3, \cdots, m,$$

$$j = 1, 2, 3, \cdots, n,$$
(11)

where $d(v_a.v_b)$ denotes the distance measurement between two fuzzy numbers;

Step 6: Calculate the relative closeness to the ideal solution. The relative closeness of alternative A_i is calculated as follows:

$$CC_i = \frac{d_i^+}{\left(d_i^+ + d_i^-\right)}, \qquad i = 1, 2, 3, \cdots, m,$$
 (12)

where $0 \leq CC_i \leq 1$, that is, alternative *i* is closer to the fuzzy positive ideal reference point and far from the fuzzy negative ideal reference point as CC_i approaches 1 [35];

Step 7: Rank the preference order. Choose an alternative with maximum CC_i or rank alternatives according to CC_i in descending order.

It is worth mentioning that this approach has many applications in engineering and management fields and has a simple computation process and high flexibility [36].

2.3. Constructing the optimization model

To optimize the selection of risk response actions, ACO is used to maximize the positive effects of the selected risk response actions on project objectives including time, cost, and quality. For considering the interactions between the risk events, the DSM method is also used. The DSM was introduced by Steward in 1981 [37], and it provides a simple and visual way to perform both the analysis and the management of complex systems, especially to represent the interrelated structure of system elements. The DSM is a square matrix. In our case, the risk events are placed in the first row and the first column in the same order. Diagonal cells of the DSM are blacked out because reflexive relation is ignored, and off-diagonal cells indicate the interactions between risk events. The marks in the DSM below the diagonal indicate feed-forward information, while the marks above the diagonal are feedback information [38]. In the probability assessment, a spontaneous probability can be interpreted as the likelihood of a risk whose effect is different from those of other activated risks inside the system. On the other hand,

the transition probability measures the likelihood of a direct cause-effect relationship between two risks [19].

Therefore, according to Fang et al. (2013), the global probability of each risk event (P) can be determined using Eq. (13) [19]:

$$P = D.s, \qquad D = (I - T)^{-1},$$
 (13)

where T is the risk transition probability matrix which is constructed using DSM, S is the spontaneous probabilities, I is the identified matrix, and P represents the new values of the risk probabilities.

The impact of the risks on the project's time, cost, and quality prior to selecting any risk response actions can be calculated as follows. In order to relate the risk response action selection to work packages of the project, the WBS is used.

$$ETL = \sum_{i=1}^{n} \sum_{j=1}^{m} \sum_{k=1}^{l} w_i^{\text{time}} x_{ij} \times \left(P_k I_k^{\text{time}} D_{jk} \right), \quad (14)$$

$$ECL = \sum_{i=1}^{n} \sum_{j=1}^{m} \sum_{k=1}^{l} w_i^{\text{cost}} x_{ij} \times \left(P_k I_k^{\text{cost}} D_{jk} \right), \quad (15)$$

$$EQL = \sum_{i=1}^{n} \sum_{j=1}^{m} \sum_{k=1}^{l} w_i^{\text{quality}} x_{ij} \times \left(P_k I_k^{\text{quality}} D_{jk} \right)_{(16)},$$

where ETL, ECL, and EQL are the expected time loss, expected cost loss, and expected quality In addition, w_i represents the loss, respectively. time/cost/quality weight factor of the *i*th work package. As mentioned by Seyedhoseini et al. (2009), each work activity in the WBS has its own scope, similar to that of the project, which can be split into three key aspects: quality, schedule, and cost [7]. For example, w_i^{cost} can be calculated by dividing the cost of the *i*th work package by the total cost of the project. However, the quality of an activity can usually be measured subjectively by managers' judgment [7]. x_{ij} is a binary variable. It is equal to 1 if the jth risk event influences the *i*th work package. Otherwise, it is equal to 0. I_k is the impact of the kth risk event on the project's time/cost/quality. P_k is the probability of the kth risk event. D_{jk} is the impact of the *j*th risk event on the kth risk event which is obtained from the DSM method.

The response action list may include different types of risk response actions in terms of avoidance, transference, mitigation, and acceptance [39]. Potential response actions can be identified based on the historical data of similar cases and lessons learned. Risk response actions always consume time, money, and other resources and affect the changing values of the risk parameters such as probability or impact. The impact of the risks on the project's time, cost, and quality after implementing risk response strategies can be calculated as follows:

$$ETL^{AR} = \sum_{i=1}^{n} \sum_{j=1}^{m} \sum_{k=1}^{l} w_i^{\text{time}} x_{ij}$$
$$\times \left(P_k^{AR} I_k^{AR, \text{time}} D_{jk} \right), \qquad (17)$$

$$ECL^{AR} = \sum_{i=1}^{n} \sum_{j=1}^{m} \sum_{k=1}^{l} w_i^{\text{cost}} x_{ij}$$
$$\times \left(P_k^{AR} I_k^{AR, \text{cost}} D_{jk} \right), \qquad (18)$$

$$EQL^{AR} = \sum_{i=1}^{n} \sum_{j=1}^{m} \sum_{k=1}^{l} w_i^{\text{quality}} x_{ij}$$
$$\times \left(P_k^{AR} I_k^{AR, \text{quality}} D_{jk} \right), \qquad (19)$$

where ETL^{AR} , ECL^{AR} , and EQL^{AR} are the expected time loss, expected cost loss, and expected quality loss after implementing risk response strategies, respectively. I_k^{AR} is the impact of the kth risk event on the project's objectives, and P_k^{AR} is the probability of the kth risk event after implementing risk response strategies. In this study, the risk's parameters are determined using fuzzy membership functions.

Based on the defined parameters, the Objective Function (OF) of the ACO can be formulated as follows:

$$\min OF = W_t \times \left(\frac{ETL - ETL^{AR}}{ETL}\right) + W_c \times \left(\frac{ECL - ECL^{AR}}{ECL}\right) + W_q \times \left(\frac{EQL - EQL^{AR}}{EQL}\right), \quad (20)$$

where W_t , W_c , W_q are the time, cost, and quality weight factors that can be calculated subjectively by managers' judgment using the Analytic Hierarchy Process (AHP) method.

The cost of implementing the risk response plan should meet the budget requirements. Therefore, the following constraint should be considered in OF.

$$\left(R.C = \sum_{j=1}^{m} C_j\right) \le B,\tag{21}$$

where C_j is the cost of the response strategy which is selected for the *j*th risk event, and *B* is the maximum allocated budget by managers for implementing the risk response plan.

The budget constraint in the OF (fitness) of the optimization problem is investigated, aiming to maximize the value. Therefore, the OF is revised as follows:

Fitness
$$f = OF$$
 – Violation,

Violation =
$$alpha \times max\left(\frac{R.C}{B} - 1, 0\right)$$
, (22)

where R.C is the total cost of response actions. Alpha is a variable more than "1000". Violation is a penalty value and significantly increases if the response actions' costs exceed B and, thus, significantly decrease f value. Therefore, exceeding the constraint is penalized by the decrease of the *fitness*.

After generating the best response action sets by considering the numerical effects of the response actions on project's cost, time, and quality, the fuzzy TOPSIS method is used to evaluate the obtained solutions by ACO based on the other criteria.

3. Case study

To verify the validity of the proposed framework for risk response selection, it is implemented in a real building construction project. The project scope of this case should be determined first; the project cost is \$5.6 million, and the allocated budget by the project manager for implementing risk response actions is \$225.000. This case is a commercial office building and includes 12 floors on ground and 7 floors underground. The WBS of the entire project and critical risk events with respect to the identified work packages are shown in Figure 2.

The critical risk events were identified by conducting a brainstorming session among a total of 34 identified risk events. By using the DSM method introduced in Section 2.3, the interactions between the top 10 risk events have been identified with the help of the project manager and the team of experts, including 5 risk owners. For this purpose, each expert is asked to show a level that reflects the impact of the one risk on another risk. The scale of scores ranged from 0 to 4. Then, by using Eq. (13), the influences of risks on each other are determined. The exposure of risks is assessed in terms of a qualitative scale of impact and probability. For this purpose, the project manager is asked to define five membership functions that affect time, cost, and quality according to the definition shown in Table 1. The direct method with one expert [40] was used to elicit the ranges of each membership function. To determine the probability of different risk events, the variations in the probability of risk events were divided into 10 fuzzy intervals. To achieve highly precise results



Figure 2. The WBS of the project.

and obtain a smaller probability span, this number of divisions were considered. More division depends on the extent of risk events' uncertainty and experts' opinions. Then, the experts were asked to choose the probability of risks events from one of the 10 given intervals, as shown in Figure 3. The exposure of the identified risks before and after implementing response actions is shown in Tables 2 and 3, respectively. The limitation of experts' knowledge and experiences may result in proposing different response actions by experts. Therefore, response actions are obtained by using the Delphi technique and are intended to reduce the risk probability or risk impact. The Delphi method is a forecasting method based on the results of questionnaires sent to a group of experts. Several rounds of questionnaires are sent out, and the anonymous responses are aggregated and shared with the group after each round. The experts are allowed to adjust their answers in subsequent rounds. Since multiple rounds of questions are asked and the panel is told what the group thinks as a whole, the Delphi method seeks to reach the correct response through a consensus [41].

In order to determine W_c , W_t , and W_q parameters of Eq. (20), AHP method was used. The AHP was first established by Saaty [42] to aid decision-making for problems that involve multiple criteria. The AHP method is generally implemented in four following stages [43]:

• Decomposition of a decision problem and the con-

Terms		Impact categories				
Terms	Cost	$\mathbf{Quality}$				
Very High (VH)	>15% cost increase	$>\!15\%$ project duration increase	Project end item is effectively useless			
High (H)	10-15% cost increase	10-15% project duration increase	Quality is unacceptable to a project sponsor			
Medium (M)	5-10% cost increase	5-10% project duration increase	A major area of quality is affected			
Low (L)	<5% cost increase	<5% project duration increase	Few areas of quality is affected			
Very Low (VL)	Insignificant cost increase	Insignificant project duration increase	Quality degradation barely noticeable			

Table 1	. Liı	iguistic	definition	of	impact.
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Probability Impact categories **Risk ID** Description (no. of Cost Time Quality interval) impact impact impact R1Under estimation of the contract duration 6 М VH Μ R2Problem with opponents 3 Μ Μ VLR3Delaying in utility services (water, electricity, etc.) $\mathbf{2}$ Μ М VL $\mathbf{R4}$ Execution phase pitfalls problem Η 5Η Μ R5Problems related to the technical complexity 6 VH Η Η R6Design changes 4 \mathbf{L} Μ Μ R75L Μ L Delay in approval of shop drawings R8 3 Η VH Inadequate experience of sub-contractor Μ 3 $\mathbf{R9}$ \mathbf{L} Η Μ Shortage of material in local market 7 R10 Problem in supplying equipment from aboard М Η Μ

Table 2. Exposure of the critical risks before implementing response actions.





Figure 3. Membership functions for: (a) Probability and (b) time, cost, and quality impact.

struction of a hierarchical model of criteria and decision variants affecting the solution of the problem;

- Pairwise comparison of the criteria and generation of the vector of weights for individual criteria;
- Pairwise comparison of decision variants in relation

to individual criteria and generation of the local weight vectors for those variants in relation to those criteria;

• Determination of the vector of global preferences of decision variants arranged in relation to the

Action		Influencing	\mathbf{Cost}	Probability	Impact categories		
ID	Description	on	estimate	(no. of given	Cost	Time	Quality
		(risk ID)	(\$)	intervals)	impact	impact	impact
A1	Flexibility in contract	R1	95.000	3	Μ	VH	М
A2	Allocating more resources for compensating delay	R1	175.000	6	М	М	L
A3	Having a system based on historical data in place to	R1	85.000	4	М	VH	М
	validate the allocated time to the project						
A4	Investigating the validity of land ownership documents	$\mathbf{R2}$	7.000	1	М	М	VL
A5	Satisfying the opponents	R2	20.000	3	\mathbf{L}	\mathbf{L}	VL
A6	Increasing interaction with public service organizations	$\mathbf{R3}$	15.000	1	М	М	VL
A7	Diversification on the providers	R3	23.000	2	М	\mathbf{L}	VL
A8	Employ skillful and experienced staff	$\mathbf{R4}$	17.000	2	Н	Н	М
A9	Training of the staff Allocation of the experienced	R4	11.000	2	Η	Η	М
A10	staff, more closer to the complexity of the work	R5	64.000	3	VH	Н	Н
A11	Having enough resources to deal with the complexity	R5	68.000	6	Н	М	М
A12	Getting as much information on the complex part of the project and interdependencies of the phases and activities	$\mathbf{R5}$	53.000	3	VH	Н	Н
A13	Determination of the provision of the design change within the building contract	$\mathbf{R6}$	13.000	1	L	М	М
A14	Identification of potential design changes as a risk	$\mathbf{R6}$	8.000	2	L	L	L
A15	Having a training system in place to indoctrinate subcontractors in the ways of	$\mathbf{R8}$	87.000	1	Н	М	М
A16	the company Avoiding the selection of the cheapest subcontractor if there is doubt on the performance track record	R8	95.000	1	М	М	М
A17	Accurate initial studies to identify the place of supply materials	$\mathbf{R9}$	25.000	1	L	М	М
A18	Supply material on time from other sources	$\mathbf{R}9$	31.000	1	L	М	L
A19	Purchasing some of main equipment from local factories	R10		4	L	М	Н

Table 3. Exposure of the critical risks after implementing response actions.

contribution of variants in achieving the objective of the ultimate decision problem.

According to the AHP results, the mentioned parameters are calculated, as shown in Eq. (23):

$$W_t = 0.46, \qquad W_c = 0.40, \qquad W_q = 0.14.$$
 (23)

3.1. Computational results

3.1.1. ACO results

The proposed ACO for the risk response action selection is performed for the minimum, most likely, and maximum values of risk parameters, separately. The obtained results are shown in Figure 4. The parameters of the proposed ACO are determined through experience and testing. The number of ants in each iteration



Figure 4. The fitness parameters results of the minimum, most likely, and maximum values of risk parameters.

Alternatives (optimal selected response actions)	${ m Fitness}~{ m function}$ ${ m Weight}=56\%$	$egin{array}{c} { m Executive} \ { m support} \ { m Weight} = 14\% \end{array}$			${f Stakeholders'}\ {f satisfaction}\ {f Weight}=18\%$		Technical complexity Weight = 12%			
		DM1	DM2	DM3	DM1	DM2	DM3	DM1	DM2	DM3
[A1,A4,A9,A12,A13,A18,A19]	(0.5131, 0.56710.6471)	М	М	М	Н	Н	М	М	М	М
[A4, A6, A8, A10, A13, A18, A19]	(0.4587, 0.50160.5733)	Η	Η	М	Η	VH	VH	L	\mathbf{L}	L
[A1, A4, A6, A9, A12, A13, A18, A19]	(0.5154, 0.5693, 0.6502)	М	Η	М	Η	Η	Н	М	\mathbf{L}	L
[A1,A4,A6,A8,A12,A13,A17,A19]	(0.5126.0.5669, 0.6494)	М	М	Н	Н	Н	Н	\mathbf{L}	L	М

Table 4. Fuzzy-decision matrix of alternatives and deterministic weights of each criterion.

is set to 10. The Roulette Wheel method is used for selecting the next node (response action in this study) by an ant in its tour. Roulette Wheel is a selection method in which a proportion of the wheel is assigned to each of the possible selections based on their fitness value. Then, a random selection is made similar to how the roulette wheel rotates. The termination condition is set as the maximum number of 300 iterations. The value of *alpha* is set to 0.05 and the value of ρ to 0.05 by testing. The optimal selected response actions obtained by performing the ACO are shown in Table 4. The best *fitness* value for the minimum, most likely, and maximum values of risk parameters is equal to (0.5154, 0.5693, and 0.6502), as shown in Figure 4. The optimal total cost of implementing the action plan is \$225,000. The application of the proposed method shows some promising results as OF reduces by 56.93%, expected time loss by 59.07%, expected cost loss by 55.91%, and expected quality loss by 52.79%. Therefore, the impact of response actions on time, cost, and quality can be analyzed simultaneously. It is worth mentioning that, unlike previous researches, these results have been achieved with regard to the interaction between risk events. The obtained results without considering the risk interactions are also shown in Figure 4 with a dashed line. Further research should be done to investigate the sensitivity of the optimal response action set and OF value to these interactions.

Moreover, unlike previous approaches, since the results are obtained in a fuzzy environment, further analysis using possibility and necessity measures, which are widely used in fuzzy literature, can also be carried out to provide valuable data for decision-making. For details, readers can refer to [44]. For example, let us assume that the value of expected cost loss after applying response actions to the necessity measure of 90% is 20%. Therefore, if the risk tolerance is set to 10%, a risk-averse project manager may request additional budget for the risk response planning process;

3.1.2. FTOPSIS results

it is possible to assign a weight factor in terms of time, cost, or quality to a work package and, subsequently, determine the expected time, cost, or quality effects of a particular risk event on that work package. However, there are other criteria that are susceptible to the risks. These criteria cannot be quantified in this way. Therefore, it is required to utilize subjective judgment of the management team to consider them. For this purpose, in this stage, an MCDM model using the FTOPSIS method is employed to evaluate and select the most satisfying or the best combination of response actions in accordance with the pre-determined criteria. These criteria can be defined by surveying the management team of a specific contractor. In this study, executive support, stakeholders' satisfaction, and technical complexity criteria along with *fitness* function are used to determine the most satisfying solution. These criteria have been proposed by the management team. The main factor for choosing criteria is the unique characteristics of the project. Therefore, these criteria could differ from project to project on the basis of the project's unique features and management's attitudes. The linguistic opinions of three persons associated with the contractor management team are aggregated and used for this purpose. Since these experts have the same qualification, the importance of experts against each other is not considered. However, in another situation, it is worthwhile to consider the importance weight of each expert. The decision matrix and the computational results of the proposed fuzzy TOPSIS are shown in Tables 4 and 5, respectively. The deterministic weights of the attributes are obtained by the AHP method. The linguistic variables in Figure 3(b) are also used to evaluate alternatives based on the pre-determined criteria in Table 4.

The obtained results of the proposed FTOPSIS indicate that the most satisfying response actions for the identified risks in this case can be selected as follows:

- Investigate the validity of land ownership documents;
- Increase the interaction of public service organizations;
- Employ skillful and highly experienced staff;
- Allocate the experienced staff acquainted with the complexity of the work;
- Determine the provision of the design change within the building contract;

 Table 5. Closeness coefficient of each optimal selected

 response action set and its ranking.

CC_i	\mathbf{Rank}
0.341893	3
0.50883	1
0.405937	2
0.339605	4
	0.341893 0.50883 0.405937

- Supply material on time from other sources;
- Purchase some of the main equipment from local factories.

As shown in Table 4, the best optimal selected response actions, obtained from the ACO, were used in the TOPSIS procedure. Utilizing the TOPSIS, the authors believe that more aspects of the obtained solutions by ACO can be evaluated. In the studied case, all alternatives in Table 4, except the second one, acquired an almost similar fitness value in ACO. However, the second one, with a lower fitness value, was selected as the best solution using the TOPSIS. The main difference between these optimally selected response actions lies in the response actions, which were selected for R4 and R5. As shown in Table 4, response actions A8 and A10 achieve more executive support and stakeholders' satisfaction in comparison to response actions A9 and A12. In other words, although providing training for staff and supervision measures can prevent the occurrence of R4 and R5, even with a lower cost, the stakeholders prefer to employ experienced and skillful personnel and staff. This action prevents accidents during the implementation. Moreover, it can also reduce the technical complexity of the execution phase and achieve more executive The mentioned aspects of the response support. actions cannot be quantified using ACO. Therefore, applying an MCDM technique, such as TOPSIS, is recommended for evaluating the obtained solutions by ACO in accordance with other criteria.

In order to evaluate the validity of the proposed framework, its results were also discussed with the project manager and his team in some common meetings. Based on their judgments, the results of this methodology proved more appealing in comparison with traditional approaches. The participants finally acknowledged that the model indeed could provide a quantitative decision support for their practical work.

4. Conclusion and remarks

This paper presented an integrated framework that consists of an optimization-based model and an MCDM approach to select the most effective risk response actions considering the expected risk loss and interactions between risk events. In the optimization-based model, to overcome the imprecision resulting from lack of knowledge or insufficient data, the fuzzy set theory was used for determining the parameters of the risk events. Furthermore, the DSM method was used to capture the effect of interactions between the risk events when selecting response actions. Then, the proposed model was solved using ant colony optimization to find the best combination of response actions that have high effects on time, cost, and quality. In the MCDM model, for evaluating the solutions obtained by ACO, based on the other criteria, the FTOPSIS method was used. The efficiency of the proposed framework was demonstrated by its implementation in a real building construction project. In the studied case, the impact of the optimal response action sets on project objectives, including time, cost, and quality, unlike previous approaches, can be represented in a fuzzy environment. Therefore, further analysis using possibility and necessity measures, which are widely used in the fuzzy literature, can be carried out to provide valuable data for decisionmaking. The case-study results also show that the evaluation of the obtained alternatives by ACO on the basis of other criteria, which could not be considered in the optimization-based model, may lead to changes in the optimal solution. Generally, the advantages of the proposed framework can be summarized as follows:

- Providing a new framework in a fuzzy environment, unlike the previous researches, in which insufficient information and uncertain project environment in the construction industry domain are considered. In other words, by using the proposed method, the impact of uncertainty in risk parameters on the efficiency of risk response actions can be analyzed;
- Considering multiple criteria for evaluating response actions, including time, quality, executive support, stakeholders' satisfaction, etc., for risk response action selection besides the cost criterion existing in the literature. Therefore, decision-makers can evaluate the candidate response actions set and make a decision more efficiently;
- Considering the interactions between risk events in the process of evaluating the effects of selected response actions on project objectives. It was shown that the final results could be different by taking into account these relations;
- By using ACO as a heuristic algorithm, the proposed framework can also be used for more complex and large-sized problems.

The results demonstrated that the proposed framework could assist the project manager and professional experts to identify and evaluate risk response actions more efficiently. Therefore, the proposed framework is expected to be applicable to a wide set of engineering projects for the risk response actions selection problem. Of note, there exist limitations of applying the proposed approach in practice presented in the following:

1. In the studied case, the optimally selected response actions varied for different uncertainty levels; therefore, it was necessary to investigate the sensitivity of the optimally selected response actions with respect to the level of uncertainty in the probability or impact of the risk events;

- 2. The difficulties and uncertainties, which are unavoidable in identifying and quantifying the risk interactions using the DSM methods, should be considered;
- 3. The probability and impacts of the secondary risks (risks that did not exist before and were created by the risk response actions) should be defined and considered;
- 4. The sensitivity of the optimal response action set and OF value to risk interactions should be analyzed. For further research, the application of the proposed framework in more complex environments with respect to the mentioned limitations should be investigated.

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